

# *Visual Texture Analysis: From Similarity To Material Properties*

CASIS, LLNL

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EECS, Northwestern University

On Sabbatical Leave at LLNL



LLNL-PRES-670573

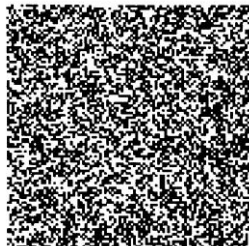
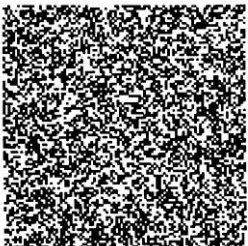
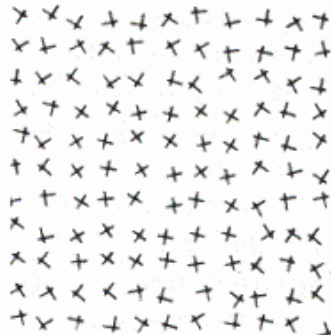
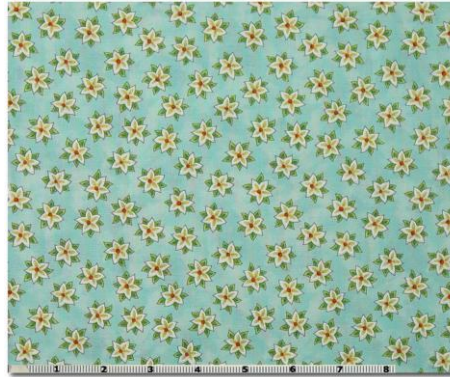
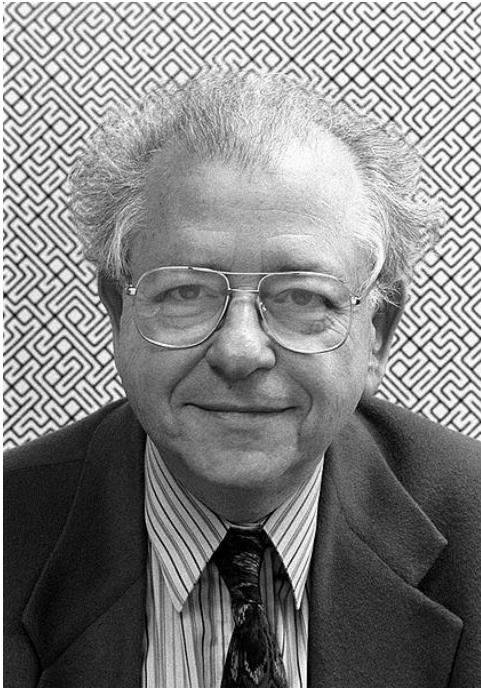
This work was performed under the auspices of the U.S. Department of Energy by Lawrence Livermore National Laboratory under Contract DE-AC52-07NA27344. Lawrence Livermore National Security, LLC



# People

- Jana Zujovic, Northwestern Univ. – now at FutureWei
- Guoxin Jin, Northwestern Univ.
- Jing Wang, Northwestern Univ.
- Dzung Nguyen, Northwestern Univ.
- Shengxin Zha, Northwestern Univ.
- Xiaonan Zhao, Northwestern Univ. – now at Google
- Pubudu Madhawa Silva, Northwestern Univ.
- Qian Yu, Northwestern Univ.
- David Neuhoff, Univ. of Michigan
- Rene van Egmond, TU Delft
- Huib de Ridder, TU Delft
- Alessandro Foi, Tampere University of Technology
- Matteo Maggioni, Tampere University of Technology
- Matthew Reyes, Univ. of Michigan
- Yuanhao Zhai, Univ. of Michigan
- Randy Roberts, LLNL
- NNSA, SONY Labs

# What is Texture?





# What is Texture?

- “An image of visual texture is spatially homogeneous and typically contains repeated structures, often with some random variation, e.g., random positions, orientations or colors.” [Portilla & Simoncelli]

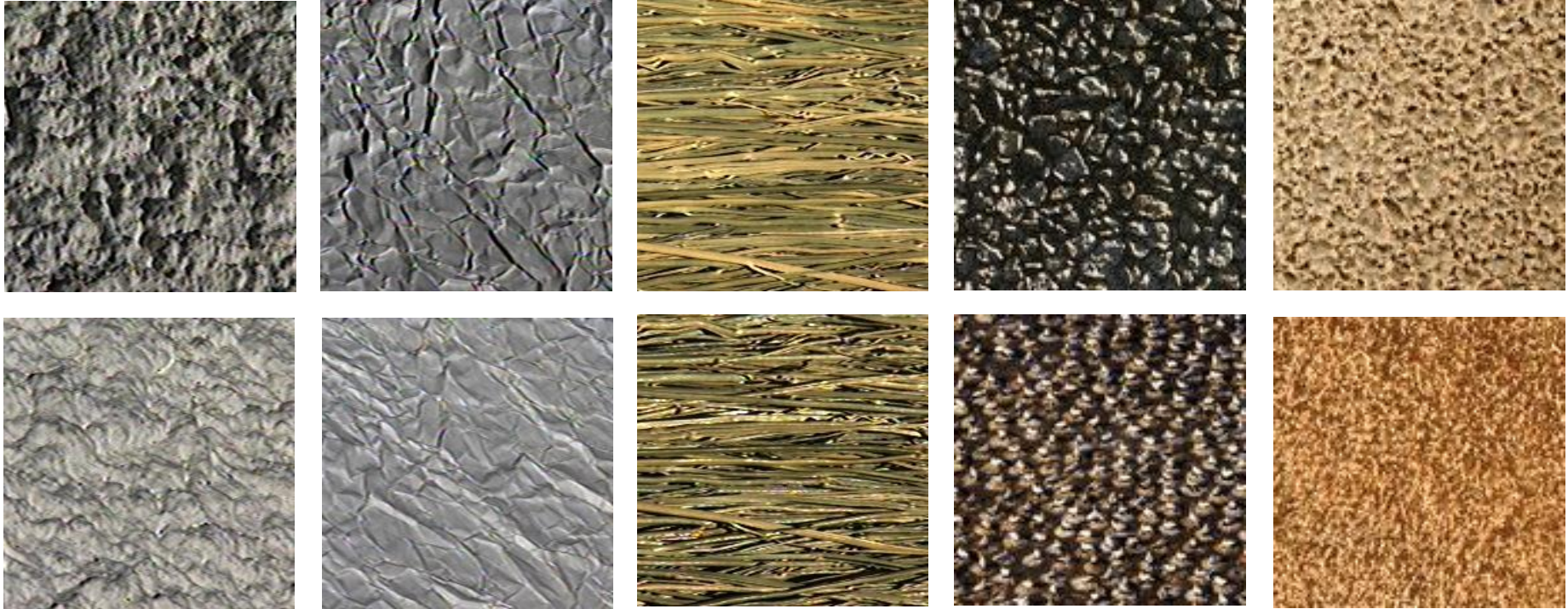


# Texture Similarity

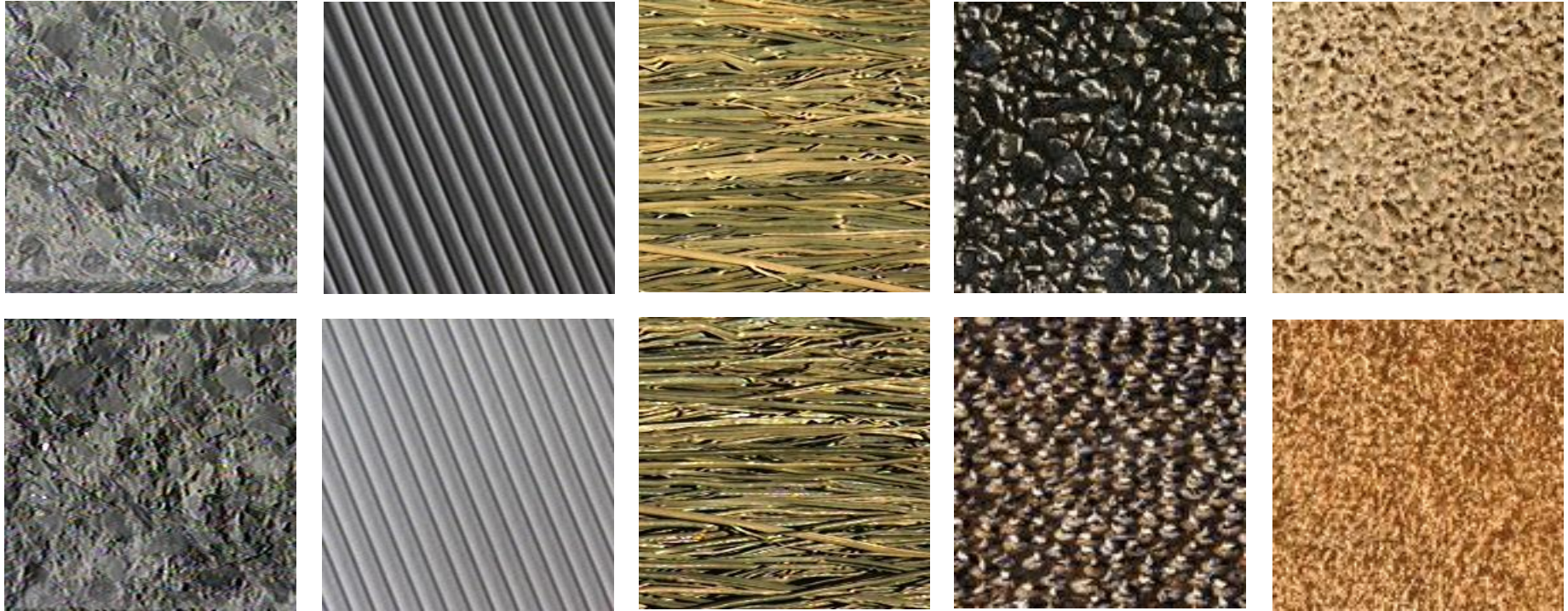




# Material Identification



# Material Identification





# Texture Similarity and Identification Applications

- Content-Based Indexing and Retrieval
- Compression
- Visual to tactile conversion
- Semantic Information Extraction



# Texture Similarity and Identification Applications

- Content-Based Indexing and Retrieval
  - Retrieval of similar textures
- Compression
- Visual to tactile conversion
- Semantic Information Extraction



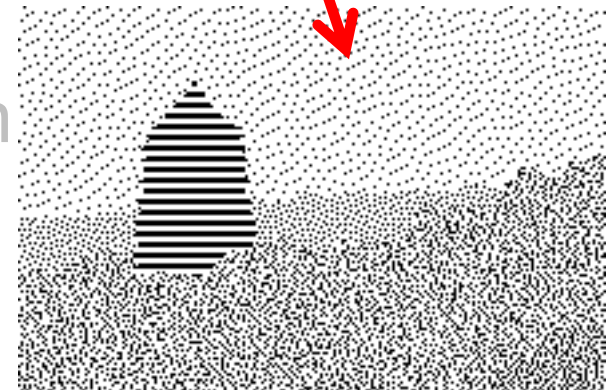
# Texture Similarity and Identification Applications

- Content-Based Indexing and Retrieval
  - Retrieval of similar textures
- Compression
  - Perceptually lossless
  - Perceptually lossy
- Visual to tactile conversion
- Semantic Information Extraction



# Texture Similarity and Identification Applications

- Content-Based Image Retrieval
  - Retrieval of similar images
- Compression
  - Perceptually lossless
  - Structurally lossless
  - Perceptually lossy
- Visual to tactile conversion
- Semantic Information Extraction



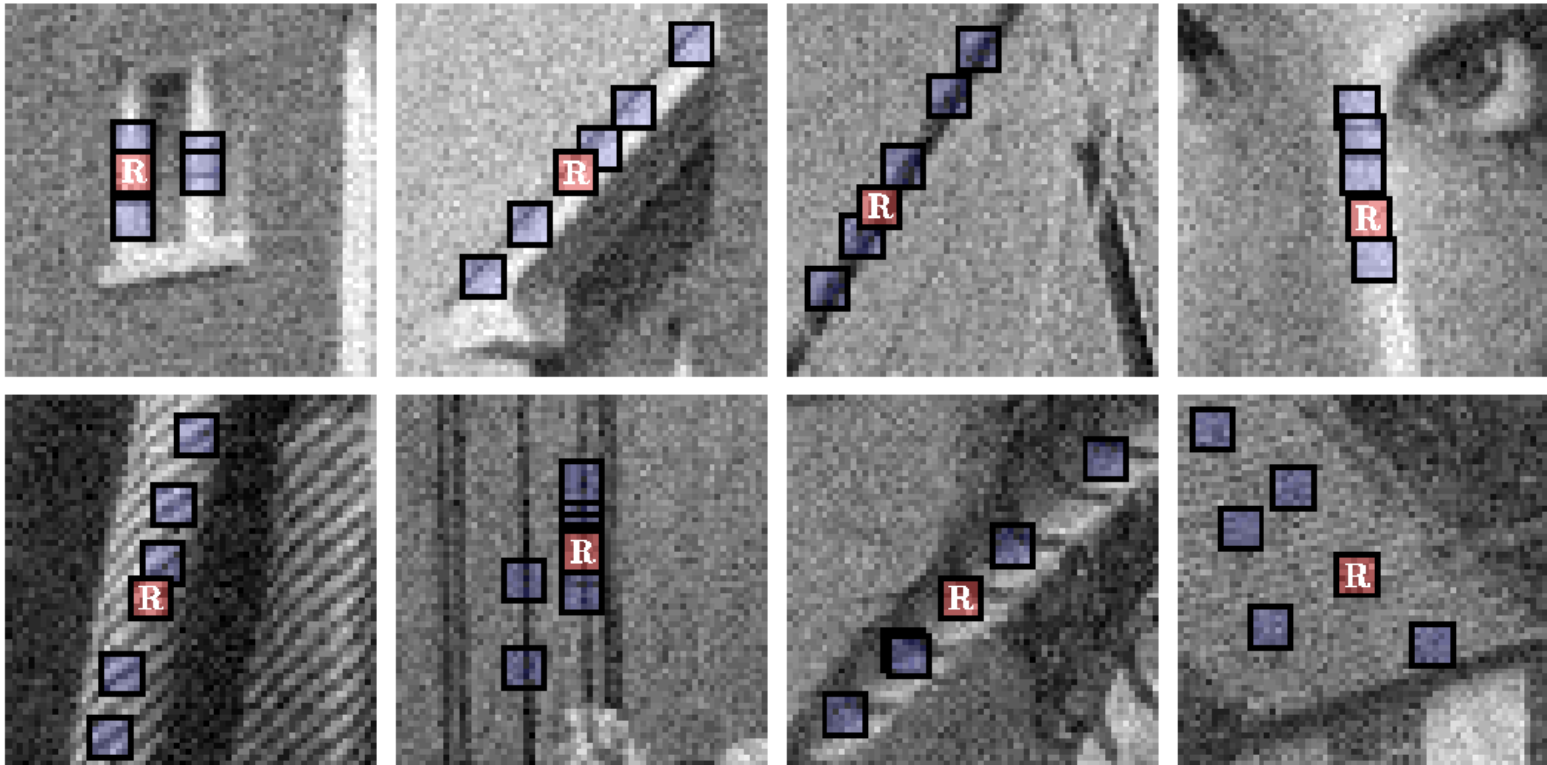
# Texture Similarity and Identification Applications

- Content-Based Indexing and Retrieval
  - Retrieval of similar textures
- Compression
  - Perceptually lossless
  - Structurally lossless
  - Perceptually lossy
- Visual to tactile conversion
- Semantic Information Extraction
  - Computer vision: Focus on **objects** rather than **material** perception and **texture** [Adelson, HVEI'01]





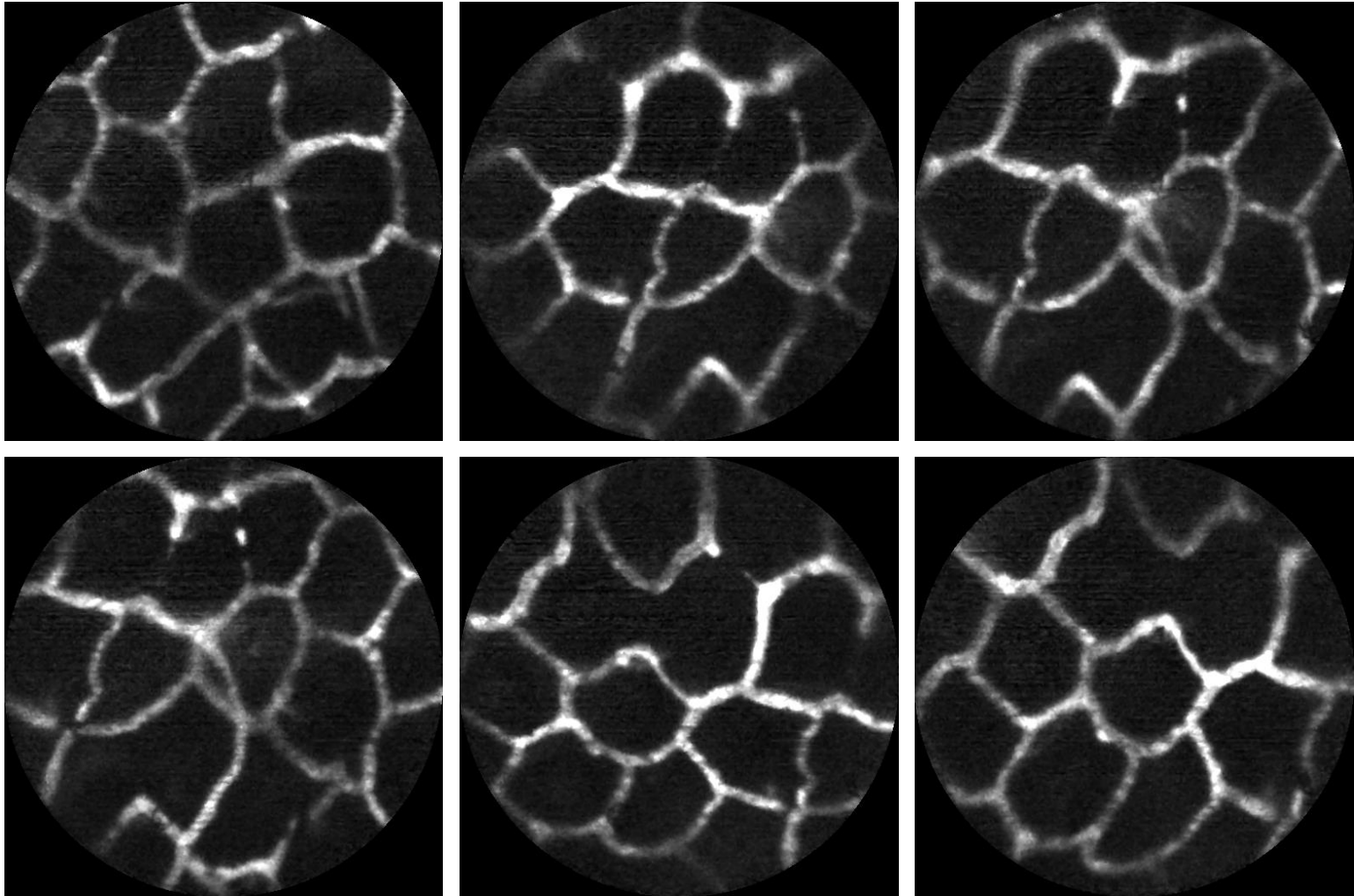
# Restoration Based on Nonlocal Self-Similarity



Create groups of similar patches associated with a given “reference” block

Dabov, Foi, Katkovnik, Egiazarian, “Image denoising by sparse 3D transform-domain collaborative filtering”, IEEE T-IP, 2007

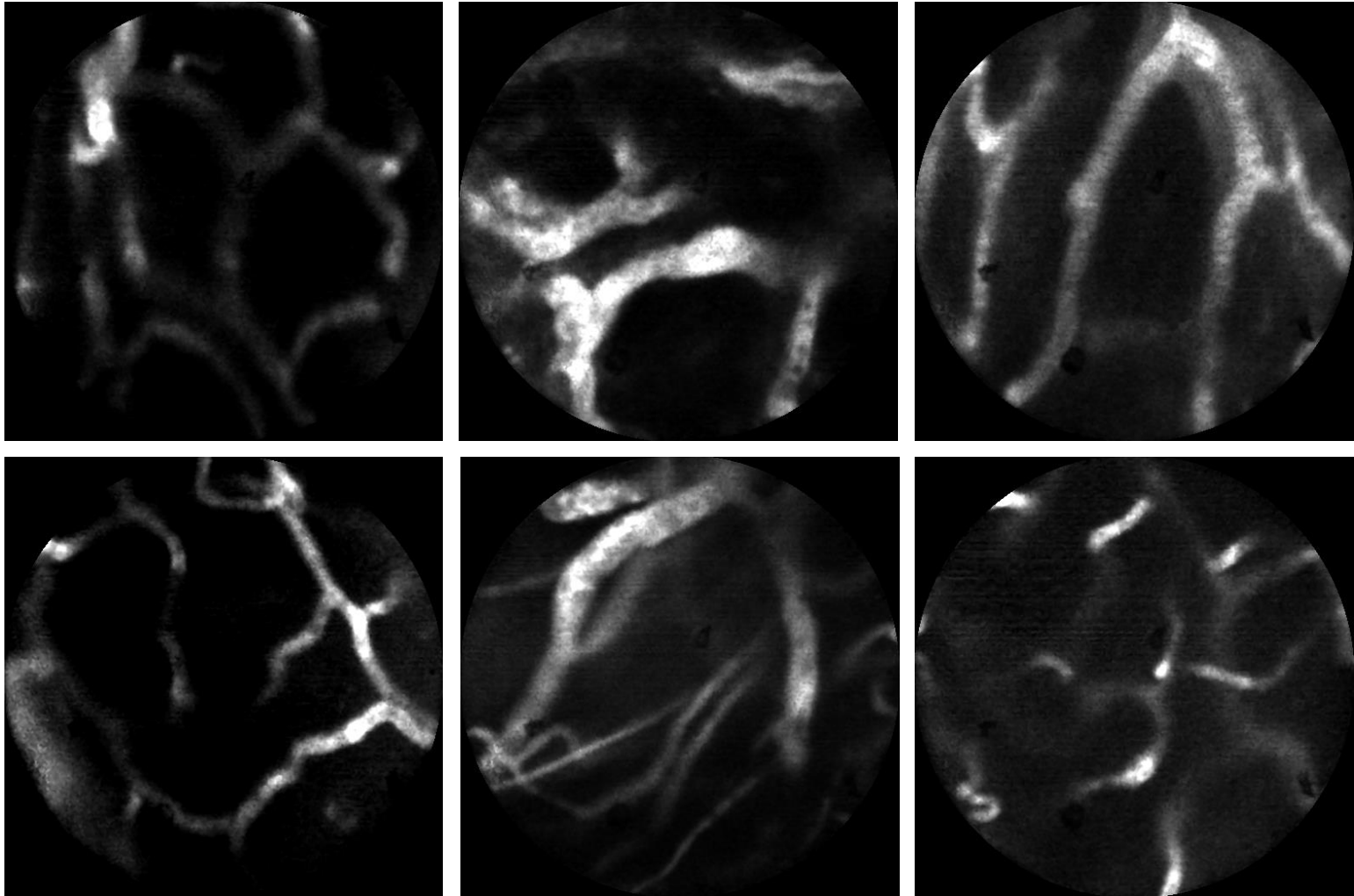
# Microvascular Image Classification



Control Mucosa Images – Sarah Ruderman

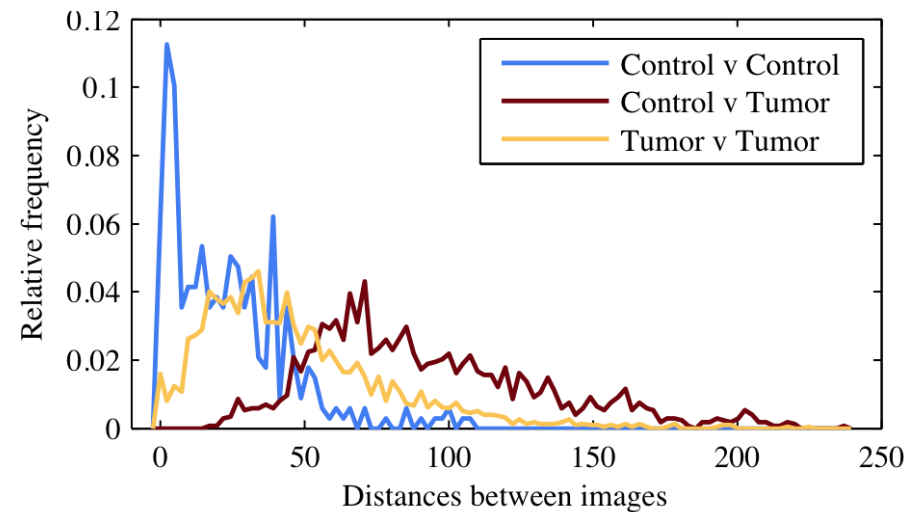
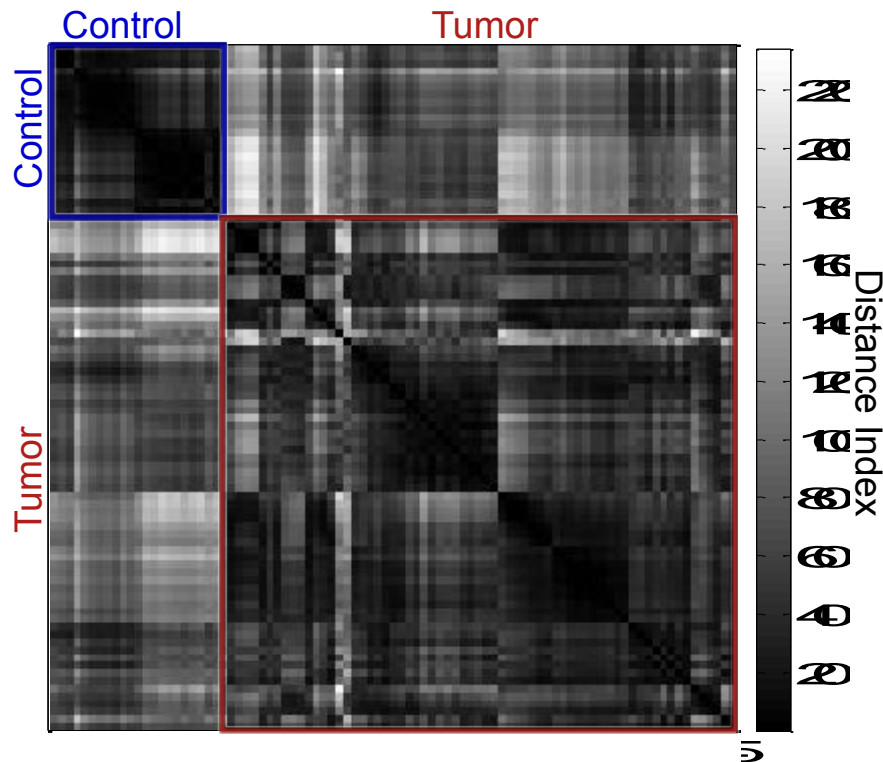


# Microvascular Image Classification



Tumor Vasculature Images – Sarah Ruderman

# Microvascular Image Classification



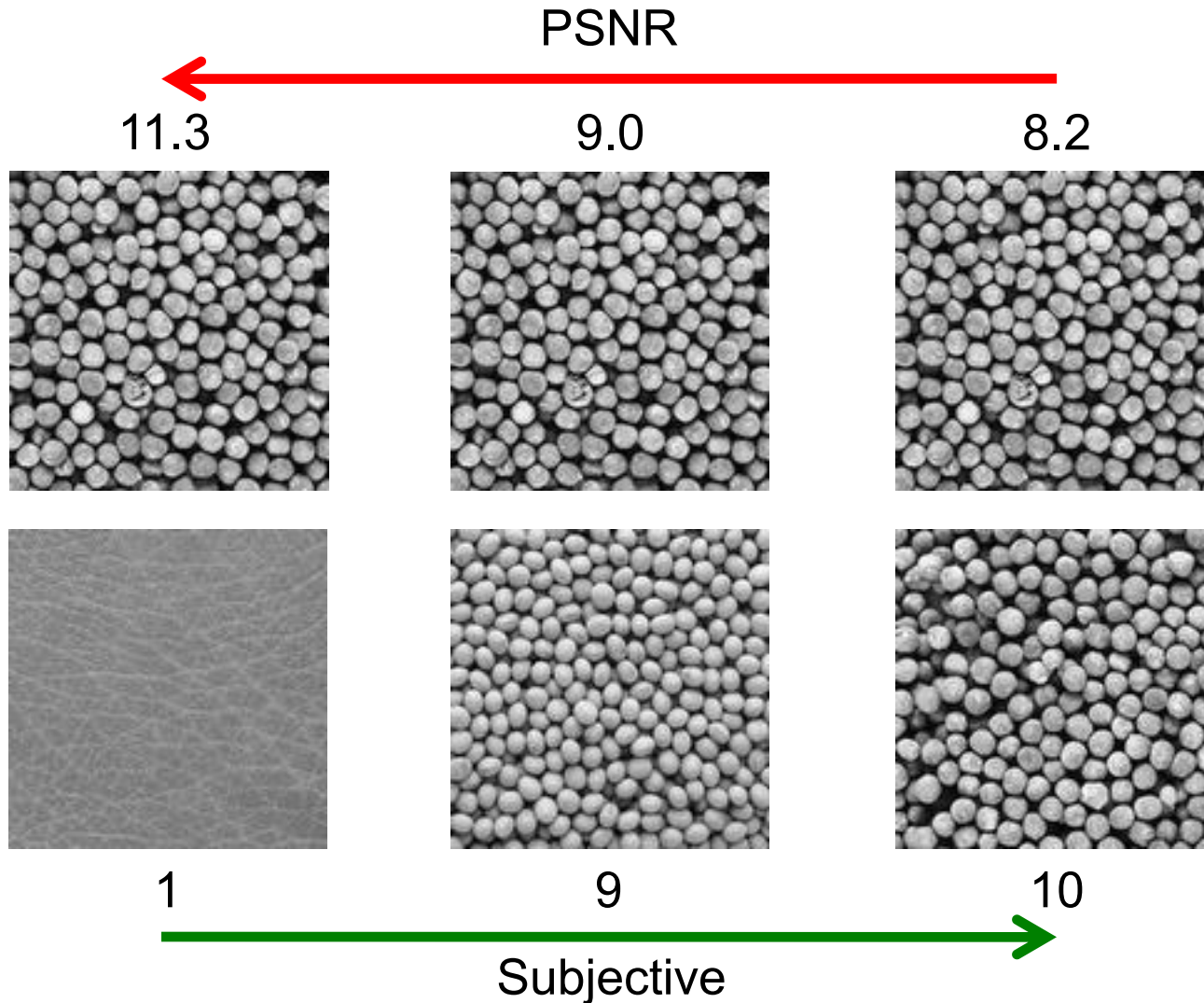
The darker the more similar

# **Huib de Ridder, Rene van Egmond**

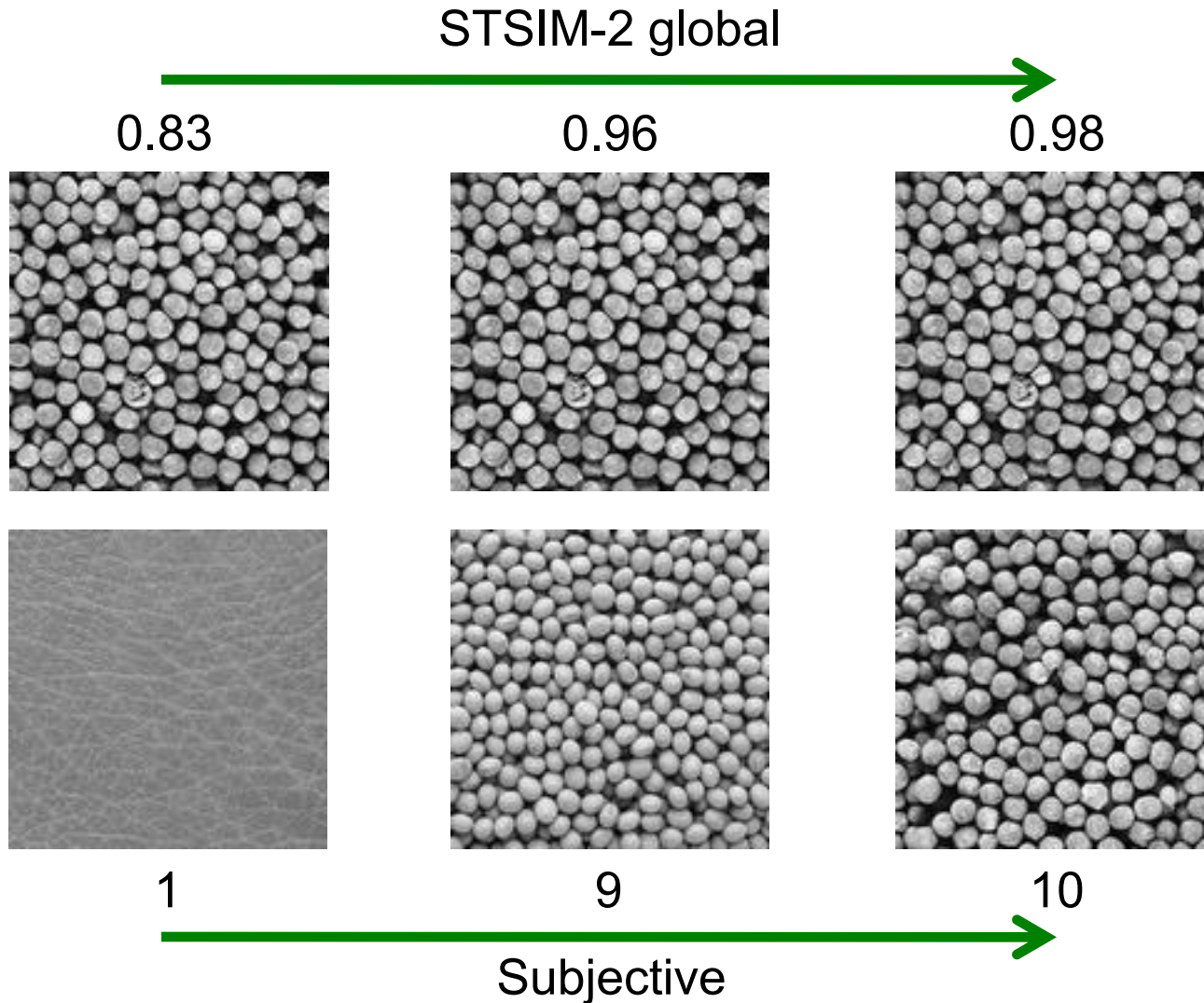
Faculty of Industrial Design Engineering  
Delft University of Technology



# Subjective vs. Objective Texture Similarity

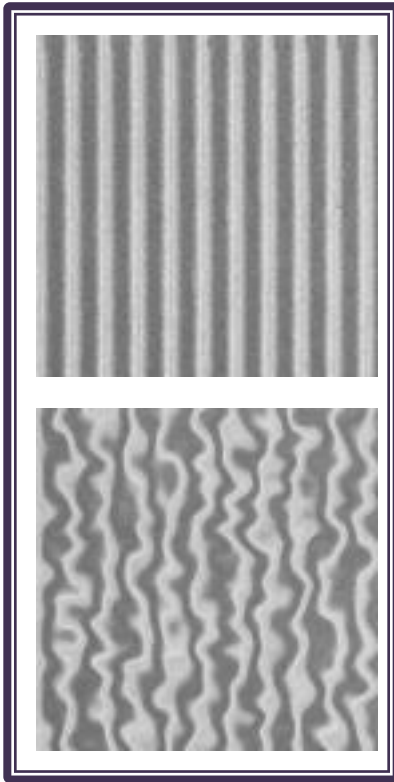


# Subjective vs. Objective Texture Similarity

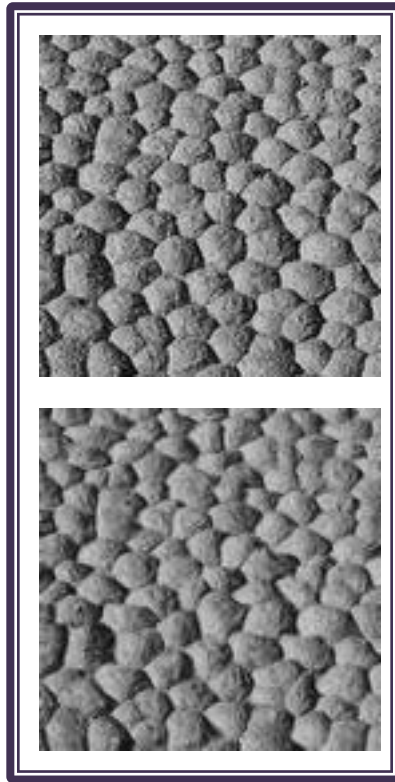


# Texture Similarity – PSNR?

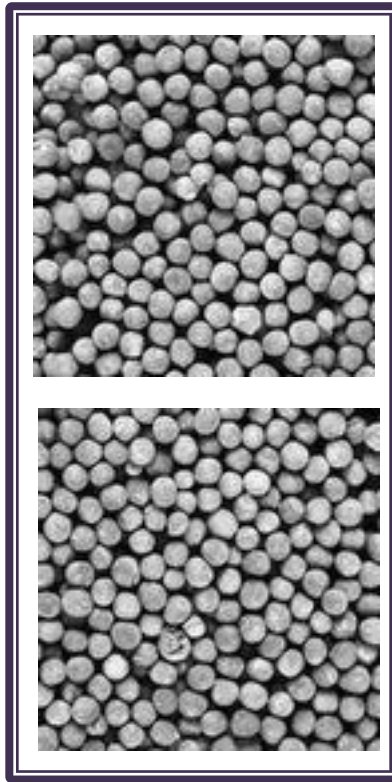
17.5



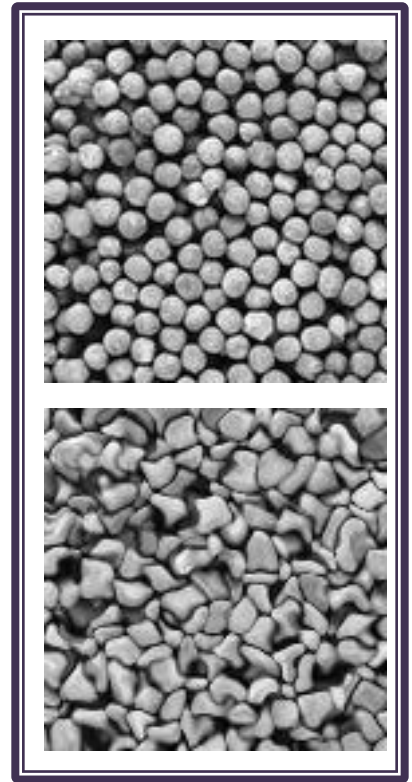
17.4



8.2



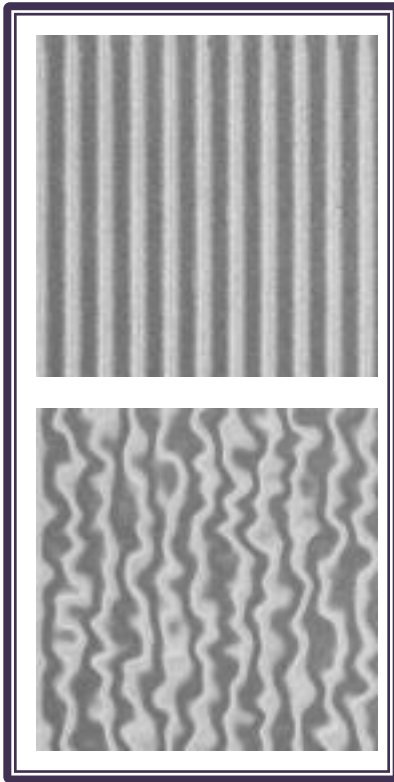
10.4



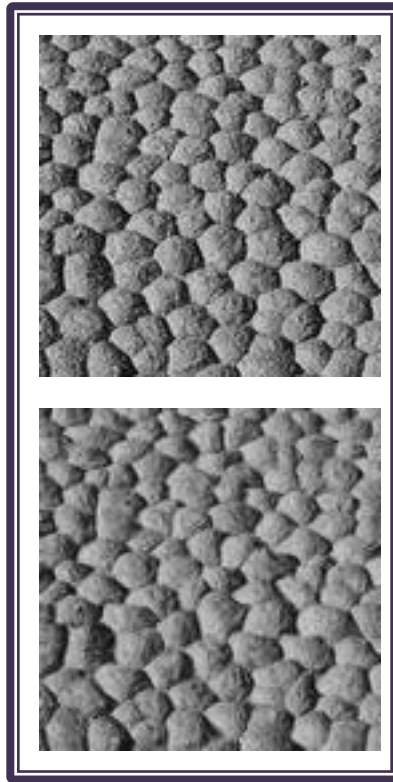


# Texture Similarity – STSIM-2 global

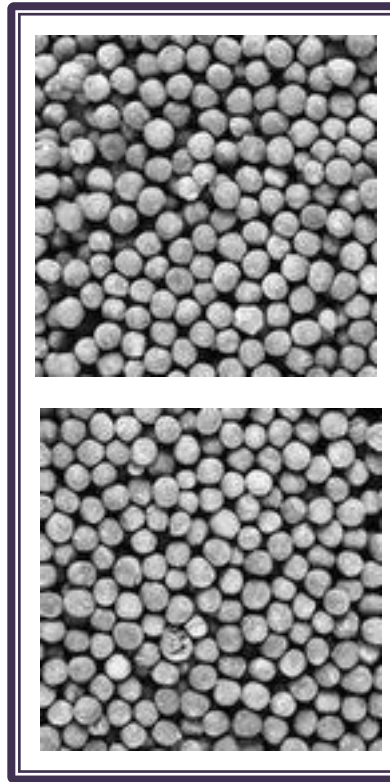
0.83



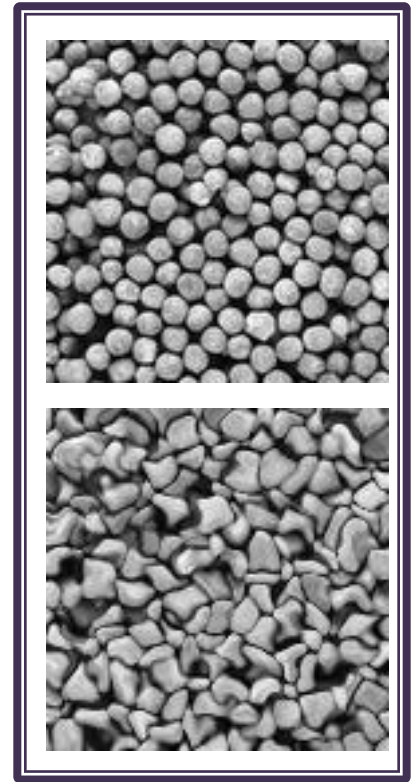
0.99



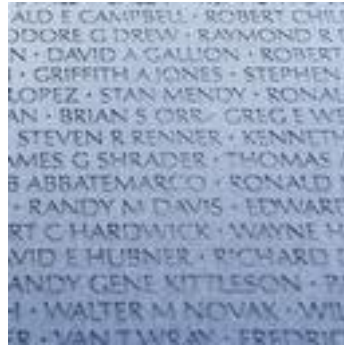
0.98



0.96



# Separating Grayscale and Color



- Different subjects put different emphasis on **structure** and **color composition** for texture similarity
- Separate metrics for grayscale and color [Zujovic, ICIP'09]
  - Use grayscale component to isolate/approximate structure
  - Structure in chrominance?
  - End user/application decides how to combine
- Can develop more effective metrics separately

# SSIMs – Grayscale

$$l(\mathbf{x}, \mathbf{y}) = \frac{2 \mu_x \mu_y + C_1}{\mu_x^2 + \mu_y^2 + C_1}$$

$$c(\mathbf{x}, \mathbf{y}) = \frac{2 \sigma_x \sigma_y + C_2}{\sigma_x^2 + \sigma_y^2 + C_2}$$

- Compare local image statistics

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$$s(\mathbf{x}, \mathbf{y}) = \frac{\sigma_{xy} + C_3}{\sigma_x \sigma_y + C_3},$$

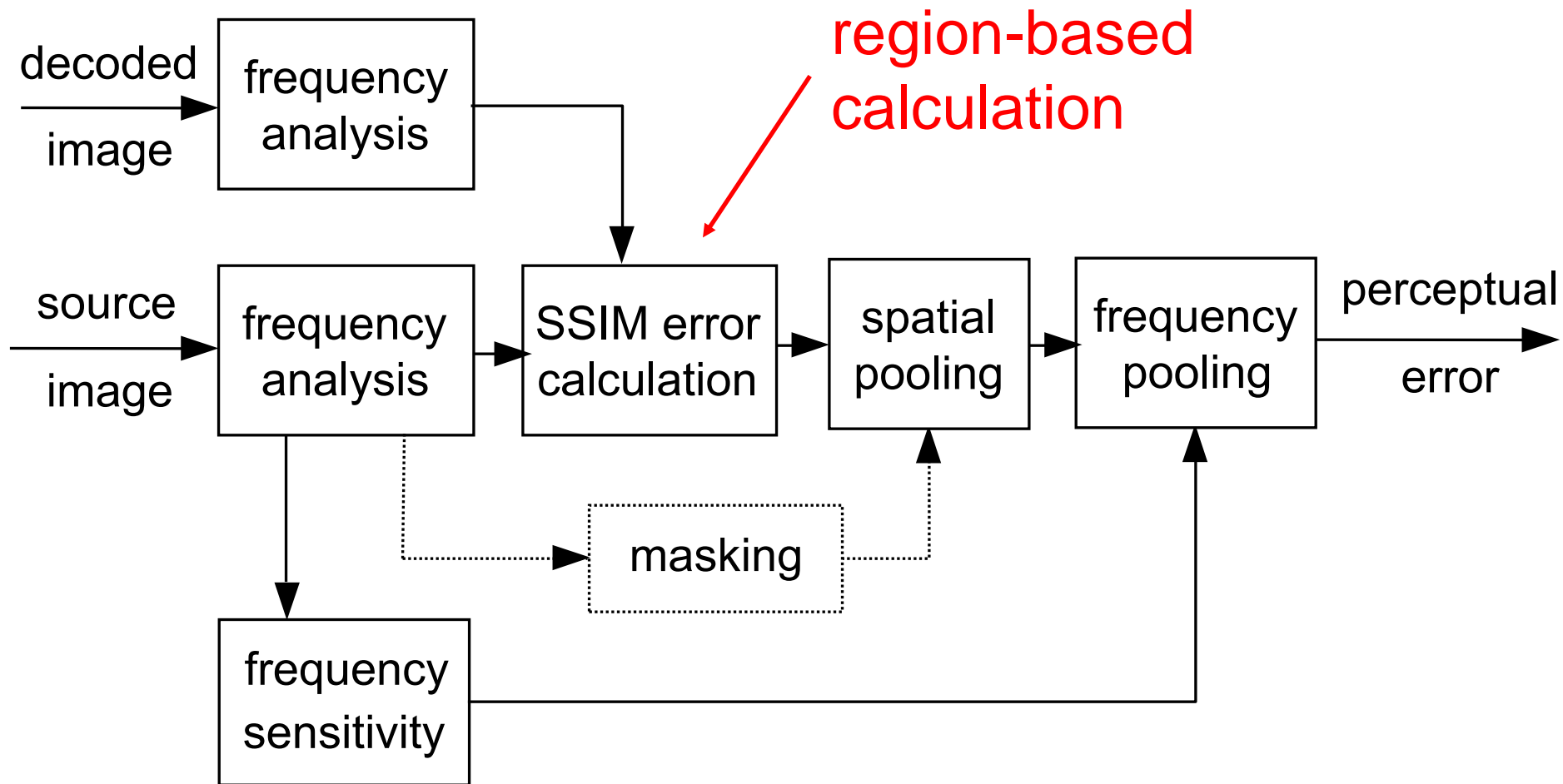
- Point-by-point

$$\text{SSIM}(\mathbf{x}, \mathbf{y}) = [l(\mathbf{x}, \mathbf{y})]^\alpha \cdot [c(\mathbf{x}, \mathbf{y})]^\beta \cdot [s(\mathbf{x}, \mathbf{y})]^\gamma$$

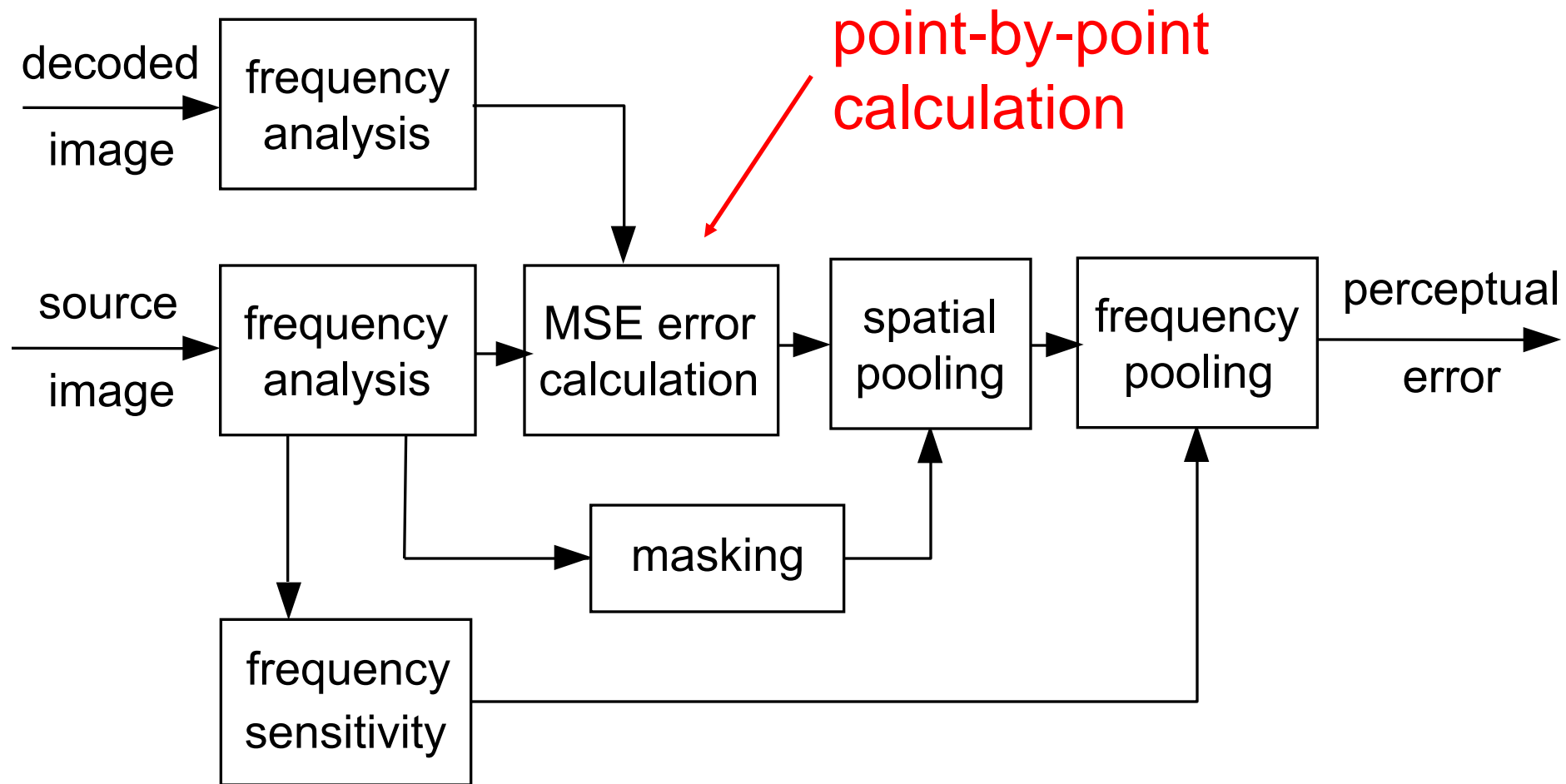
Based on papers by Z. Wang, A.C. Bovik, H.R. Sheikh, and E.P. Simoncelli



# CW-SSIM (Perceptually-Weighted)



# Perceptual Quality Metrics



# SSIMs – Grayscale

$$l(\mathbf{x}, \mathbf{y}) = \frac{2 \mu_x \mu_y + C_1}{\mu_x^2 + \mu_y^2 + C_1}$$

$$c(\mathbf{x}, \mathbf{y}) = \frac{2 \sigma_x \sigma_y + C_2}{\sigma_x^2 + \sigma_y^2 + C_2}$$

- Compare local image statistics

---

$$s(\mathbf{x}, \mathbf{y}) = \frac{\sigma_{xy} + C_3}{\sigma_x \sigma_y + C_3},$$

- Point-by-point

$$\text{SSIM}(\mathbf{x}, \mathbf{y}) = [l(\mathbf{x}, \mathbf{y})]^\alpha \cdot [c(\mathbf{x}, \mathbf{y})]^\beta \cdot [s(\mathbf{x}, \mathbf{y})]^\gamma$$

Based on papers by Z. Wang, A.C. Bovik, H.R. Sheikh, and E.P. Simoncelli



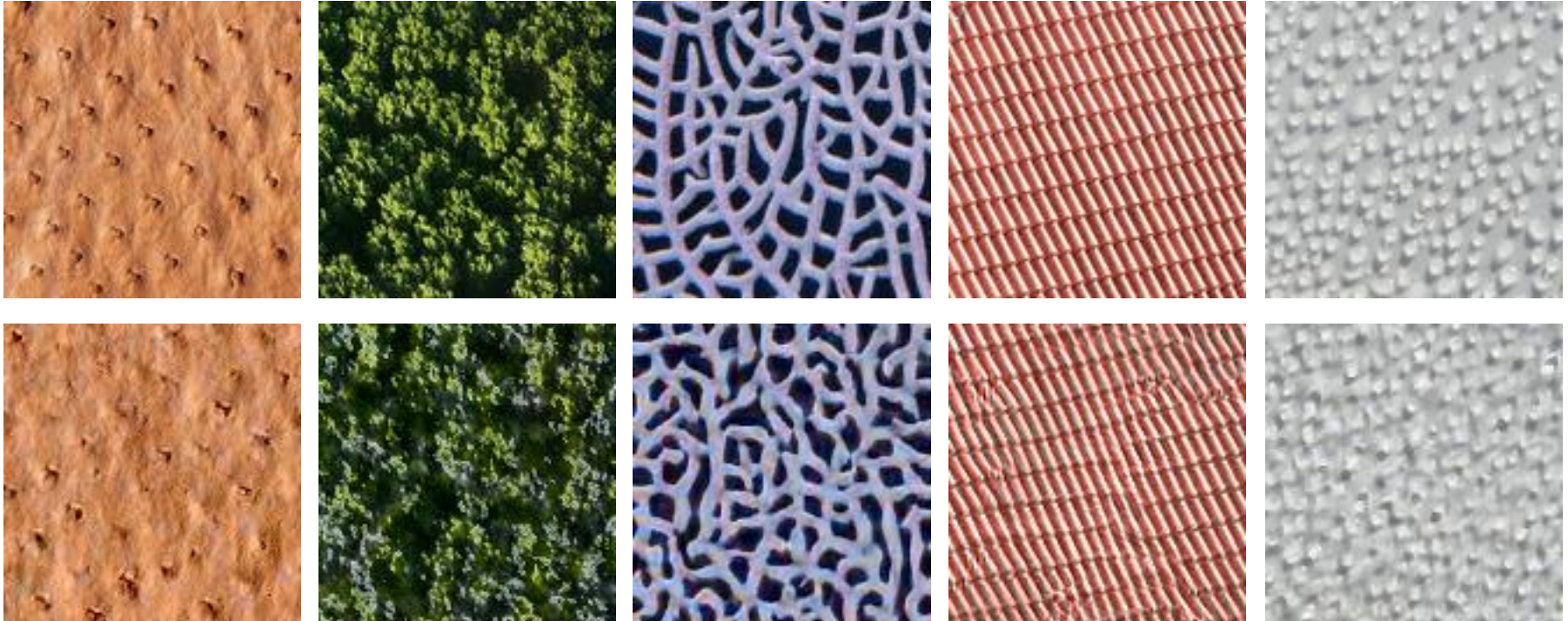
# Structural Texture Similarity Metrics

## Grayscale

- No point-by-point comparisons
  - Drop structure term
- Local image statistics
  - Mean and variance
  - First order correlation coefficients
  - Crossband correlations
- Texture synthesis [Portilla&Simoncelli'00]

J. Zujovic, T.N. Pappas, D.N. Neuhoﬀ, T-IP'13

# Portilla and Simoncelli'00



- Universal parametric statistical model
- Necessary and sufficient parameters

# STSIM-2: Subband Statistics

- To compare images  $\mathbf{X}$  and  $\mathbf{y}$ :
- For each subband  $\mathbf{x}^k$  and  $\mathbf{y}^k$  find:
- Means  $\mu_x^k, \mu_y^k$  and standard deviations  $\sigma_x^k, \sigma_y^k$
- Horizontal autocorrelations

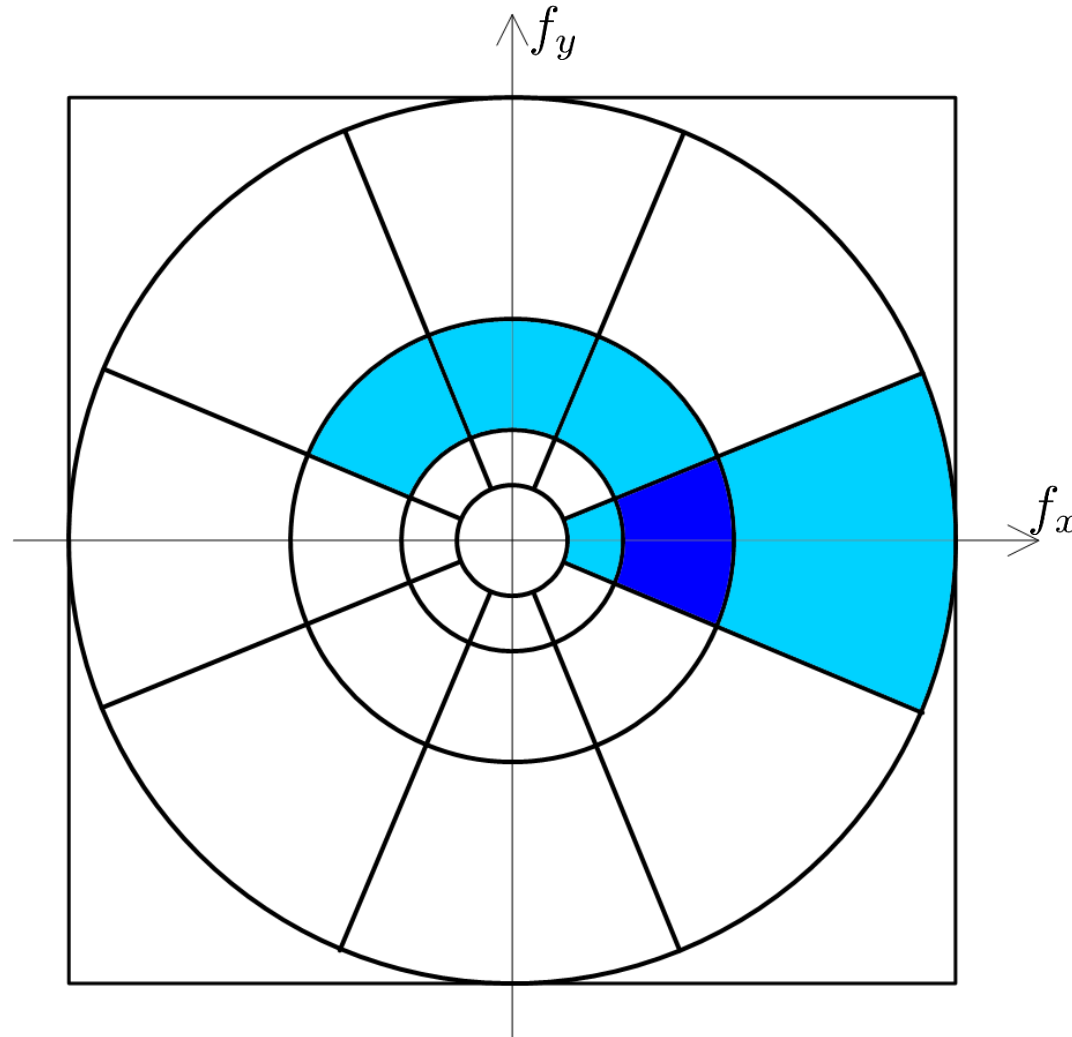
$$\rho_x^k(0, 1) = \frac{E\{(x_{i,j}^k - \mu_x^k)(x_{i,j+1}^k - \mu_x^k)\}}{(\sigma_x^k)^2}, \rho_y^k(0, 1)$$

- Vertical autocorrelations  $\rho_x^k(1, 0), \rho_y^k(1, 0)$
- Crossband correlations

$$\rho_{|x|}^{k,l}(0, 0) = \frac{E\{(|x_{i,j}^k| - \mu_{|x|}^k)(|x_{i,j}^l| - \mu_{|x|}^l)\}}{\sigma_{|x|}^k \sigma_{|x|}^l}, \rho_{|y|}^{k,l}(0, 0)$$

J. Zujovic, T.N. Pappas, D.N. Neuhoﬀ, T-IP'13

# STSIM-2: Crossband Correlations





# STSIM-2: Comparing Statistics

$$l_{\mathbf{x},\mathbf{y}}^k = \frac{2\mu_{\mathbf{x}}^k\mu_{\mathbf{y}}^k + C_0}{(\mu_{\mathbf{x}}^k)^2 + (\mu_{\mathbf{y}}^k)^2 + C_0} \quad c_{\mathbf{x},\mathbf{y}}^k = \frac{2\sigma_{\mathbf{x}}^k\sigma_{\mathbf{y}}^k + C_1}{(\sigma_{\mathbf{x}}^k)^2 + (\sigma_{\mathbf{y}}^k)^2 + C_1}$$

$$c_{\mathbf{x},\mathbf{y}}^k(0, 1) = 1 - 0.5|\rho_{\mathbf{x}}^k(0, 1) - \rho_{\mathbf{y}}^k(0, 1)|$$

$$c_{\mathbf{x},\mathbf{y}}^k(1, 0) = 1 - 0.5|\rho_{\mathbf{x}}^k(1, 0) - \rho_{\mathbf{y}}^k(1, 0)|$$

$$c_{\mathbf{x},\mathbf{y}}^{k,l}(0, 0) = 1 - 0.5|\rho_{|\mathbf{x}|}^{k,l}(0, 0) - \rho_{|\mathbf{y}|}^{k,l}(0, 0)|$$

J. Zujovic, T.N. Pappas, D.N. Neuhoﬀ, T-IP'13

# STSIM-2: Pooling

$$q_{\text{STSIM-1}}^k(\mathbf{x}, \mathbf{y}) = (l_{\mathbf{x}, \mathbf{y}}^k)^{\frac{1}{4}} (c_{\mathbf{x}, \mathbf{y}}^k)^{\frac{1}{4}} (c_{\mathbf{x}, \mathbf{y}}^k(0, 1))^{\frac{1}{4}} (c_{\mathbf{x}, \mathbf{y}}^k(1, 0))^{\frac{1}{4}}$$

$$q_{\text{STSIM-2}}(\mathbf{x}, \mathbf{y}) = \frac{1}{N + N_C} \left( \sum_{k=1}^N q_{\text{STSIM-1}}^k(\mathbf{x}, \mathbf{y}) + \sum_{i=1}^{N_C} c_{\mathbf{x}, \mathbf{y}}^{k_i, l_i}(0, 0) \right)$$

J. Zujovic, T.N. Pappas, D.N. Neuhoff, T-IP'13

# STSIM: Mahalanobis distance

- For each image, form **feature vector** consisting of all statistics for all subbands, including cross-correlations:

$$F_{\mathbf{X}} = (f_{1,x}, f_{2,x}, \dots, f_{M,x}), \quad F_{\mathbf{Y}} = (f_{1,y}, f_{2,y}, \dots, f_{M,y}), \quad M = 82$$

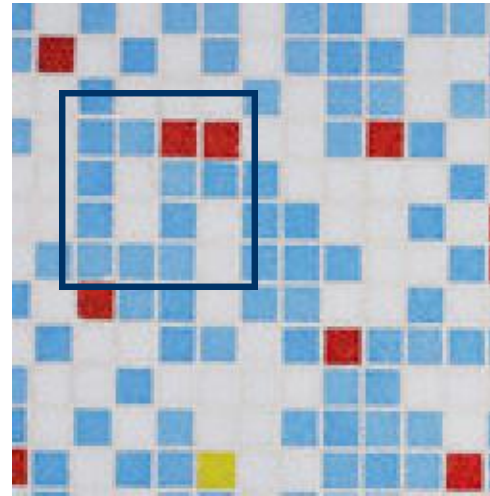
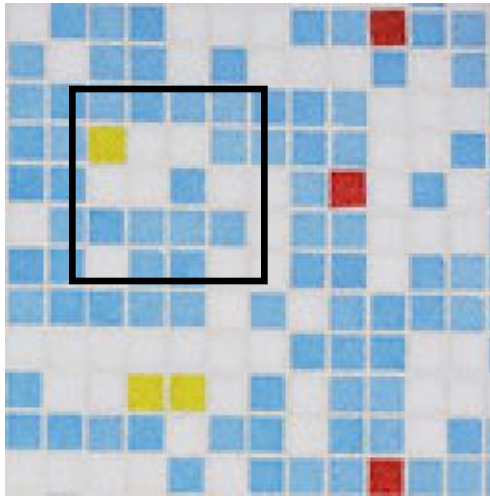
- Compute Mahalanobis distance

$$Q_{\text{STSIM-M}}(x, y) = \sqrt{\frac{\sum_{i=1}^M (f_{ix} - f_{iy})^2}{S_{fi}^2}} = f_x^T M f_y$$

where  $\sigma_{fi}^2$  is the (overall or intra-class) variance of  $i^{\text{th}}$  statistic across all images in the database.

J. Zujovic, T.N. Pappas, D.N. Neuhoff, T-IP'13  
M. Maggioni, G. Jin, A. Foi, T.N. Pappas, ICIP'14

# Local versus Global



# Color Composition Similarity

- Traditional methods
  - Raw color histogram comparisons
- Our approach
  - Remove unnecessary color detail
    - Extract dominant colors
    - Using adaptive clustering [Pappas'92]
  - Use more sophisticated distance metric
    - EMD [Rubner'00], OCCD [Mojsilovic'02]
  - Use “perceptually uniform” color space ( $L^*a^*b^*$ )

Zujovic, Pappas, Neuhoﬀ, ICIP'09



# Color Composition Similarity



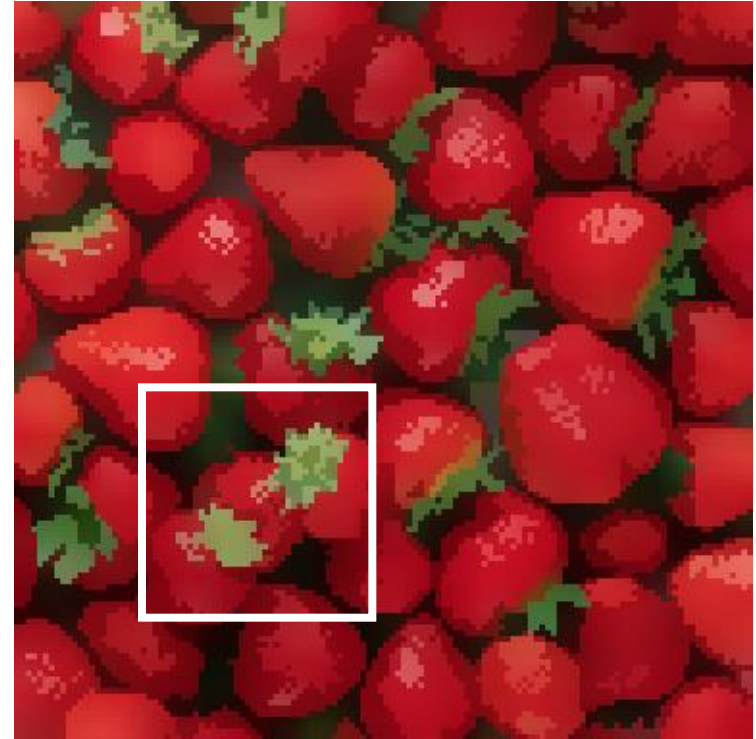
Original images

# Color Composition Similarity



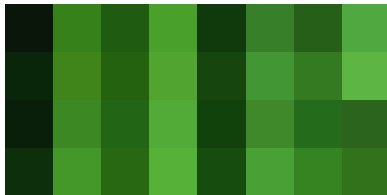
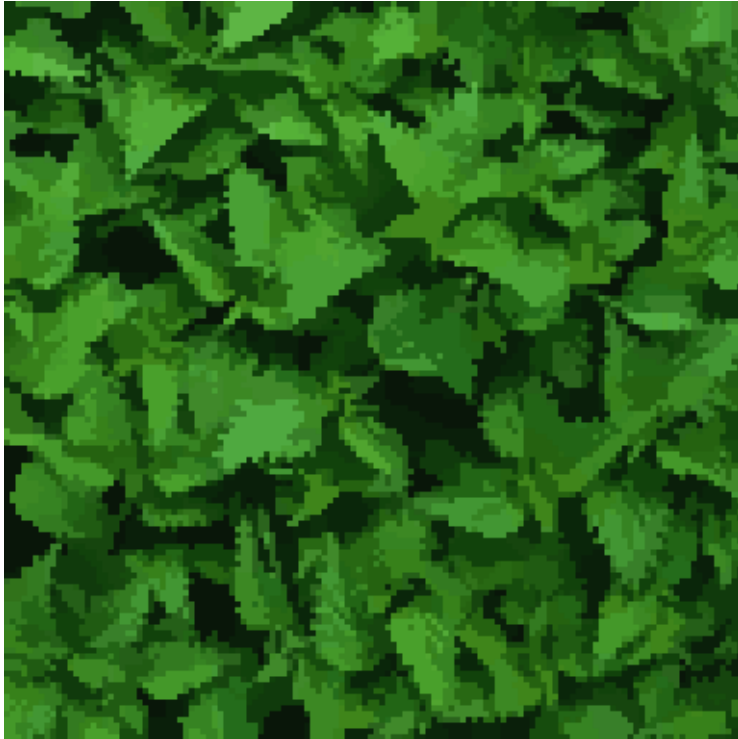
ACA Local Averages

# Color Composition Similarity

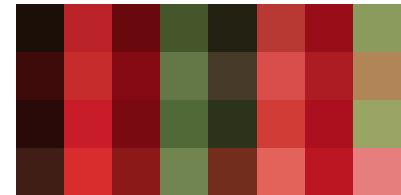


ACA Local Averages

# Color Composition Similarity



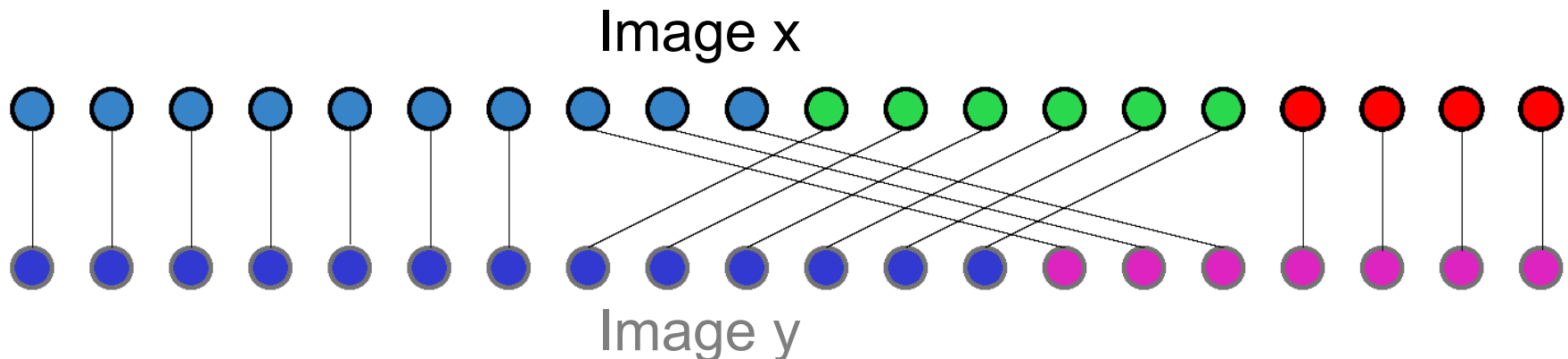
ACA Local Averages  
plus K-means





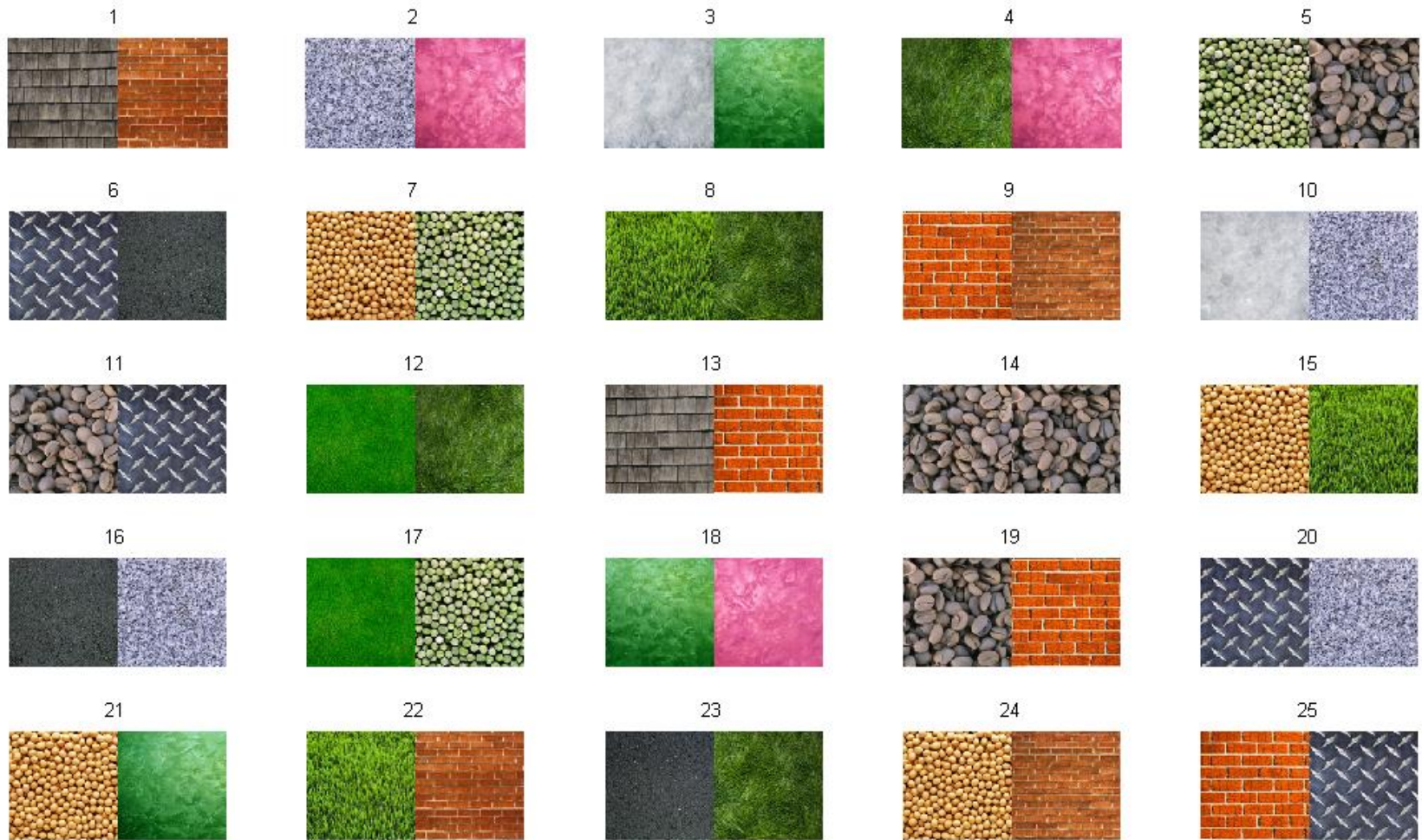
# Optimal Color Composition Distance

- Minimum cost graph matching problem
- Quantize percentages of colors into “units”
- Example: 5% units = 20 units total



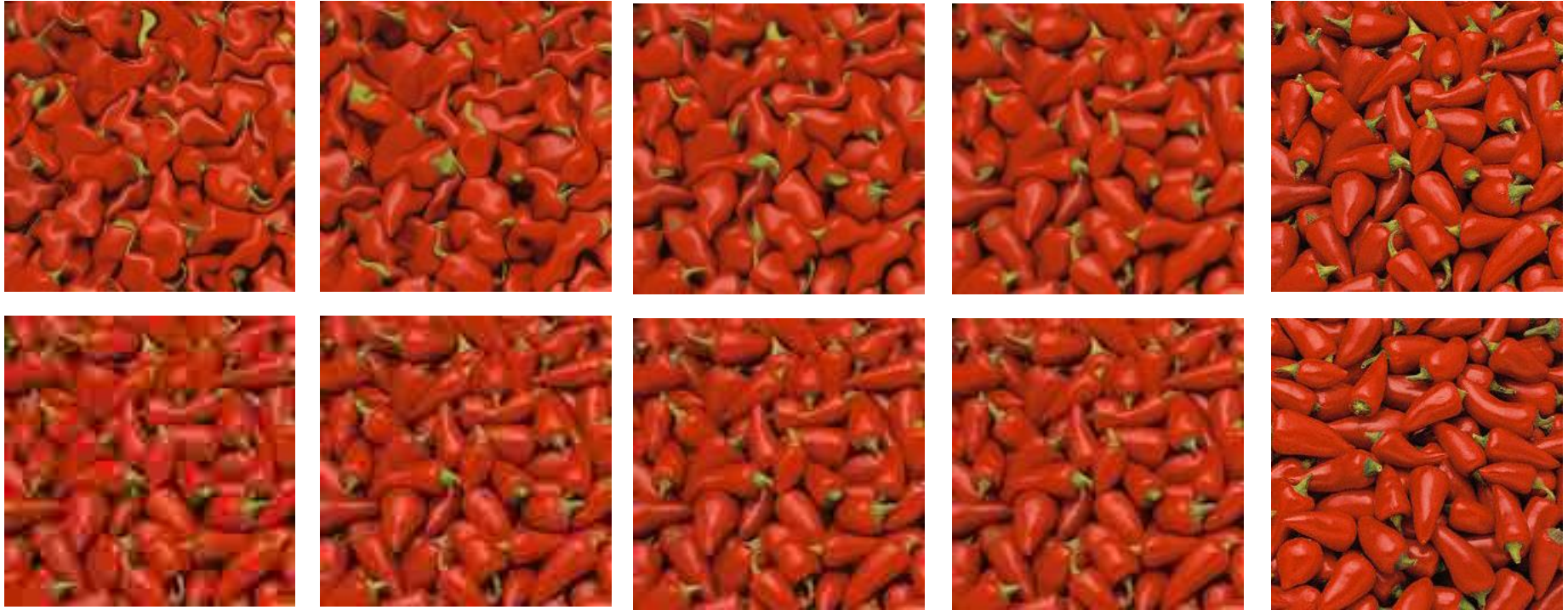


# Texture Similarity Metric Evaluation



Poor agreement among subjects ( $ICC = 0.66$ ) – Rank correlation?

# Testing Domains for Texture Similarity



monotonic distortion

identical



# Testing Domains for Texture Similarity



dissimilar

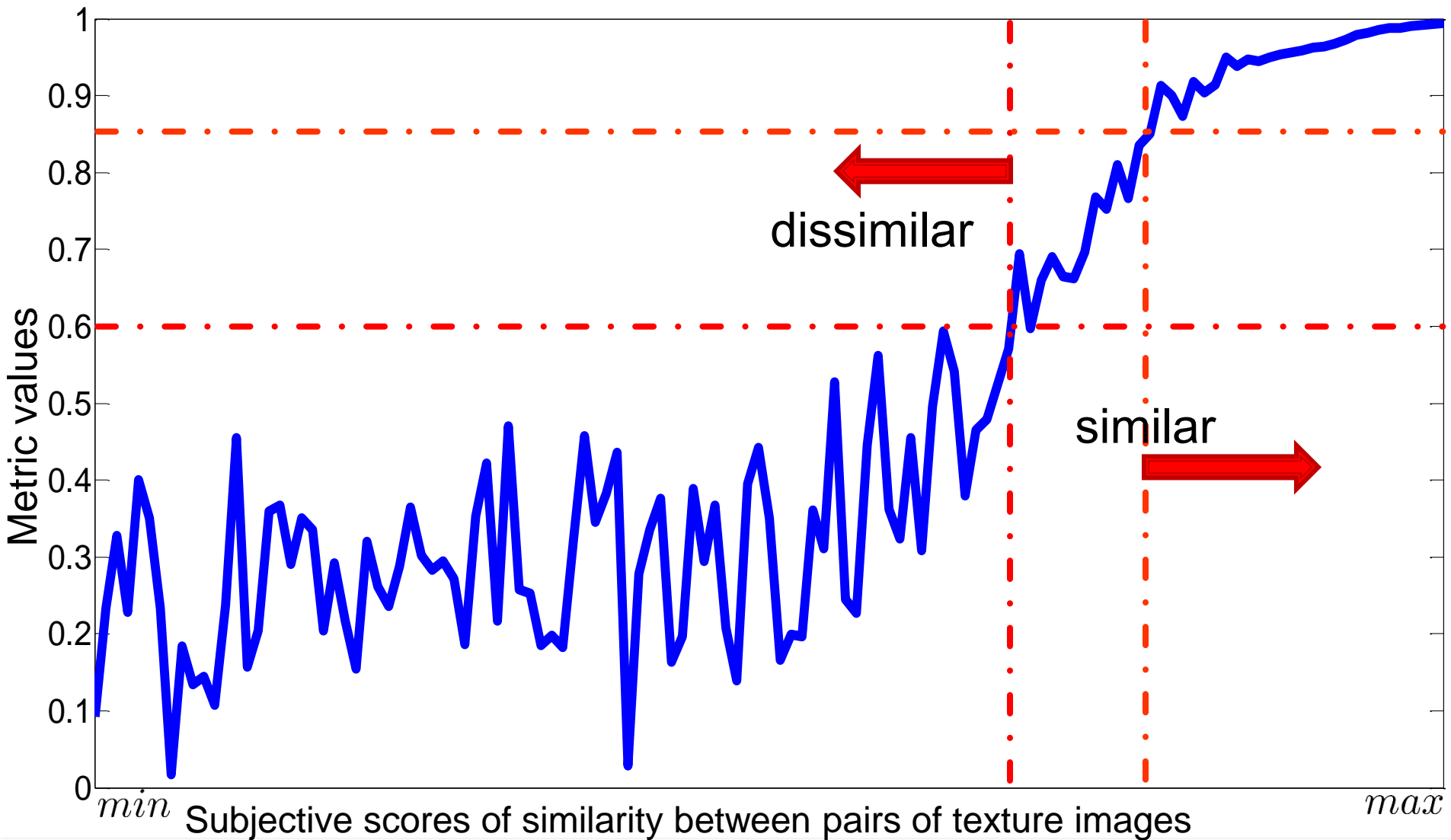
similar

identical

# Testing Domains for Texture Similarity

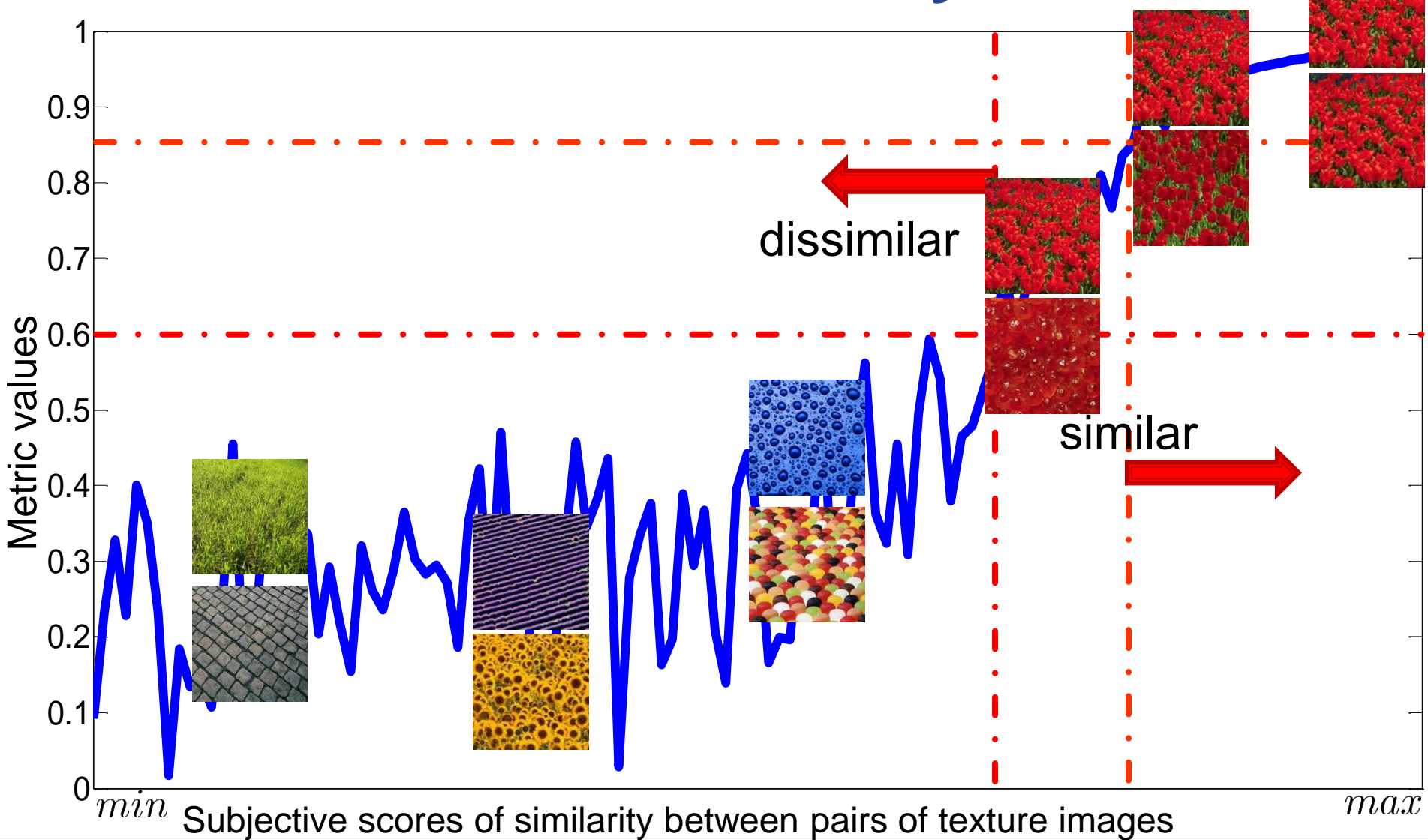
- Limitations/Capabilities of Human Perception
- Application Requirements
- Testing Domains
  - Quantify (perceptually) small amounts of distortion
  - Similar vs. dissimilar
  - Retrieval of “identical” textures
- Absolute scale/threshold?

# Desired Texture Similarity Metric

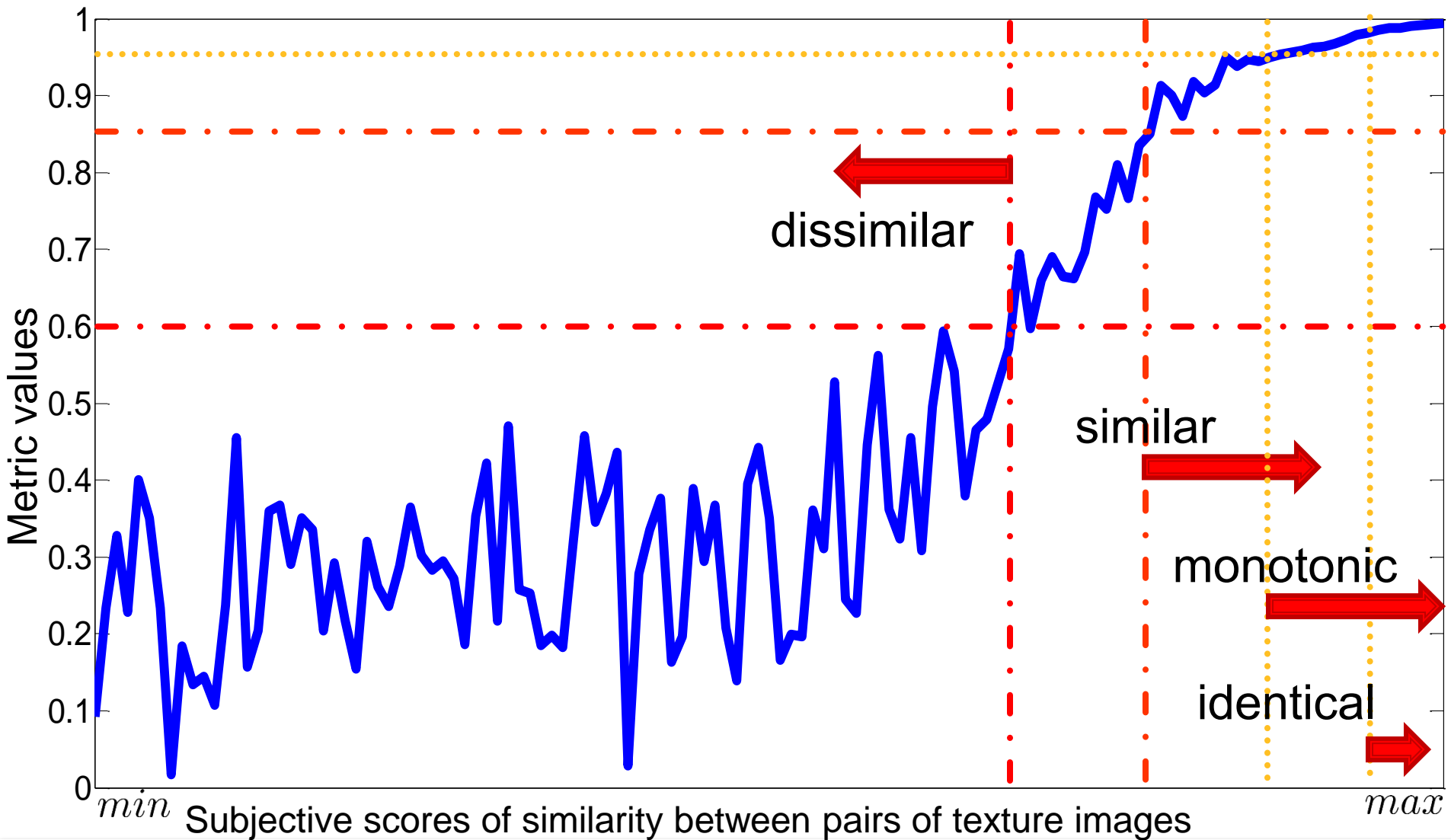




# Desired Texture Similarity Metric

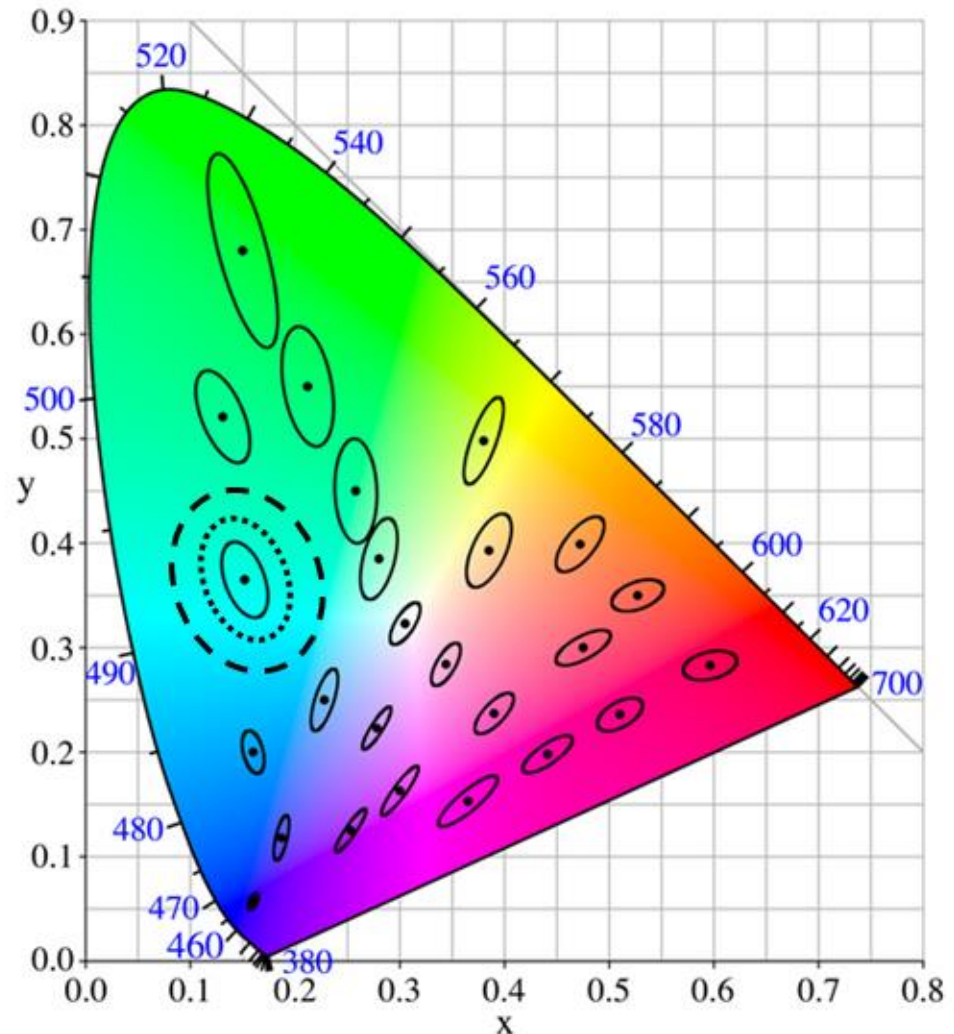


# Desired Texture Similarity Metric



# Color Analogy: MacAdam Ellipses

- Color:
  - JNDs
  - Cannot quantify large perceptual distances
- Texture:
  - JNDs can be obtained by existing perceptual quality metrics (solid)
  - “Ellipses” of similar textures (dashed)
  - “Ellipses” of identical textures (dotted)

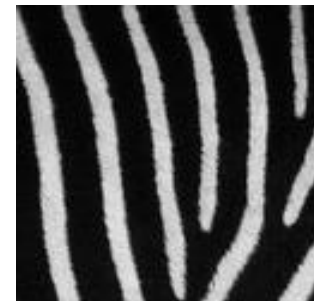
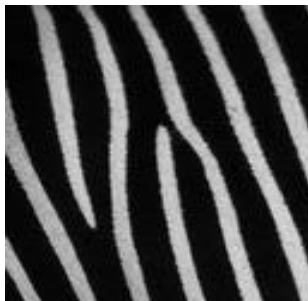
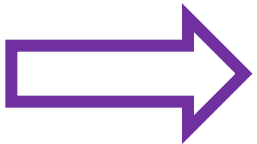
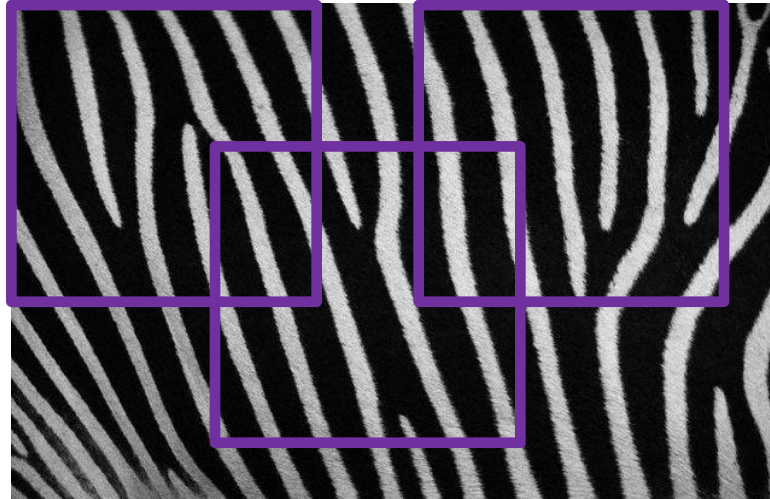


# Testing Domains for Texture Similarity

- Different domains require
  - Different metric evaluation criteria
  - Different subjective and objective tests
  - Different texture similarity metrics?
- Retrieval of “identical” textures
  - Known-item search
- Similar vs. dissimilar textures
- Quantify (perceptually) small amounts of distortion

J. Zujovic, T.N. Pappas, D.N. Neuhoﬀ, H. de Ridder, R. van Egmond JOSAA'15

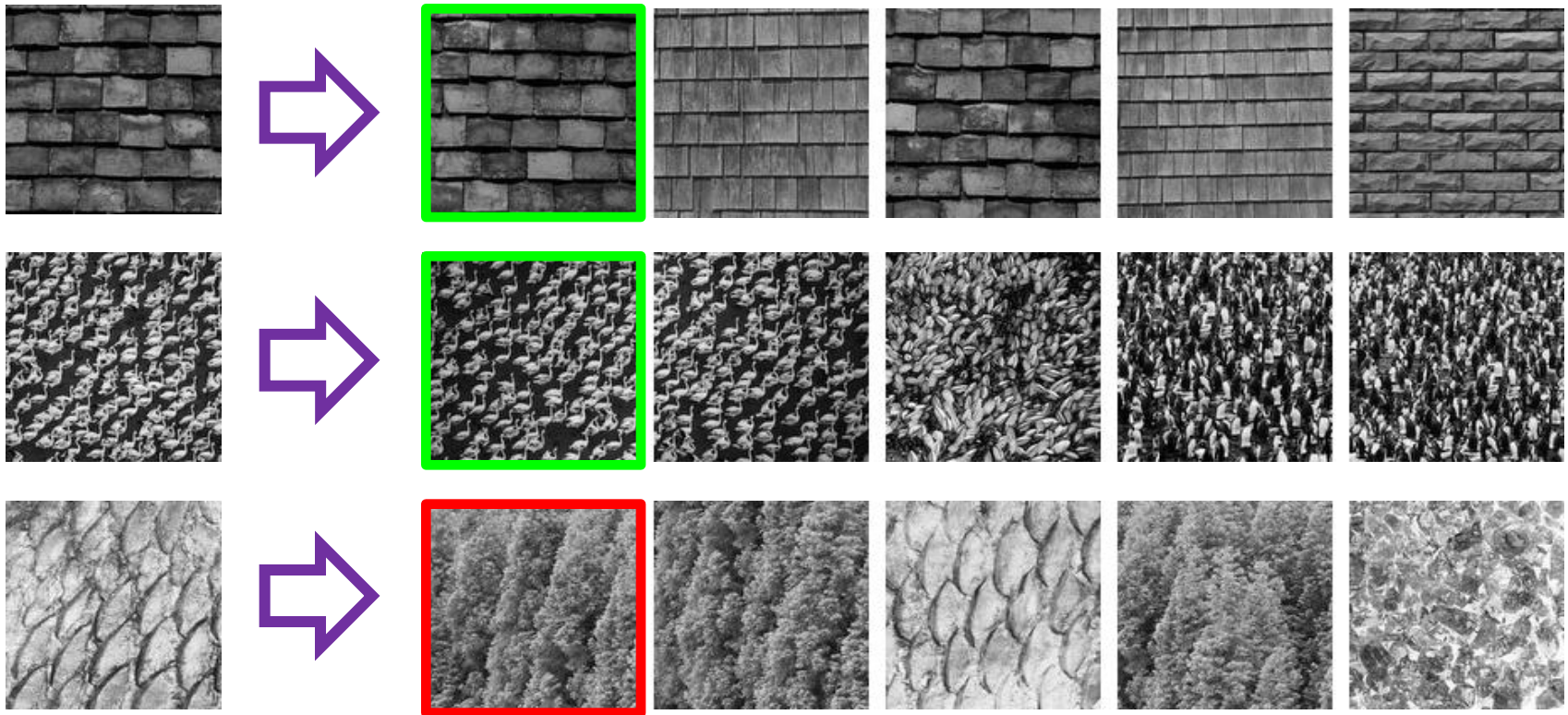
# Building The Database





# Precision at One

- Measures how many times the first retrieved texture was the correct one

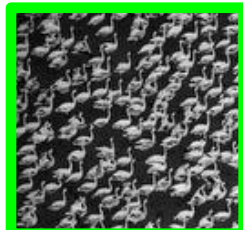


# Mean Reciprocal Rank (MRR)

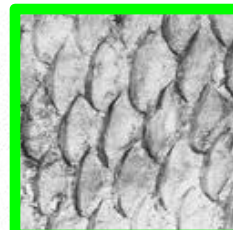
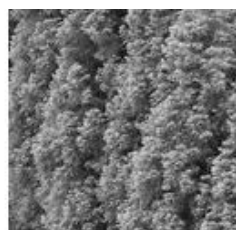
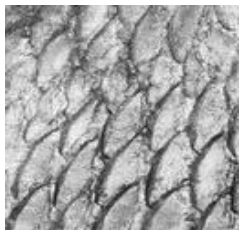
- Measures the average inverse rank of the first correct retrieved image



...  $RR = 1$



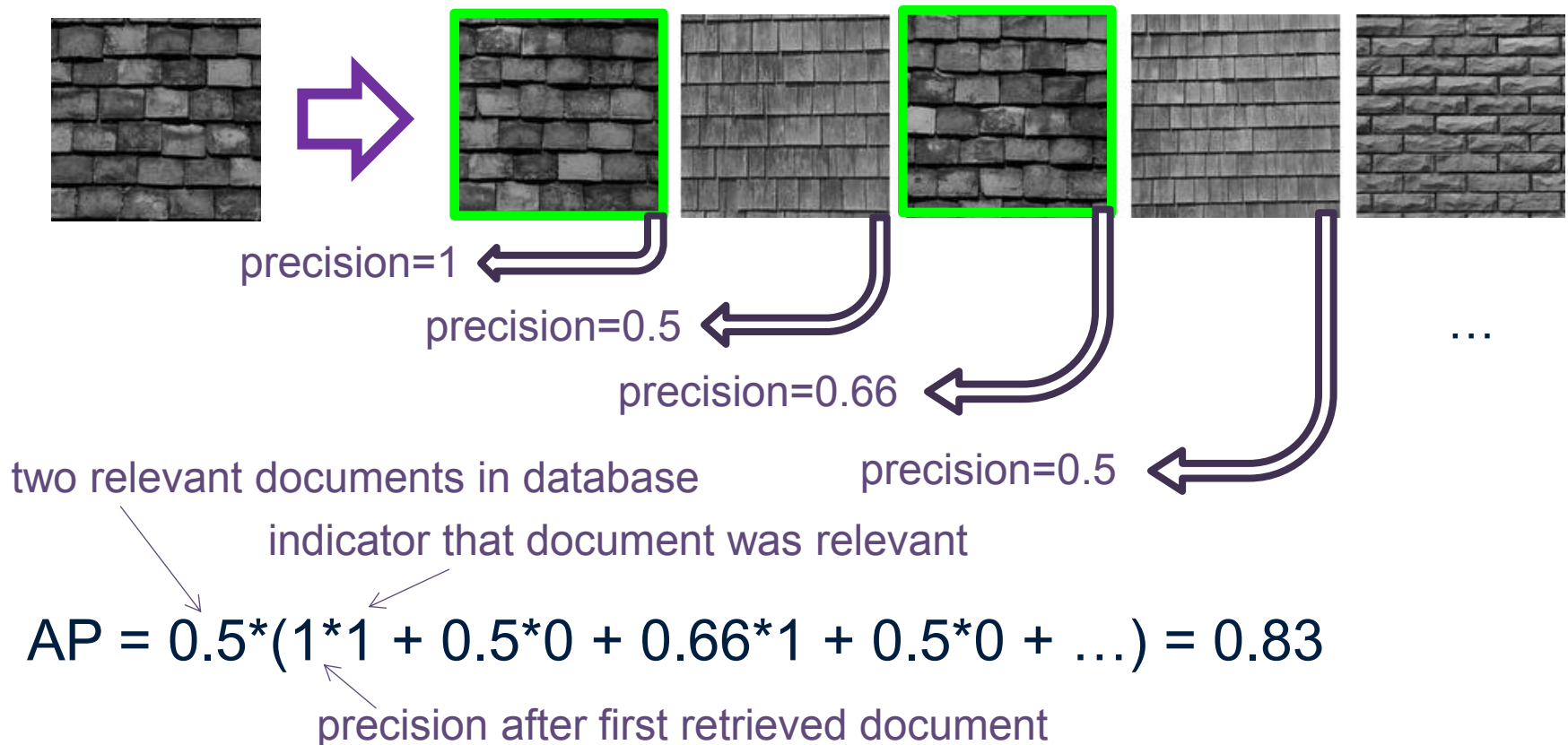
...  $RR = 1$



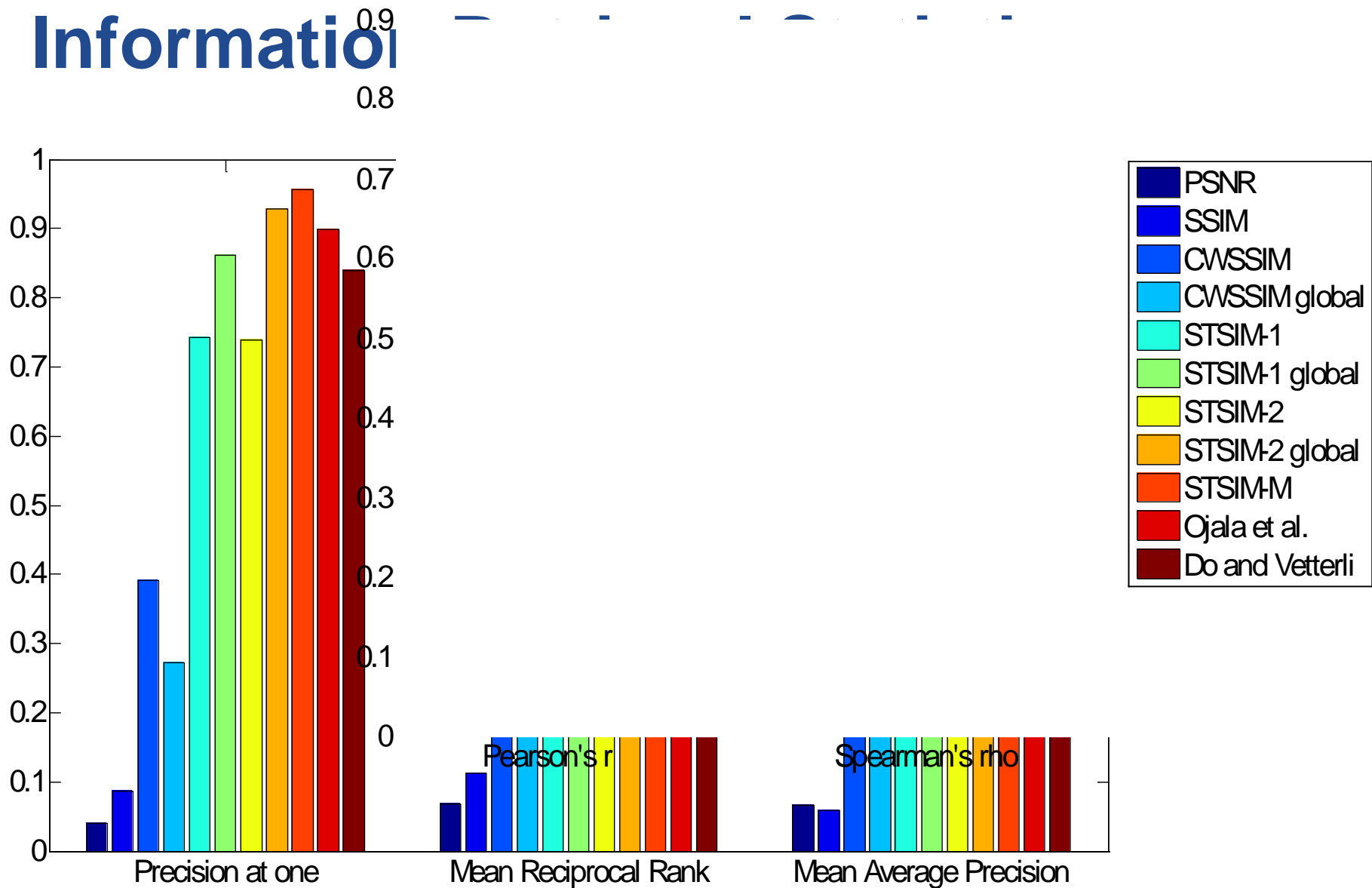
...  $RR = 0.33$

# Mean Average Precision (MAP)

- Measures average precision when cutoff is made at 1<sup>st</sup>, 2<sup>nd</sup>, ..., N<sup>th</sup> retrieved image

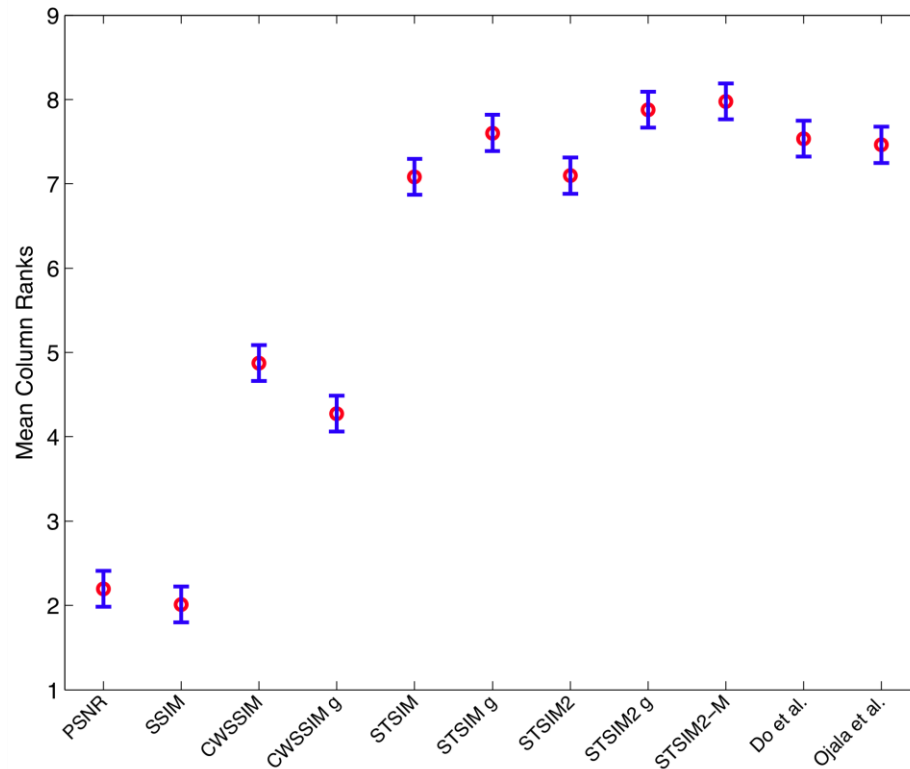


# Information

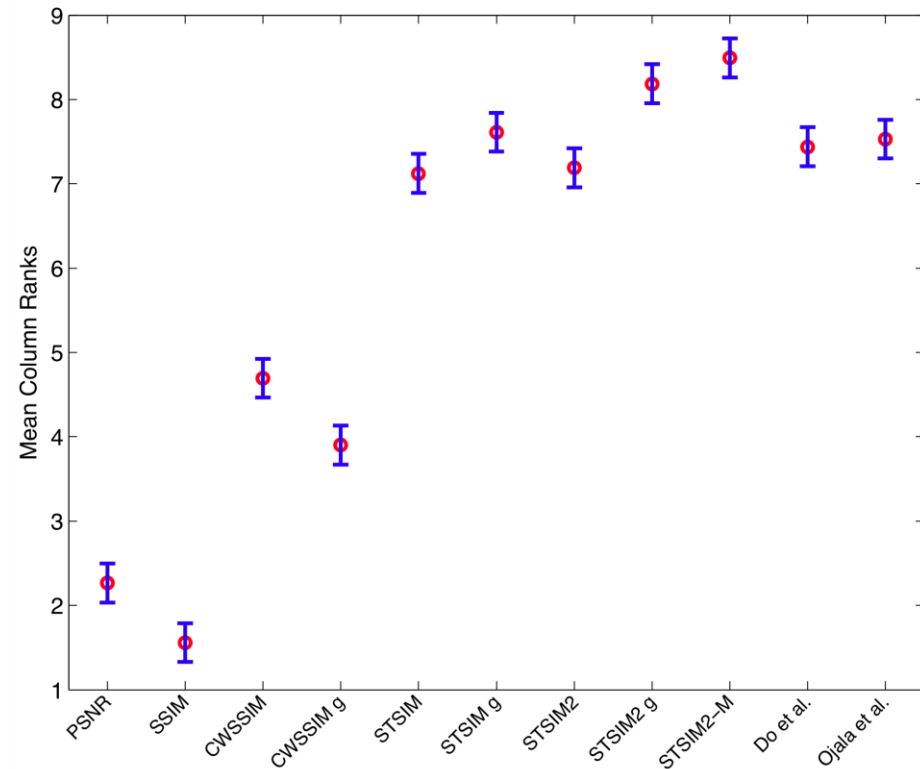


# Statistical Validation

TK-HSD of Friedman's Test on MRR



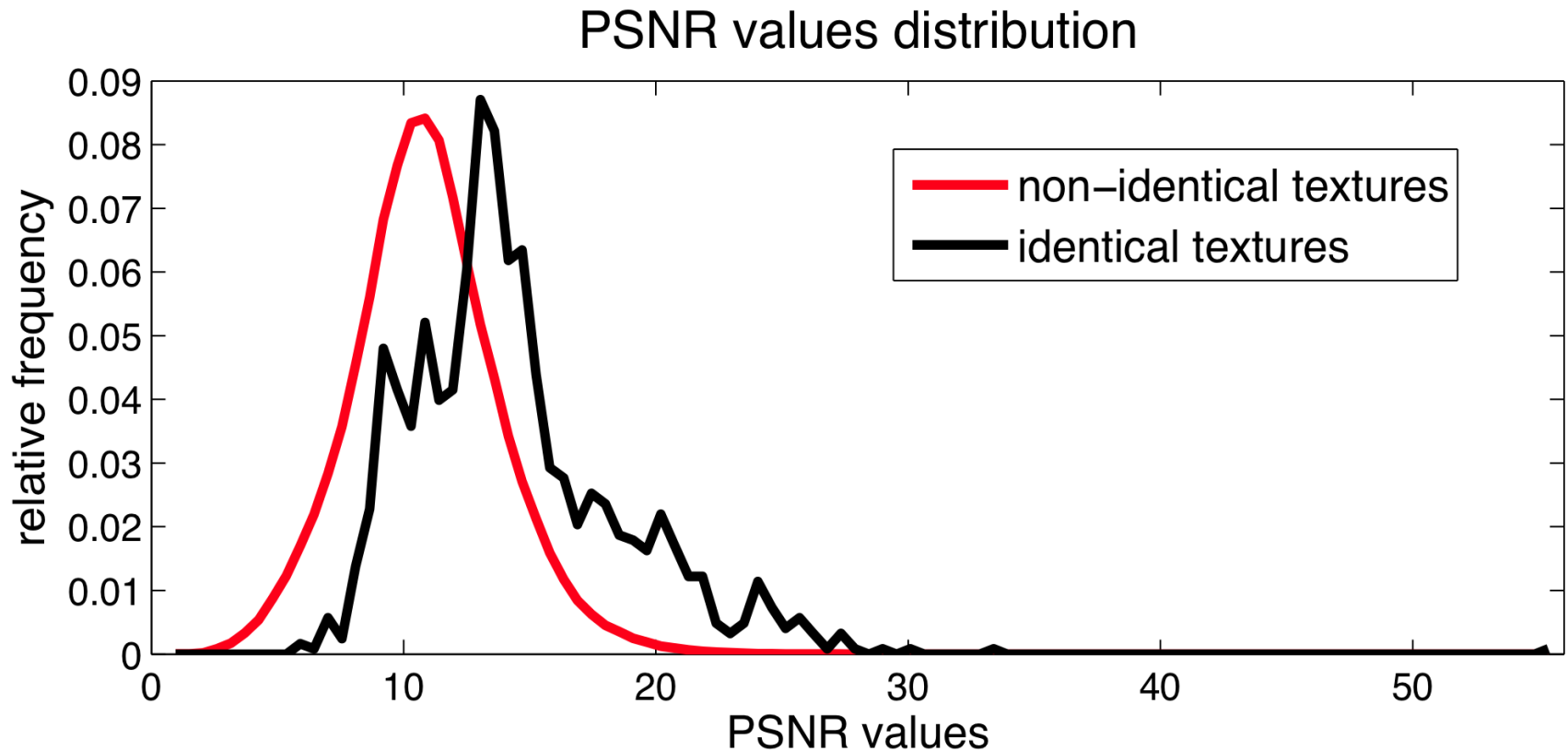
TK-HSD of Friedman's Test on MAP



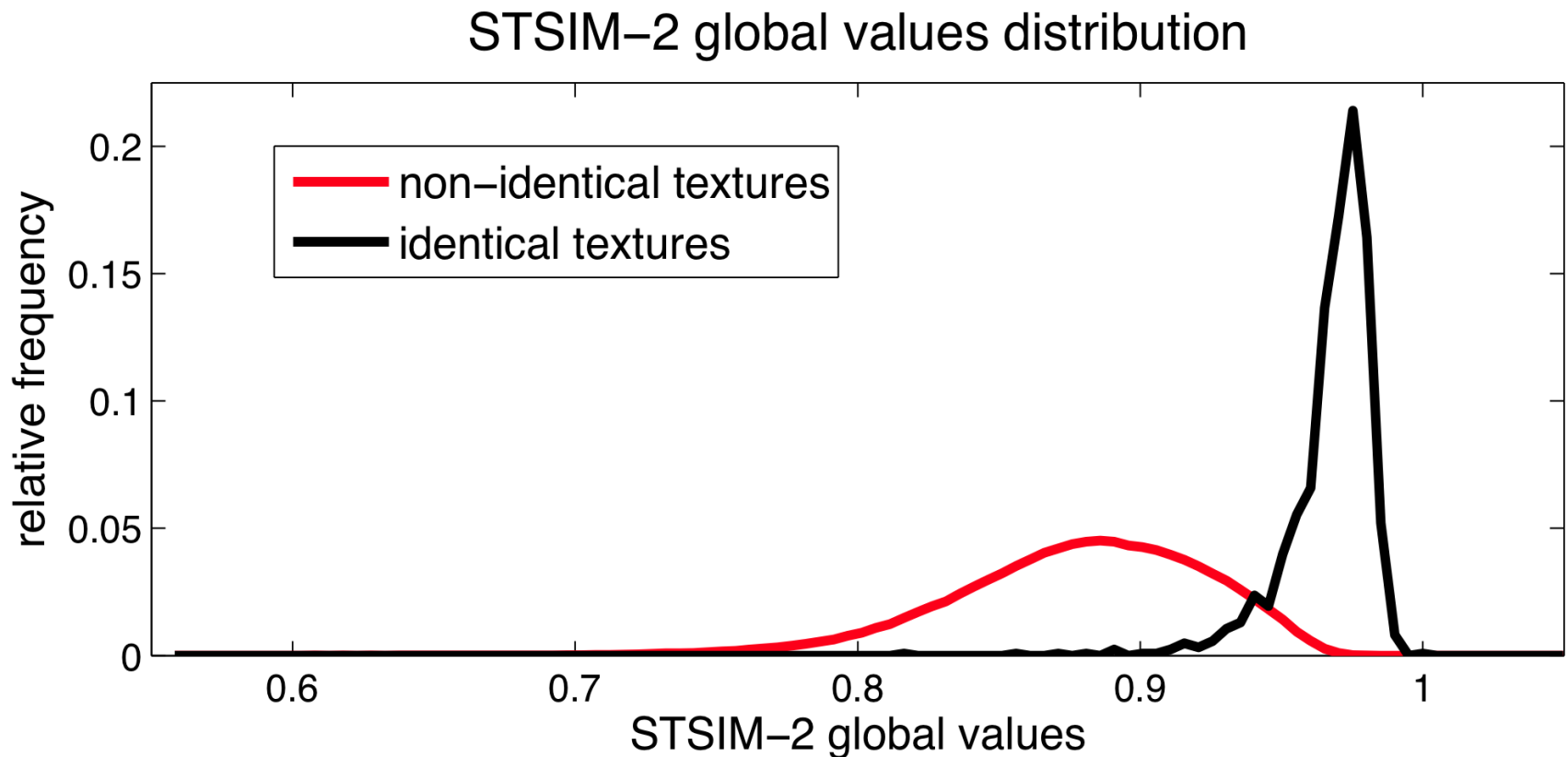
- P@1: Cochran's Q test
  - Applied to each pair of metrics to determine statistical significance



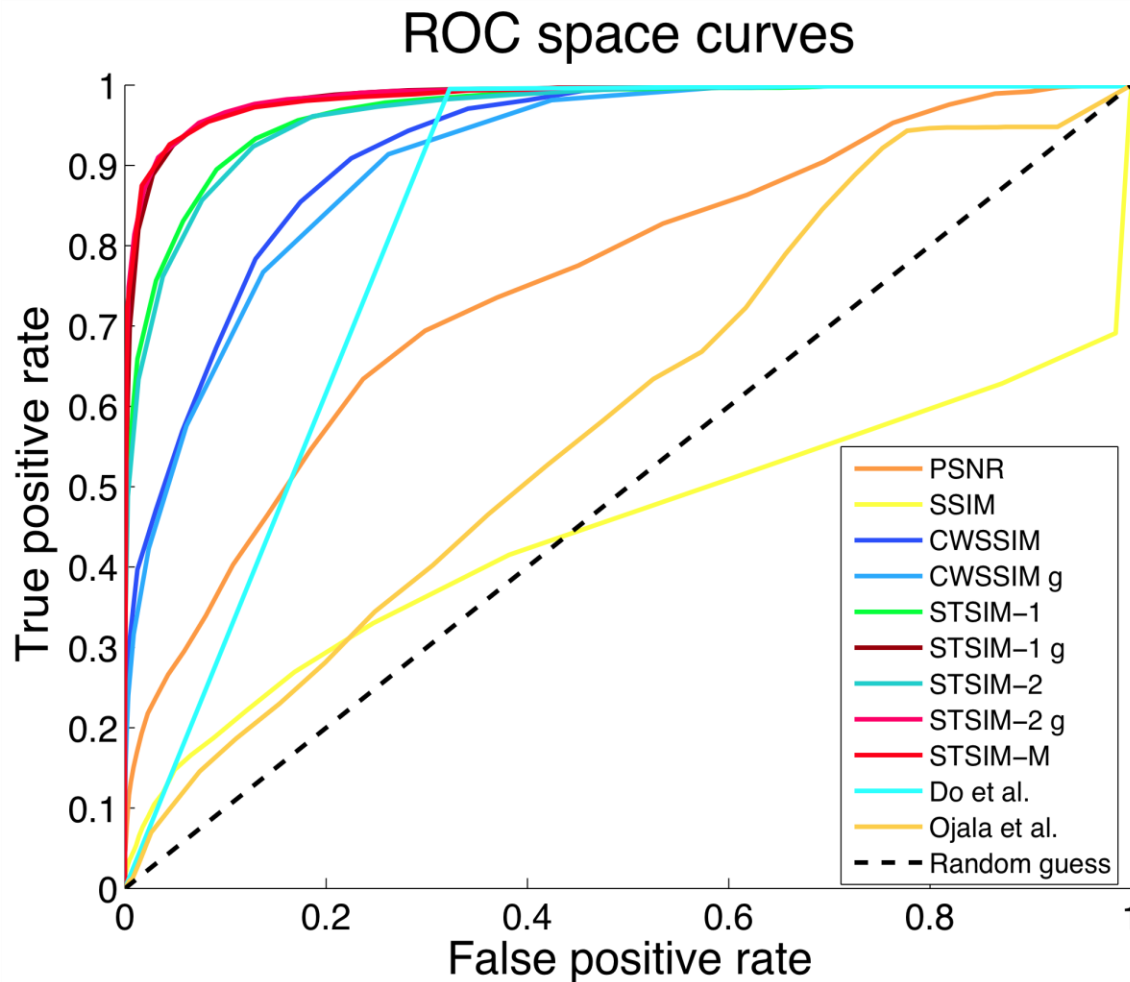
# Receiver Operating Characteristic – ROC



# Receiver Operating Characteristic – ROC



# Receiver Operating Characteristic – ROC



# Testing Domains for Texture Similarity

- Different domains require
  - Different metric evaluation criteria
  - Different subjective and objective tests
  - Different texture similarity metrics?
- Retrieval of “identical” textures
  - Known-item search
- **Similar vs. dissimilar textures**
- Quantify (perceptually) small amounts of distortion

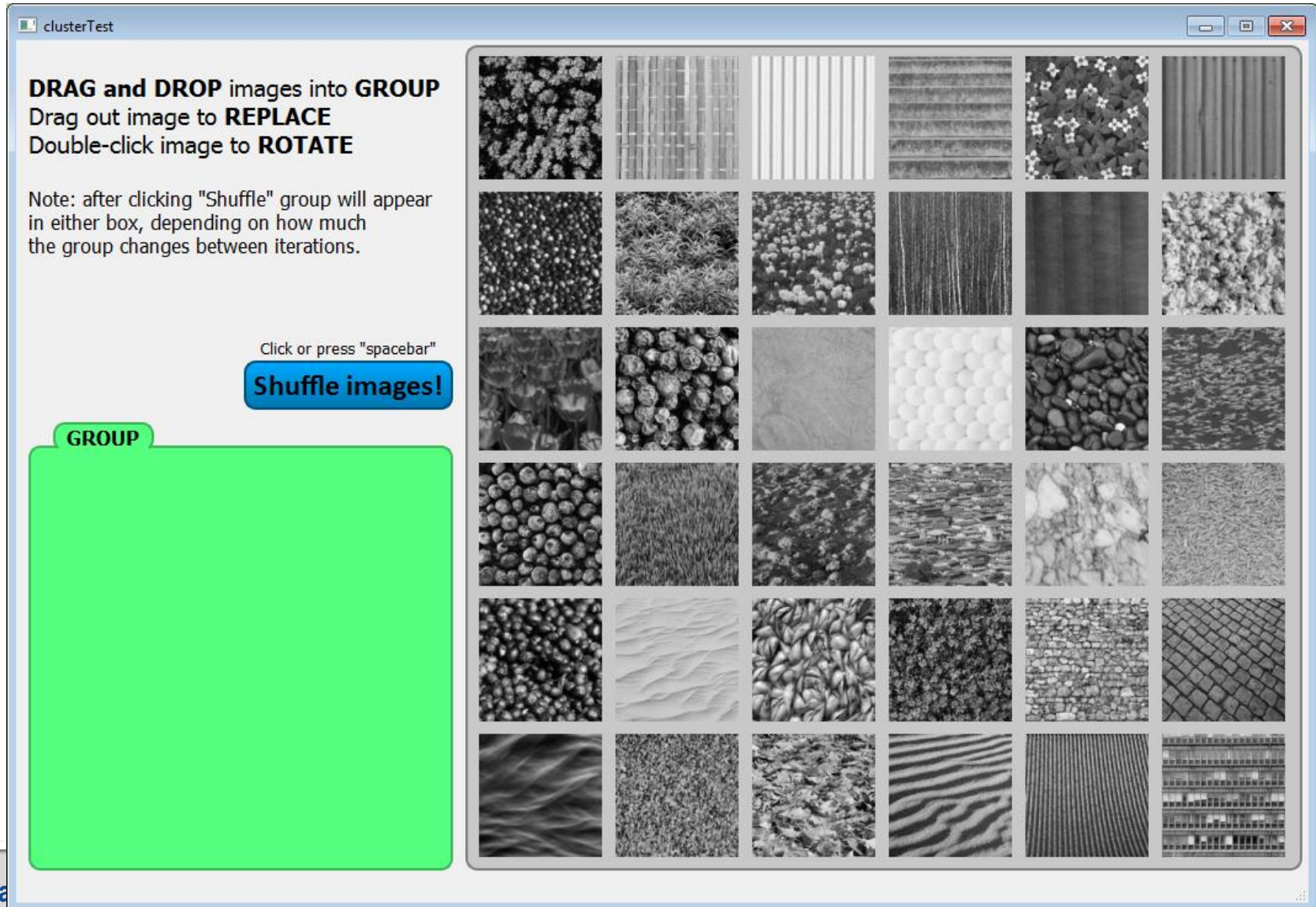
# Finding Clusters of Similar Textures

- Goal: find clusters of similar textures
  - Similar within clusters
  - Dissimilar across clusters
- Relatively large database
  - Difficult to see and compare all images at once
- ViSiProG: Visual Similarity by Progressive Grouping
  - Build similarity groups one at a time
  - Build each group in a step-by-step fashion
  - Each user builds multiple clusters
  - Combine results from different users

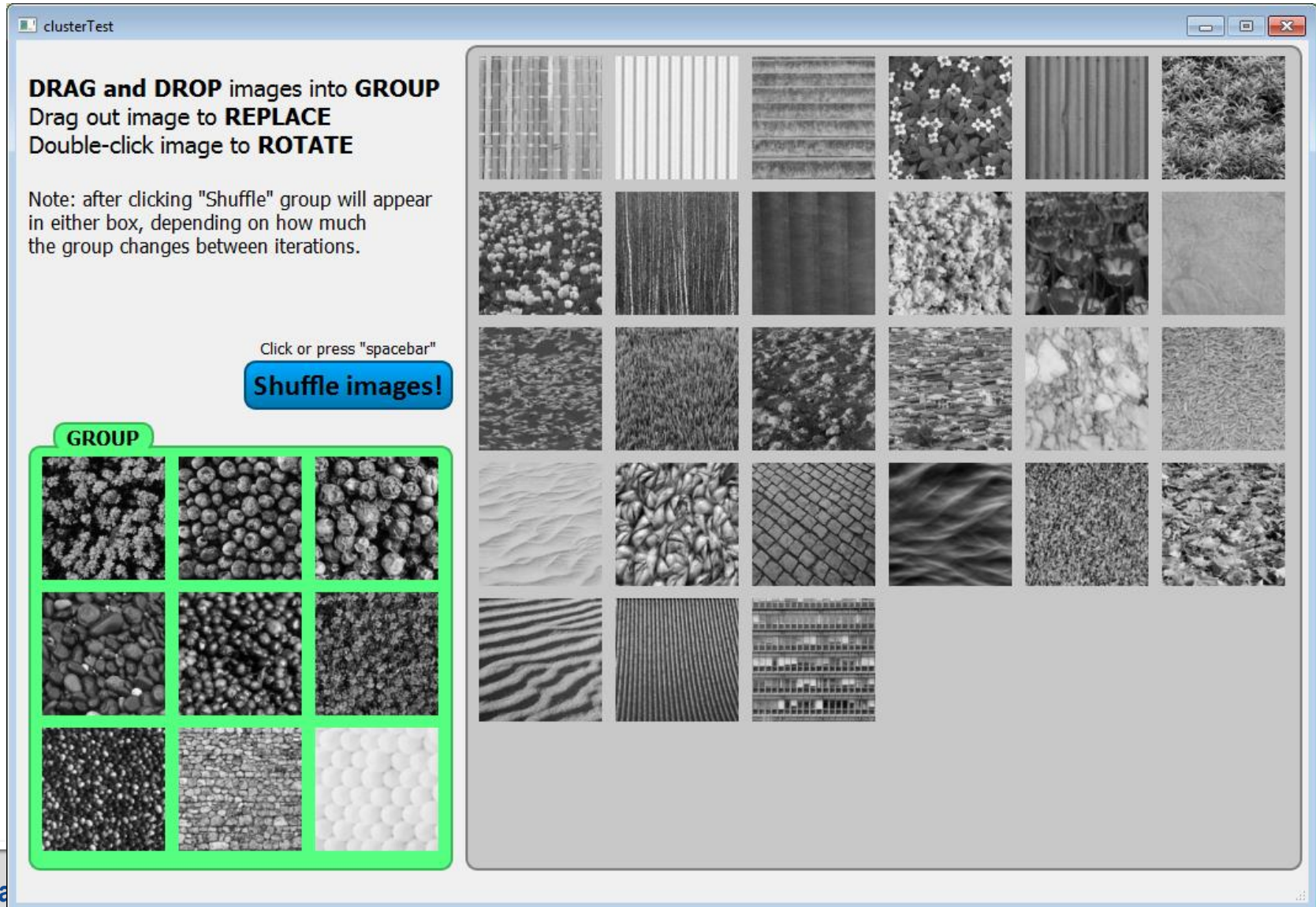
Zujovic, Pappas, Neuhoff, de Ridder, van Egmond, JOSAA'15



# ViSiProG – Grayscale

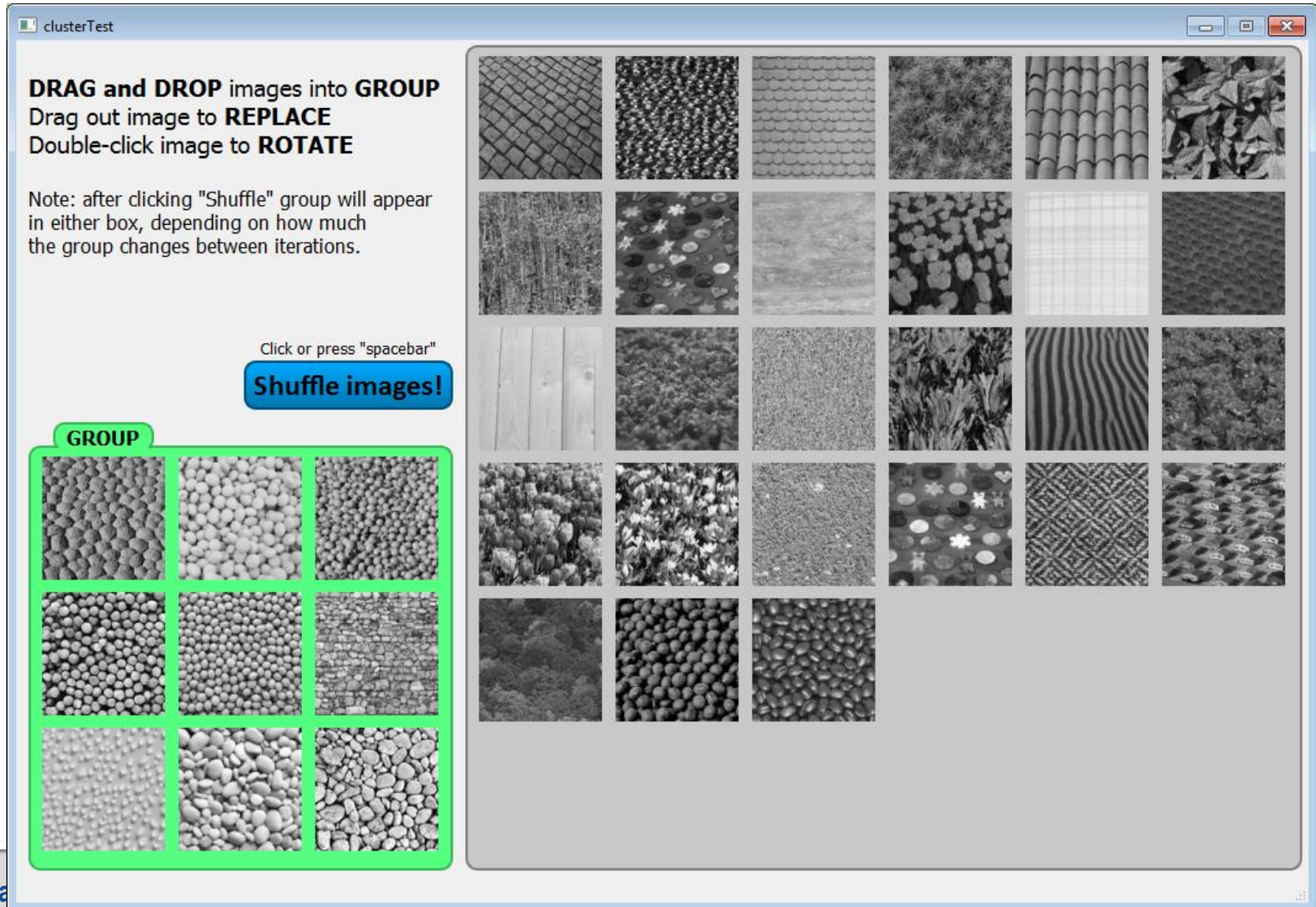


# ViSiProG – Grayscale

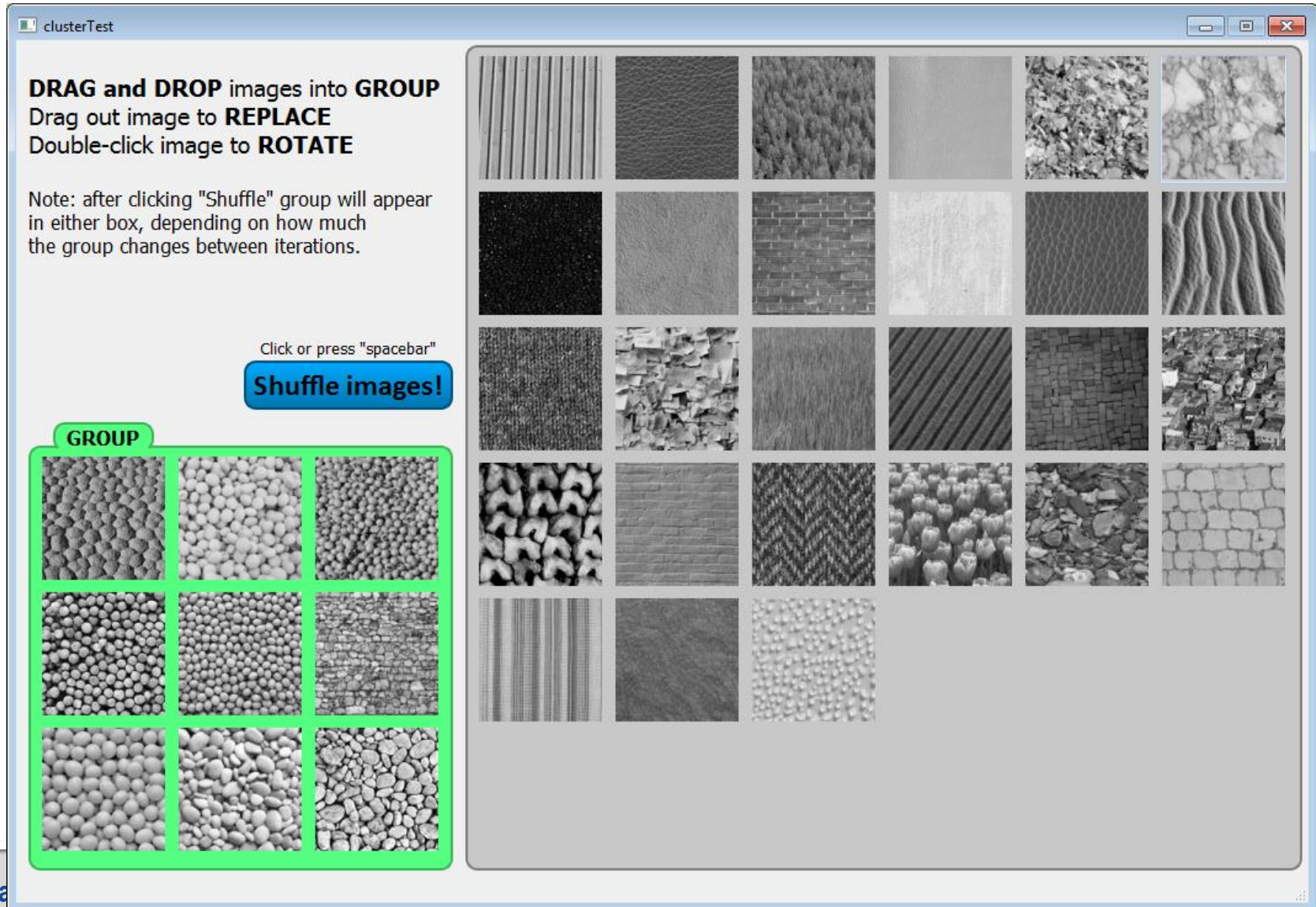




# ViSiProG – Grayscale

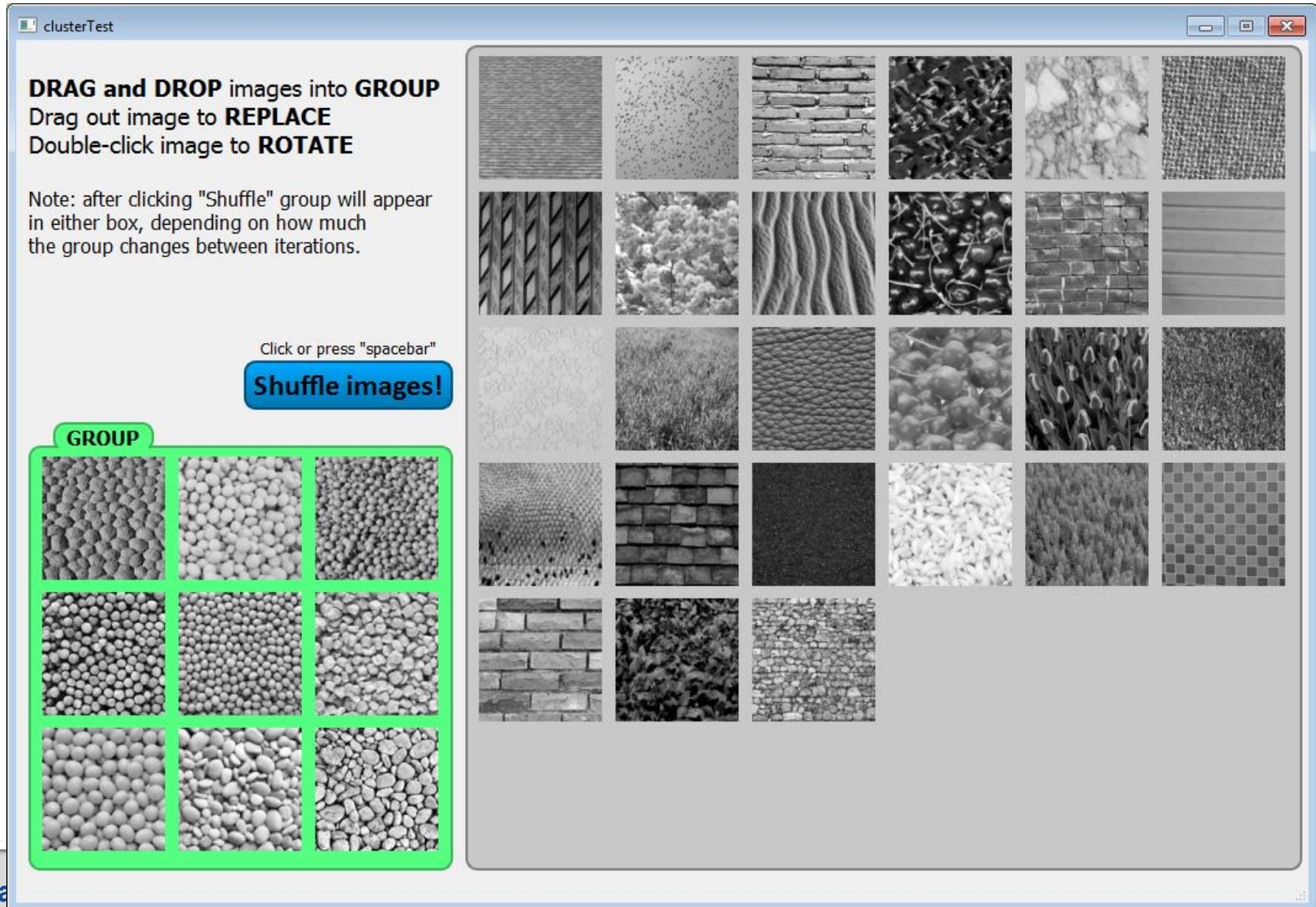


# ViSiProG – Grayscale



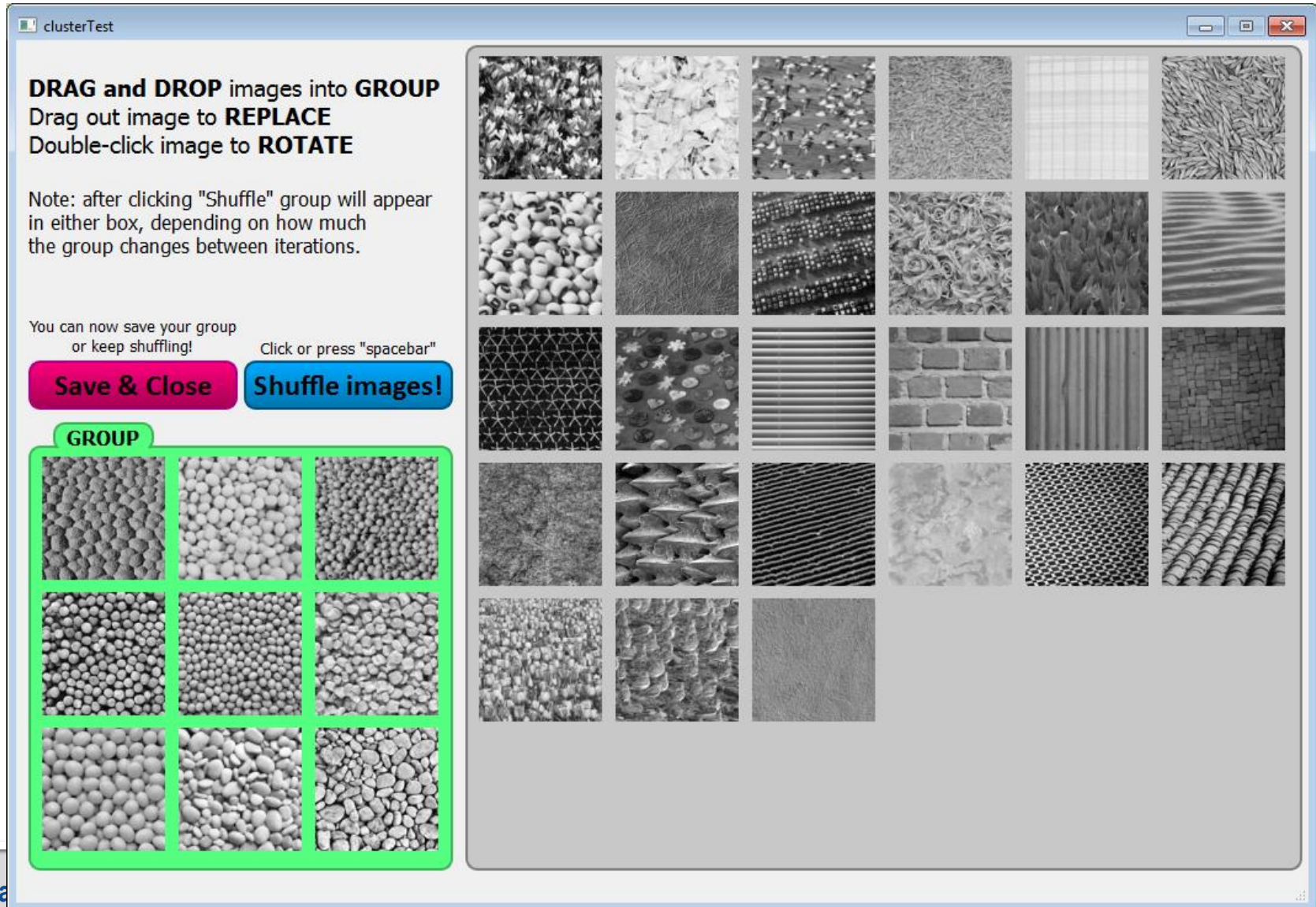


# ViSiProG – Grayscale





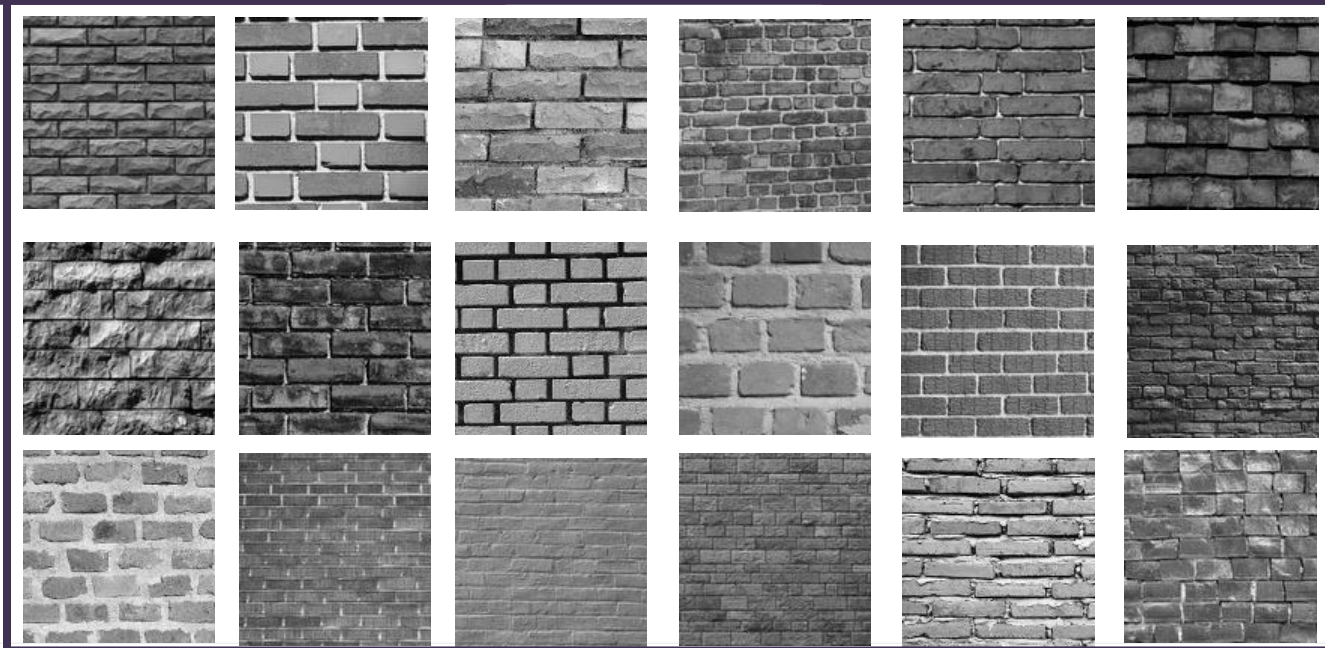
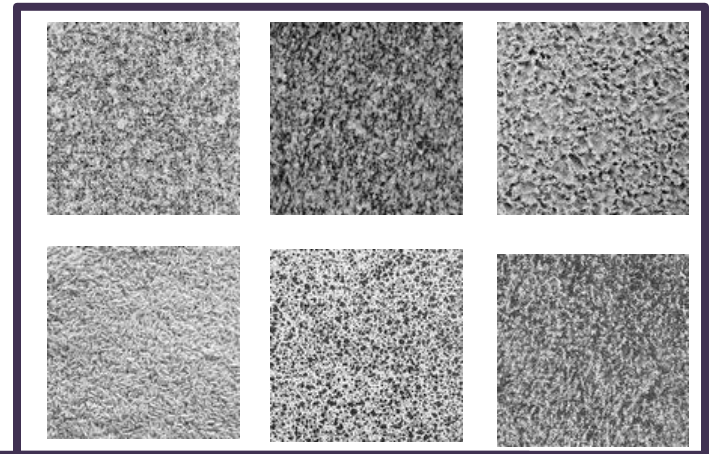
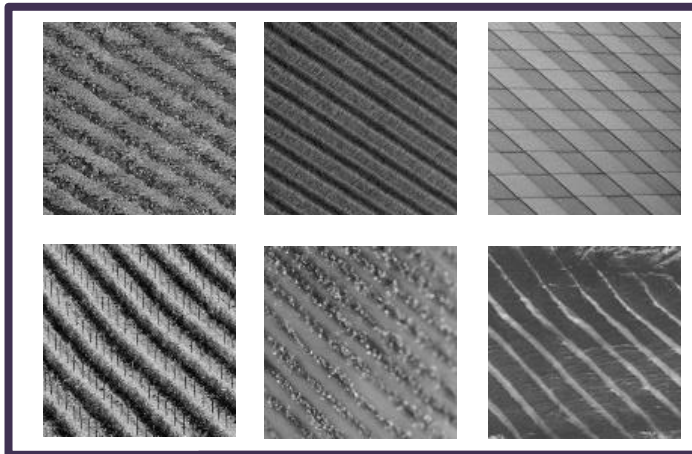
# ViSiProG – Grayscale



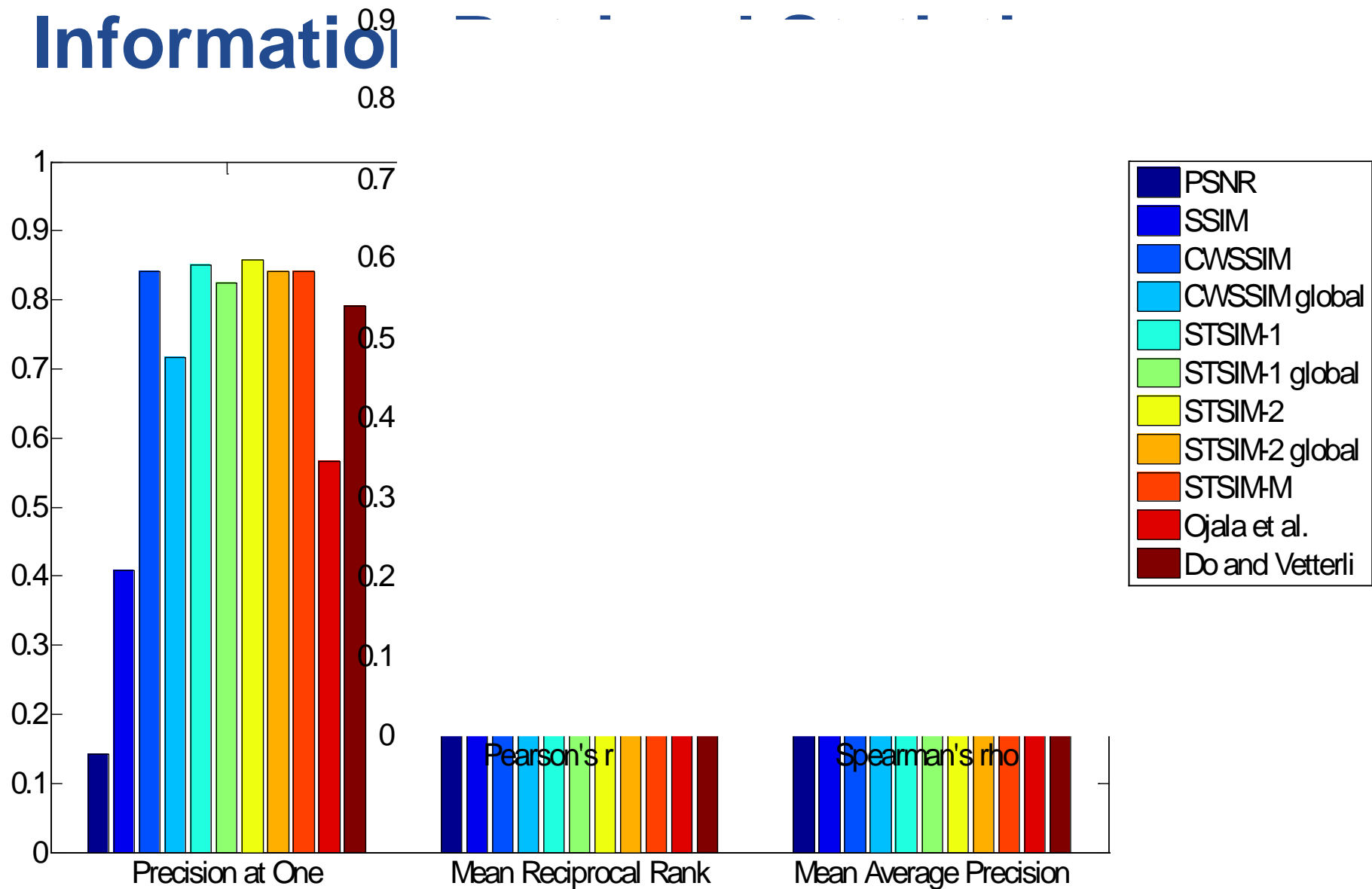
# Finding Clusters of Similar Textures

- 246 grayscale images
- Subjects asked to form groups of 9 similar images
- Formed similarity matrix
  - Only 134 images were selected in a group
- Used **spectral clustering** to analyze results
  - Cluster the data based on human similarity scores

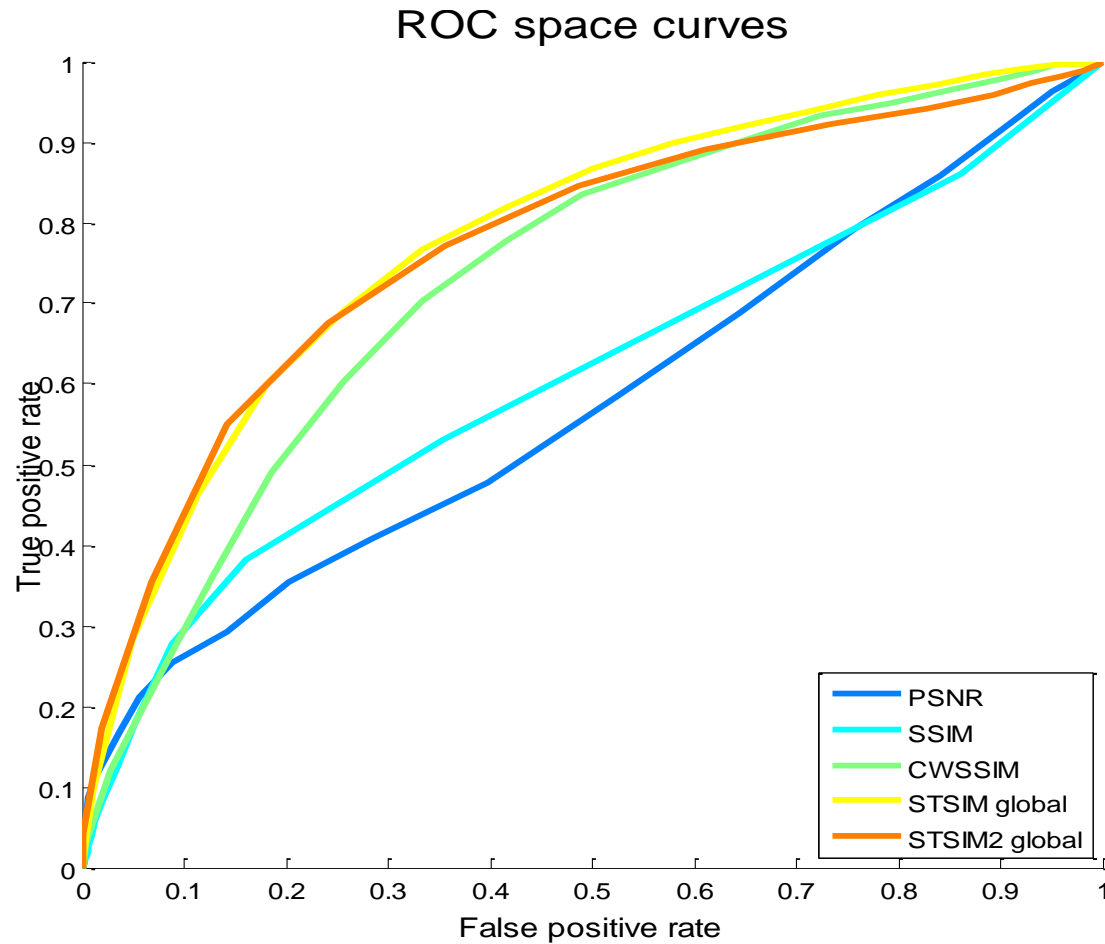
# Similarity Clusters Examples



# Information

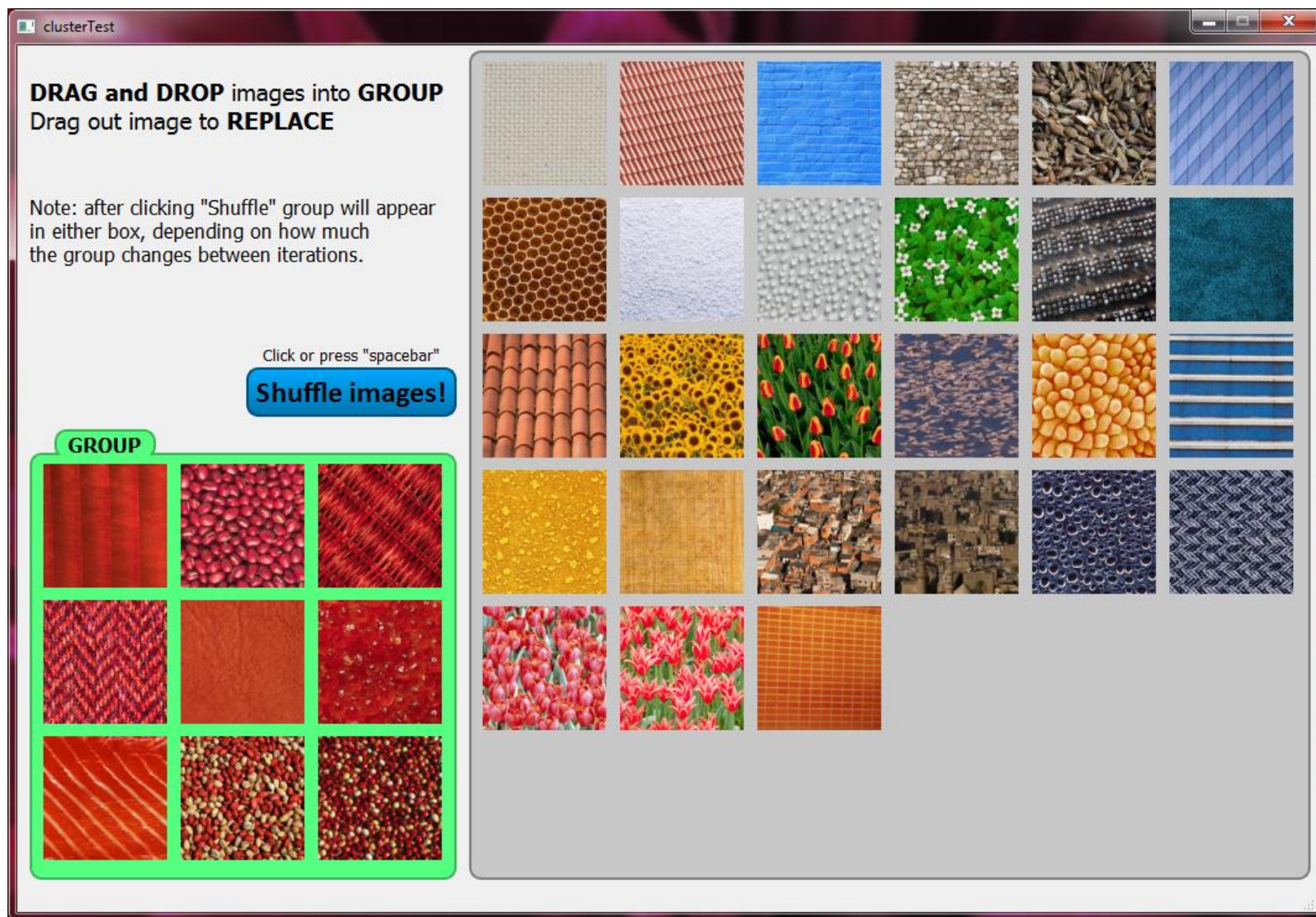


# Receiver Operating Characteristic – ROC



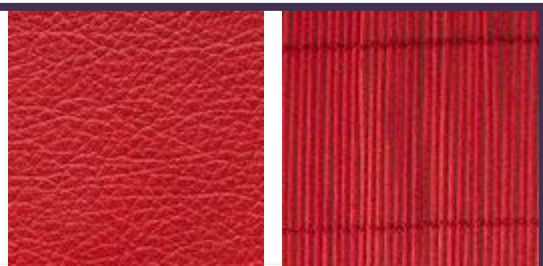


# ViSiProG – Color Composition





# Similarity Clusters Examples

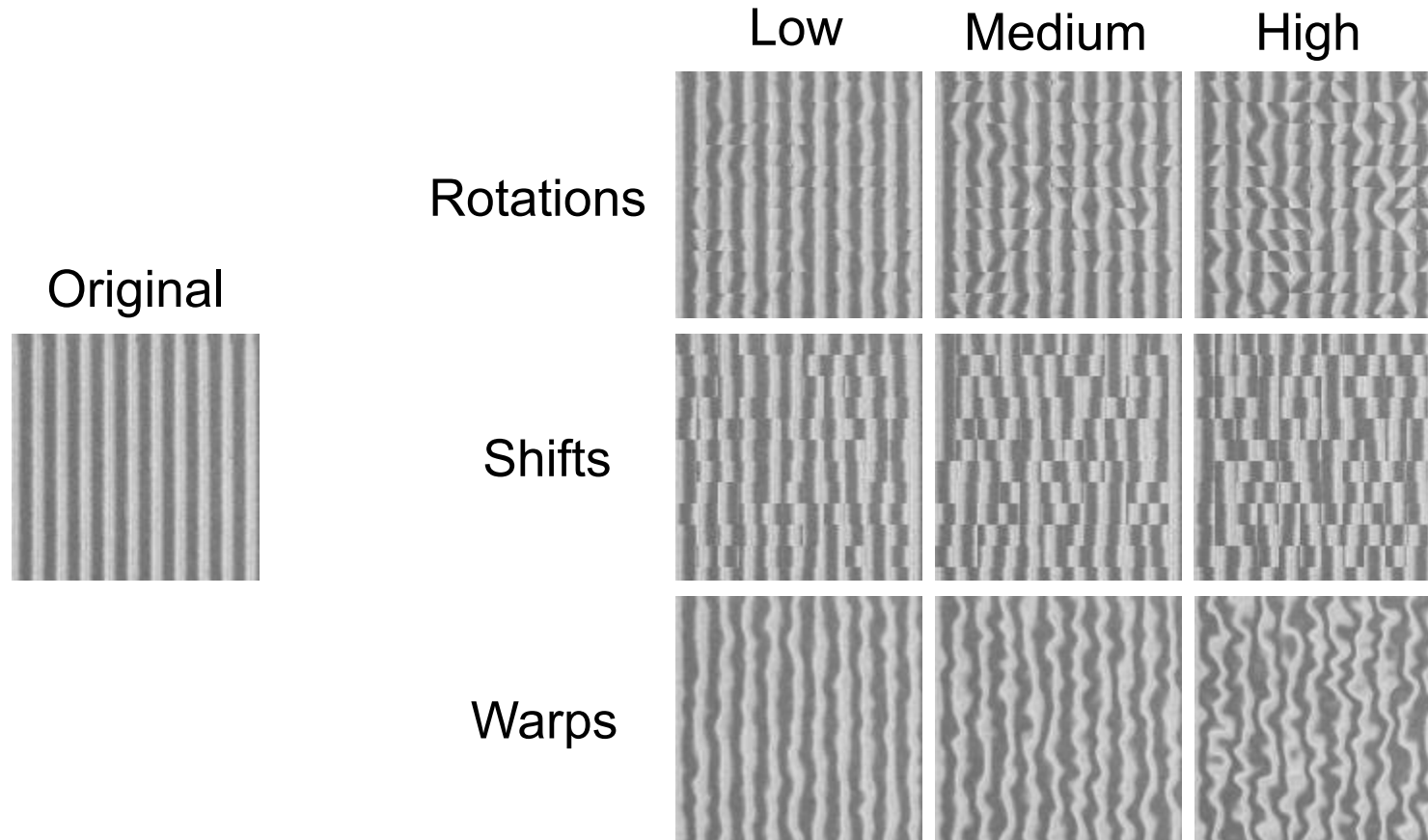


# Testing Domains for Texture Similarity

- Different domains require
  - Different metric evaluation criteria
  - Different subjective and objective tests
  - Different texture similarity metrics?
- Retrieval of “identical” textures
  - Known-item search
- Similar vs. dissimilar textures
- Quantify (perceptually) small amounts of distortion

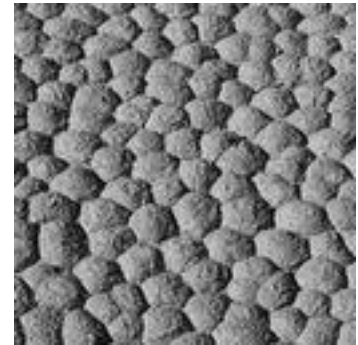
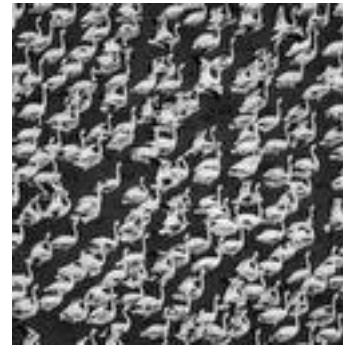
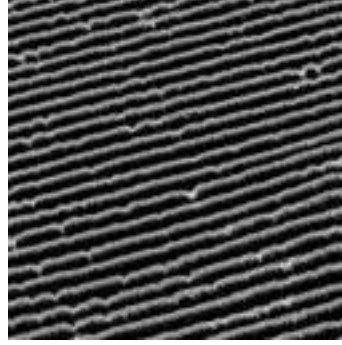
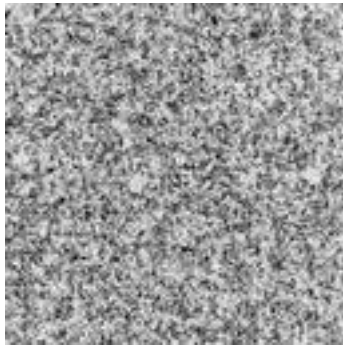
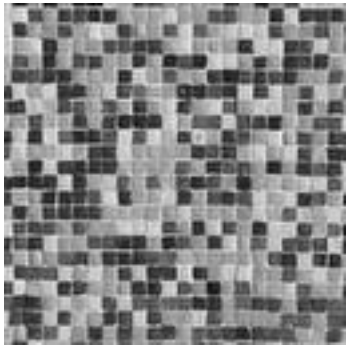
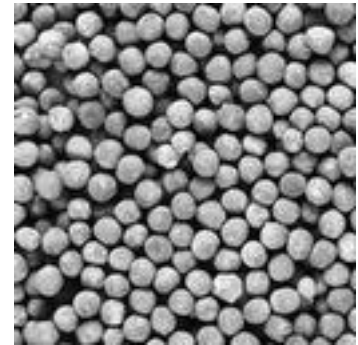
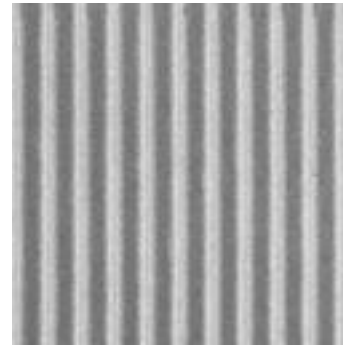
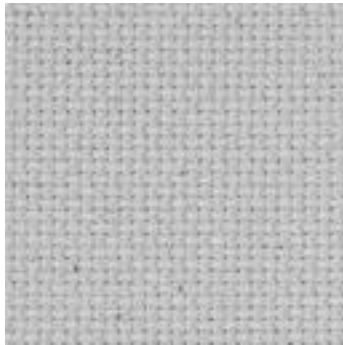
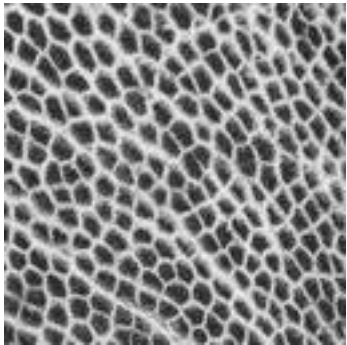
# Distortion Quantification

- Subjects asked to rank the distortions from “best” to “worst”





# Original Database

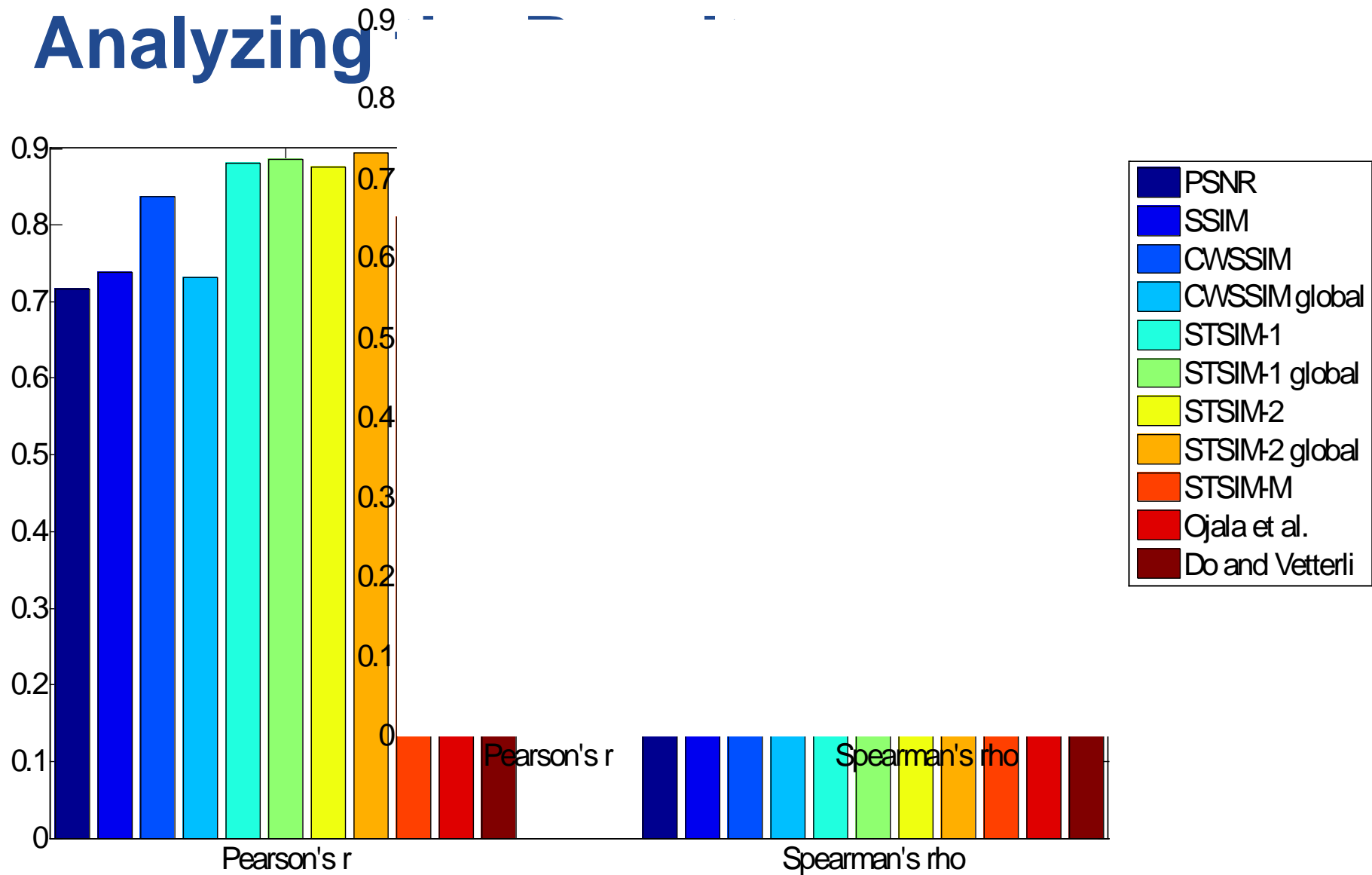




# Analyzing the Results

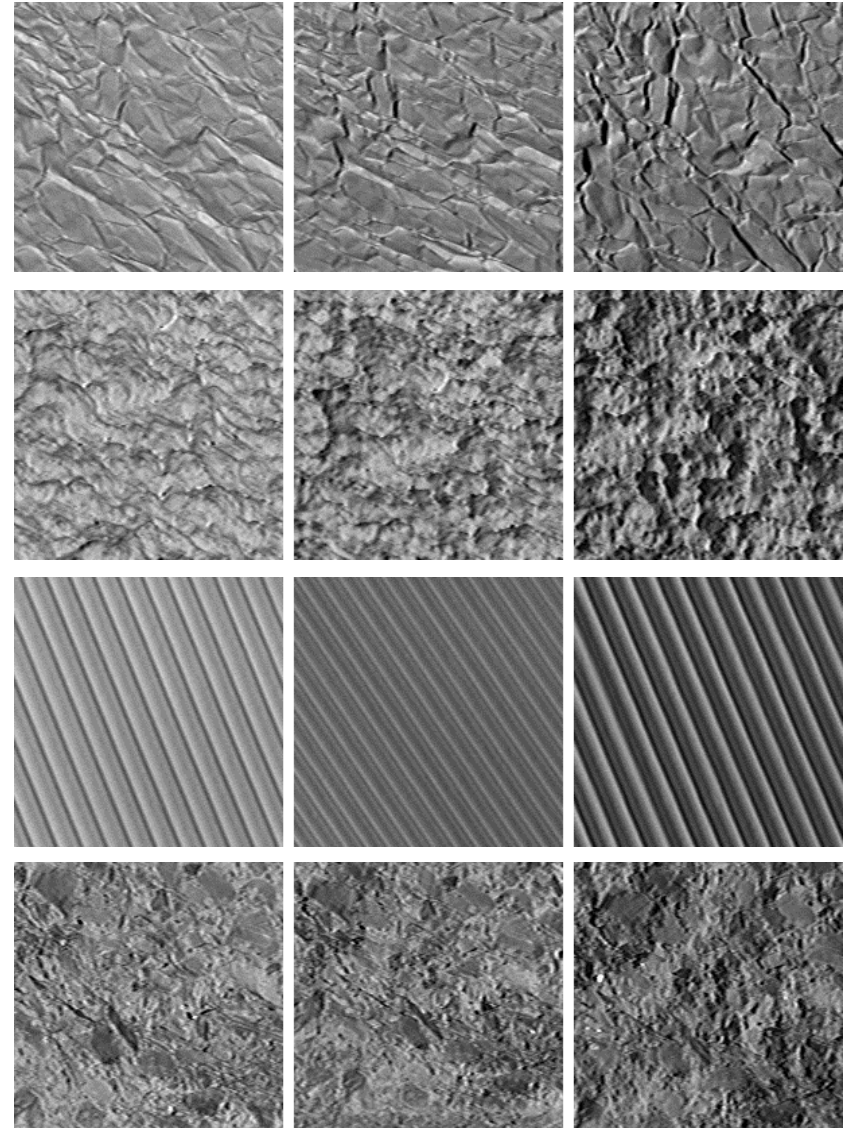
- Subjective similarity scores:
  - Average ranks (Borda's rule)
  - Thurstonian scaling
  - Multidimensional scaling
- Qualitatively similar results
- Correlate with objective (metric) scores

# Analyzing



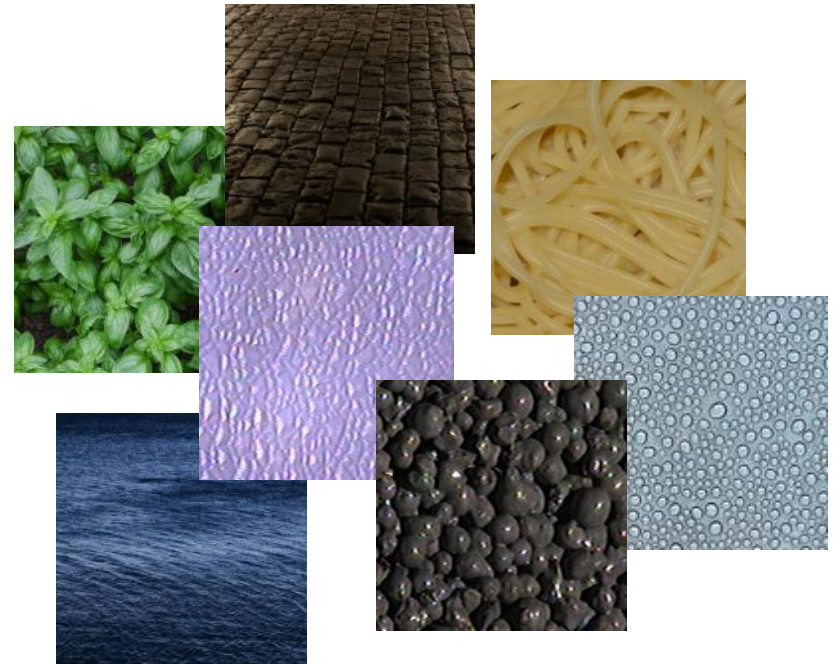
# Material Properties

- Texture appearance depends on
  - Material (reflectance, transmittance)
  - Surface geometry
  - Lighting (color, direction, ...)
  - Viewing angle
- Difficult to separate
  - “Inverse Optics” approach
  - Computationally intensive
- Rely on natural texture statistics
  - Ecological approach
  - Fast
  - Works most of the time, but ...
  - Can make errors (illusions)



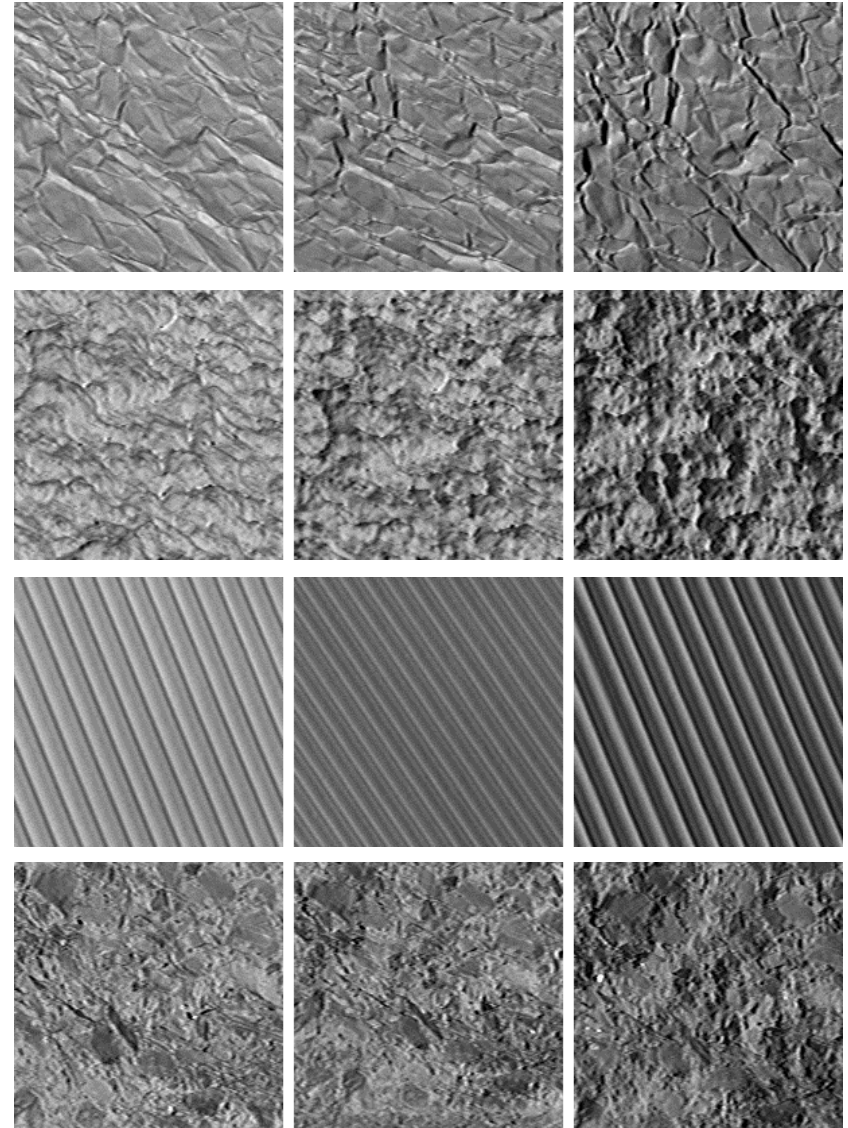
# Material Properties

- Rely on natural image statistics to estimate specific attributes
  - Roughness
  - Glossiness
  - Directionality
  - Regularity
  - Scale
- Can be estimated/compared outside quantitative range of STSIMs
- Provide strong clues about material properties



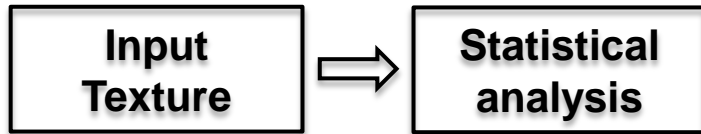
# Material Properties

- Texture appearance depends on material, surface geometry, and lighting
- Difficult to separate
- Rely on image statistics to estimate specific attributes
  - Roughness
  - Glossiness
  - Directionality
  - Regularity
  - Scale
- Can be estimated/compared outside quantitative range of STSIMs
- Provide strong clues about material properties

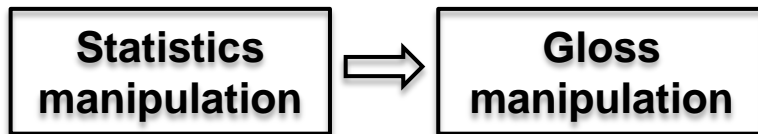




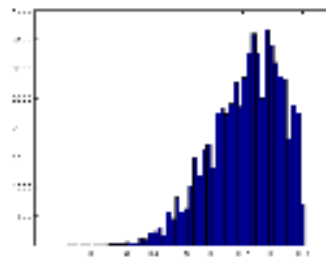
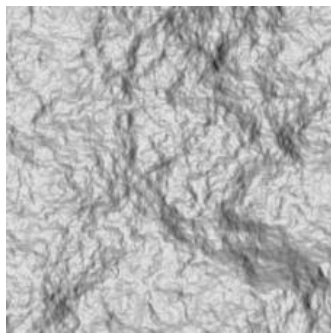
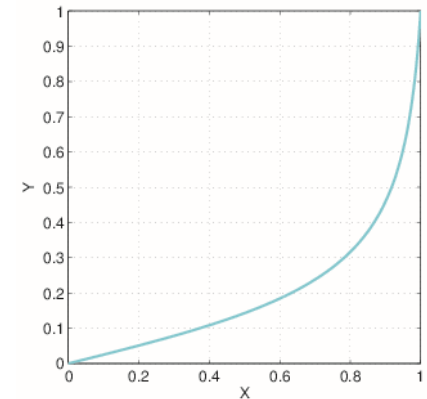
# Manipulation on Statistics



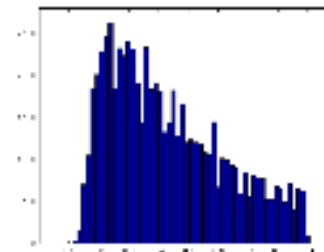
**Example:** Skewness hypothesis (Motoyoshi et al., 2007)



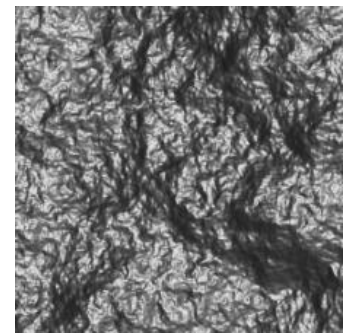
**Example:**  $\lambda$ -curve transformation (Wijntjes & Pont, 2010)



Negative skewness



Positive skewness



# $\lambda$ -curve Transformation

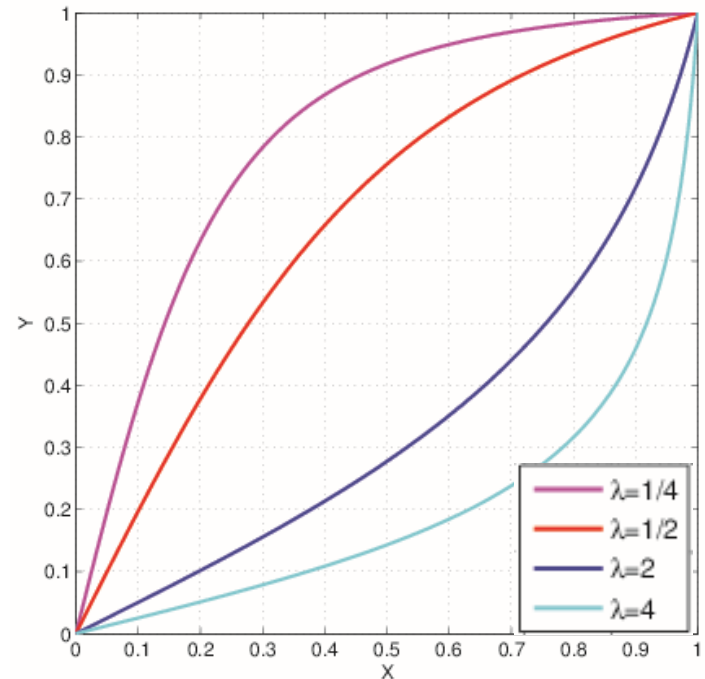
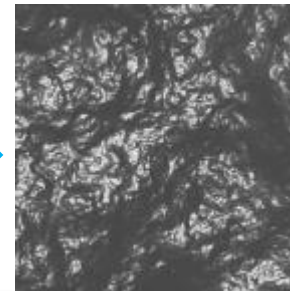
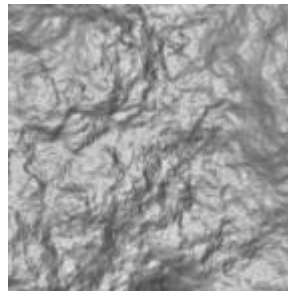
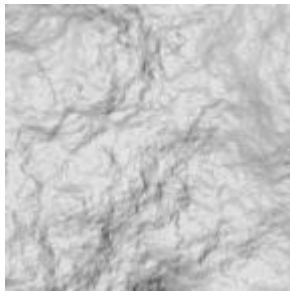
$$Y = \frac{X}{\sqrt{X^2 + \lambda(1 - X^2)}}$$

$X, Y \in [0, 1]$  Input, output values

$\lambda \in (0, +\infty)$  Stretch degree in relief depth

Stretches a **Lambertian surface** in depth;  
affects skewness of the luminance histogram

**Lambertian surface**



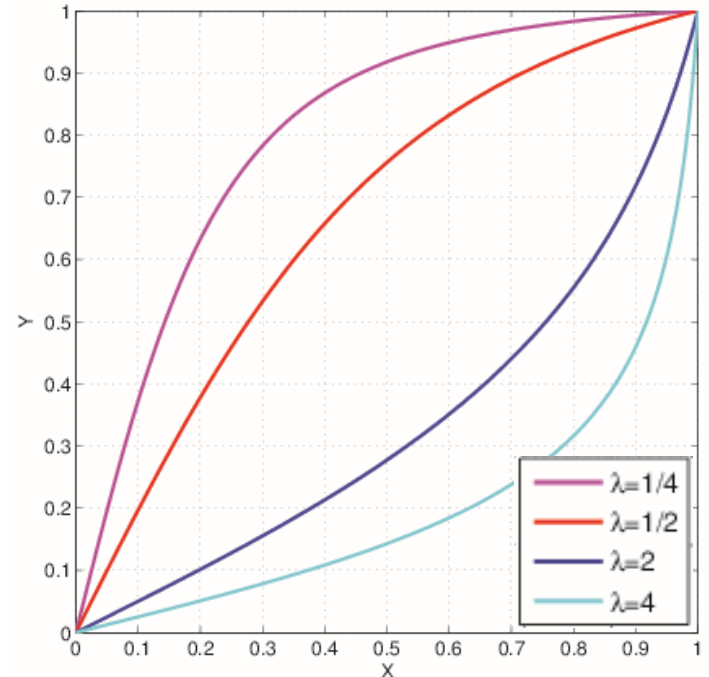
# $\lambda$ -curve Transformation

$$Y = \frac{X}{\sqrt{X^2 + \lambda(1 - X^2)}}$$

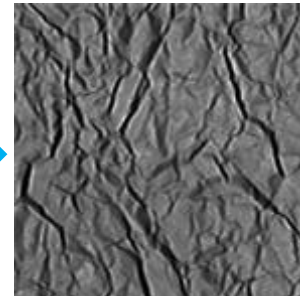
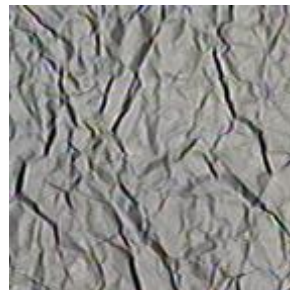
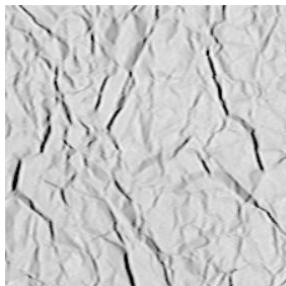
$X, Y \in [0, 1]$  Input, output values

$\lambda \in (0, +\infty)$  Stretch degree in relief depth

Stretches a **Lambertian surface** in depth;  
affects skewness of the luminance histogram



Natural surface



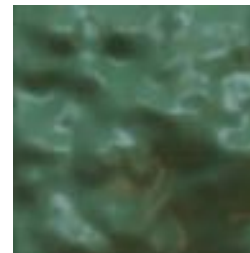
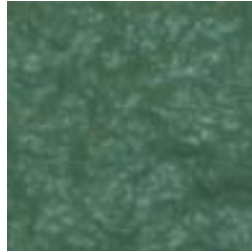
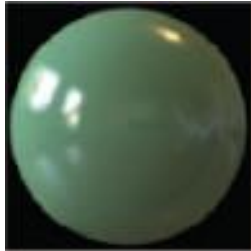
Glossier?

# Manipulation on Image Cues

**Alternative approach** (Marlow and Anderson, 2013):



**Image cues:** specular coverage, specular contrast, specular sharpness



specular sharpness

specular coverage

specular contrast

**Synthetic images:**  
hard to do on  
natural textures

# Motivation

Even though we have multiple gloss related attributes:

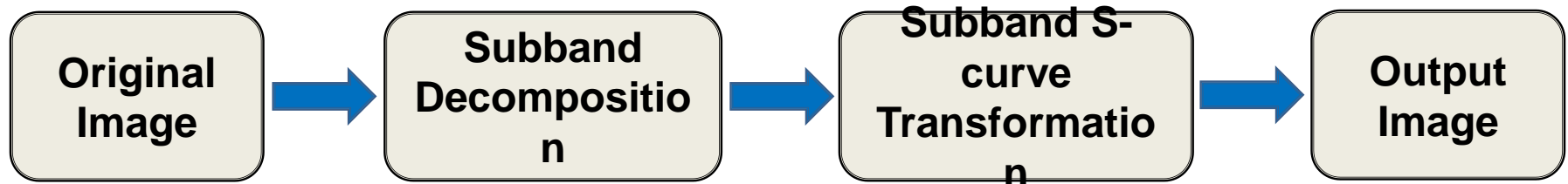
- manipulation of gloss is constrained by surface geometry and illumination direction
- it is difficult to control these attributes at the perceptual level

## Goal

- Transformation method to manipulate visual gloss of natural textures
- Without constraints on surface geometry and illumination conditions
- Investigate the relation between perceived gloss and perceived contrast



# Method

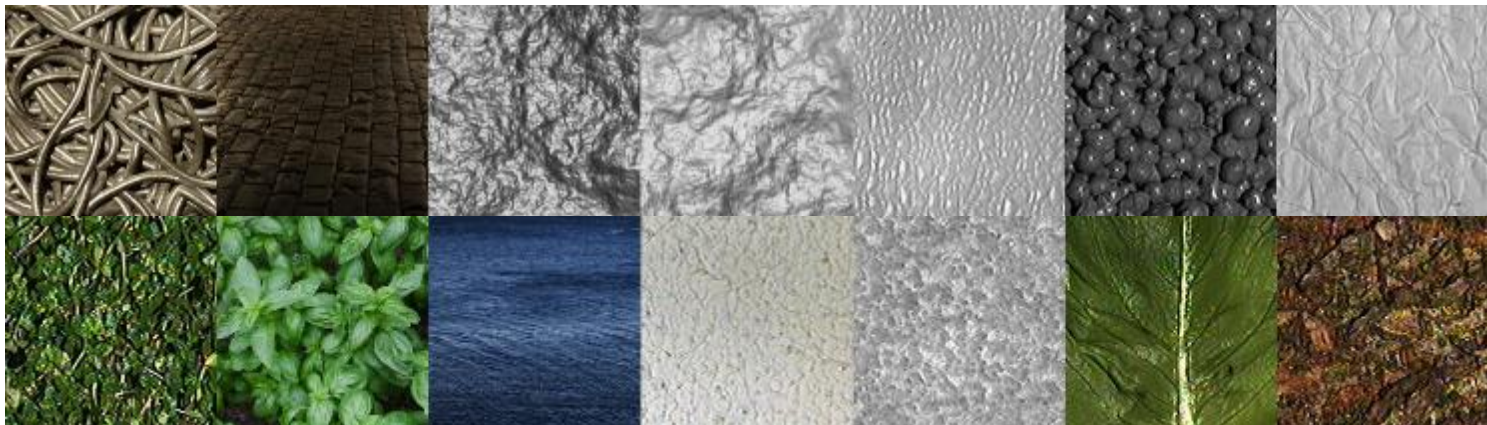


## Subjective experiments

- Test the relation between perceived gloss and perceived contrast as you apply the S-curve transformation
- Test whether contrast adjustment could compensate for the gloss difference generated by illumination directions

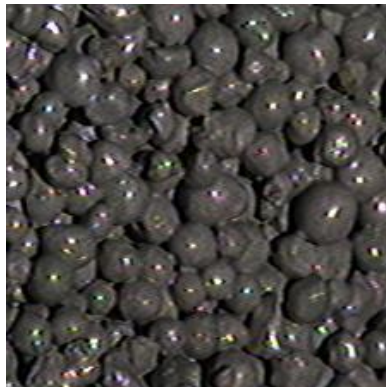
# Stimuli

- Collection of natural and synthetic textures (256x256)
- Corbis website (natural, color)
- Pictures of black and white spaghetti (natural, color)
- CURET texture database (natural, color and grayscale)
  - Illumination: 0.196 radians and 0.589 radians in polar angle
- Synthesized Lambertian surfaces: Rendered Brownian surfaces (grayscale)
  - Illumination: 0 and 50 degrees in polar angle

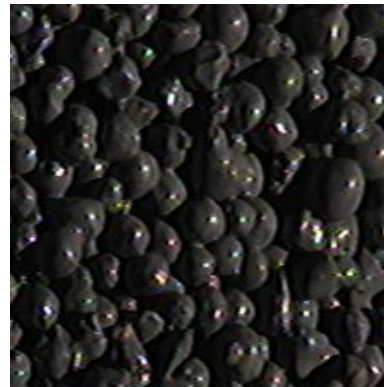


# Examples

## CUReT

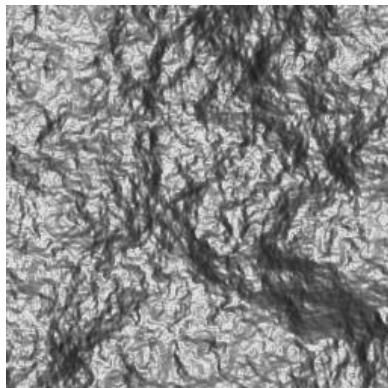


0.196 radians

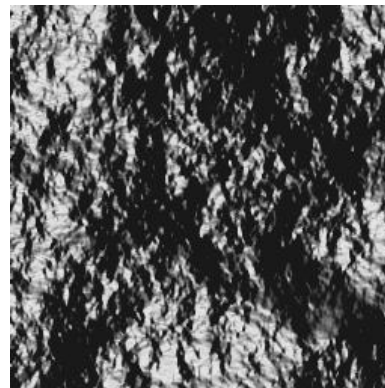


0.589radians

## Lambertian



0 degrees



50 degrees

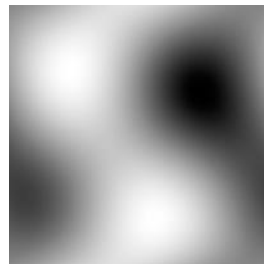
# Image decomposition

Raised cosine-log filters of one-octave bandwidth centered at  $2^k$  cycles/picture.

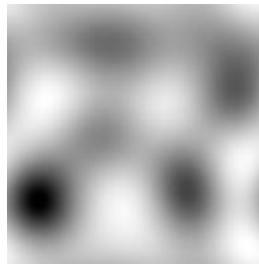
$$G_k(f) = \begin{cases} 0.5 + 0.5 \cos(\pi \log_2 f - \pi k), & \text{if } 2^{k-1} < f < 2^{k+1} \\ 0, & \text{otherwise} \end{cases}$$



original



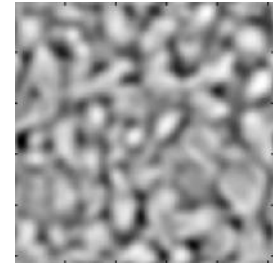
1  
cycles/pic



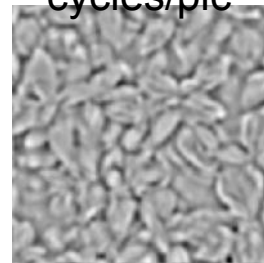
2 cycles/pic



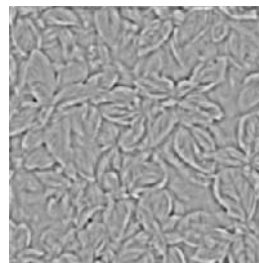
4 cycles/pic



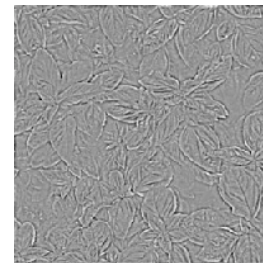
8 cycles/pic



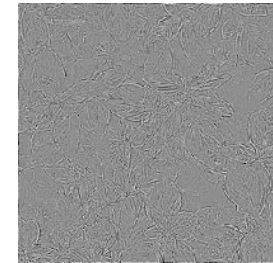
16  
cycles/pic



32  
cycles/pic



64  
cycles/pic



128 cycles/pic

# S-curve Transformation

$$Y = \mu - \frac{\mu - X}{\sqrt{\alpha^2(\mu - X)^2(1 - 1/s^2) + 1/s^2}}$$

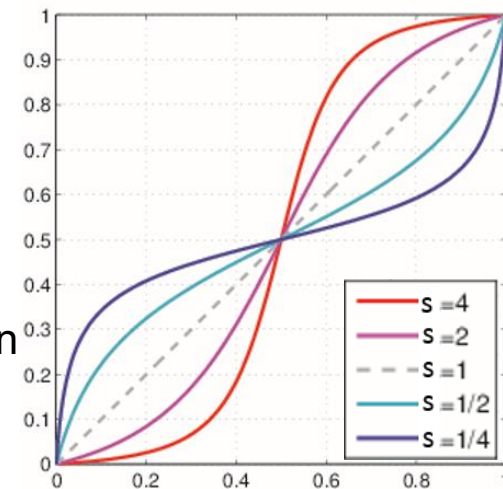
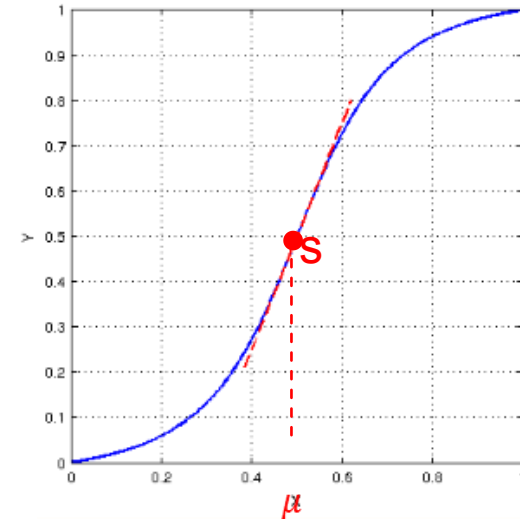
$X, Y \in [0, 1]$     **Input value, output value**

$\mu \in (0, 1)$     **Mean of input values**

$s \in (0, \infty)$     **Slope of the curve when  $X = \mu$**

$$\alpha = \begin{cases} 1/(1 - \mu), & \text{if } X \geq \mu \\ 1/\mu, & \text{if } X < \mu \end{cases}$$

$s$  is the sole control parameter controlling the transformation



S-curve with different  $s$  values



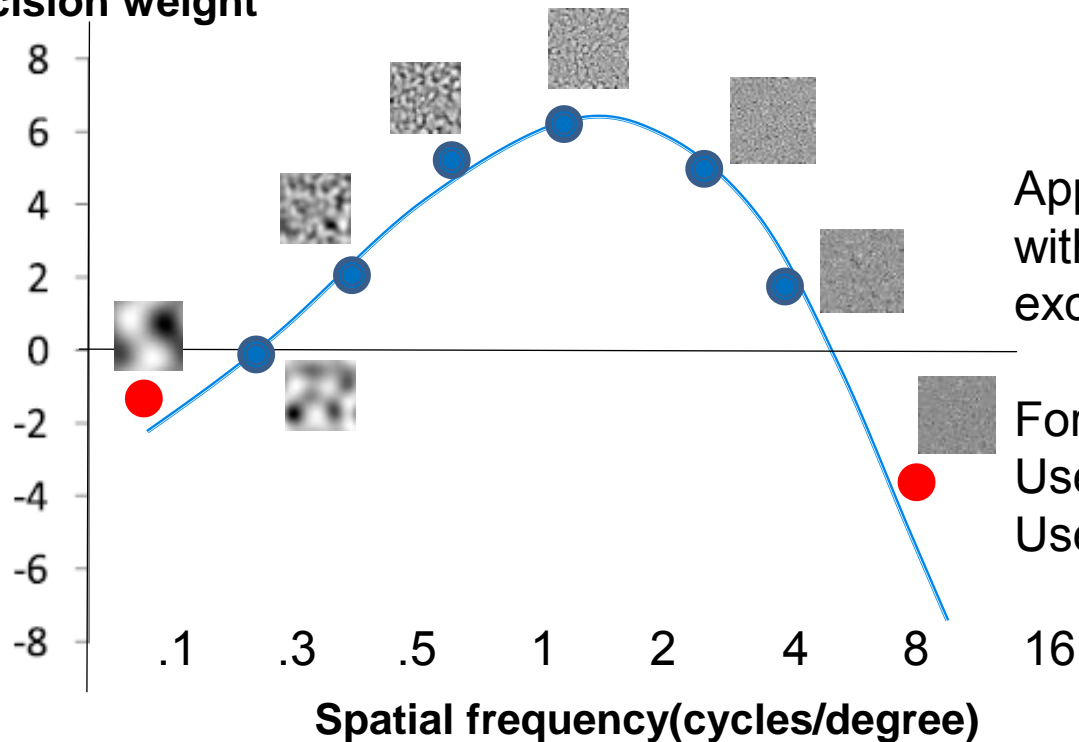
# Perceived Contrast Weighting Scheme

Haun & Peli, 2013:

How do different spatial frequencies contribute to the overall perceived contrast?

Weighting scheme for overall perceptual effect on contrast: Spatial frequencies around the peak of CSF (1-6 cycles/degree) contribute most to contrast perception, low and high frequency bands contribute less.

## Decision weight

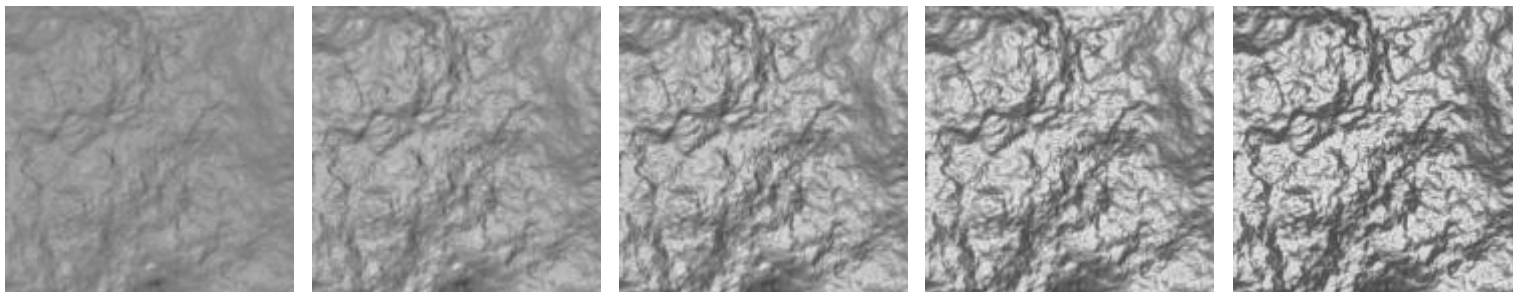


Apply the S-curve transformation with slope  $S$  to all frequency bands except the low and high bands

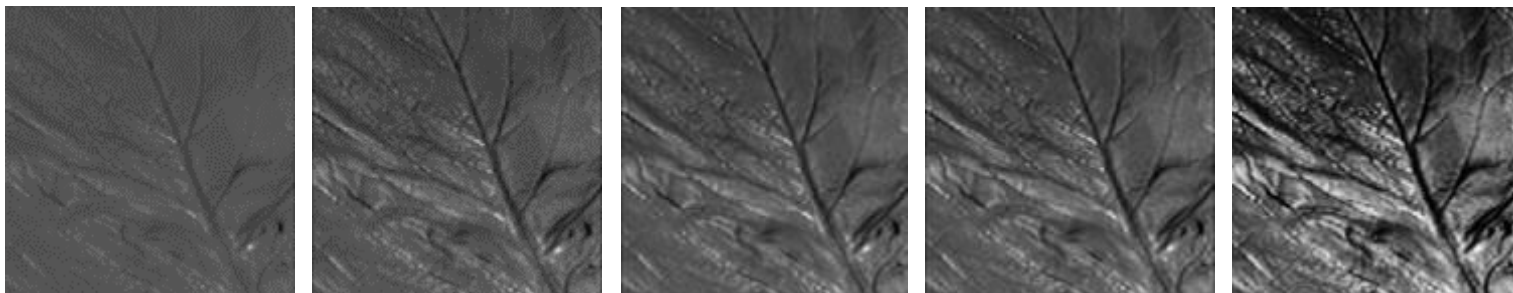
For low and high bands:  
Use slope  $2S$  when  $S > 1$   
Use slope  $.5S$  when  $S < 1$

# S-curve Transformed Images

Lambertian



CUReT-028



Pasta



$S = 0.25$

$S = 0.5$

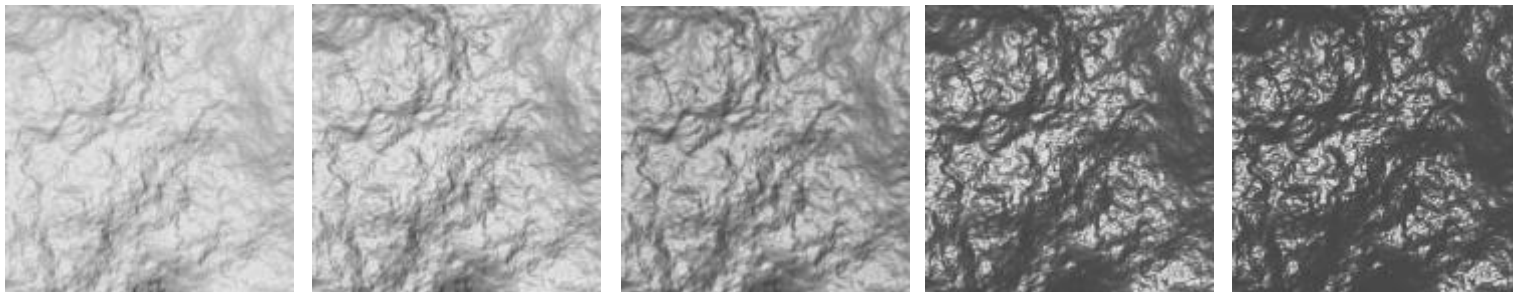
original

$S = 2$

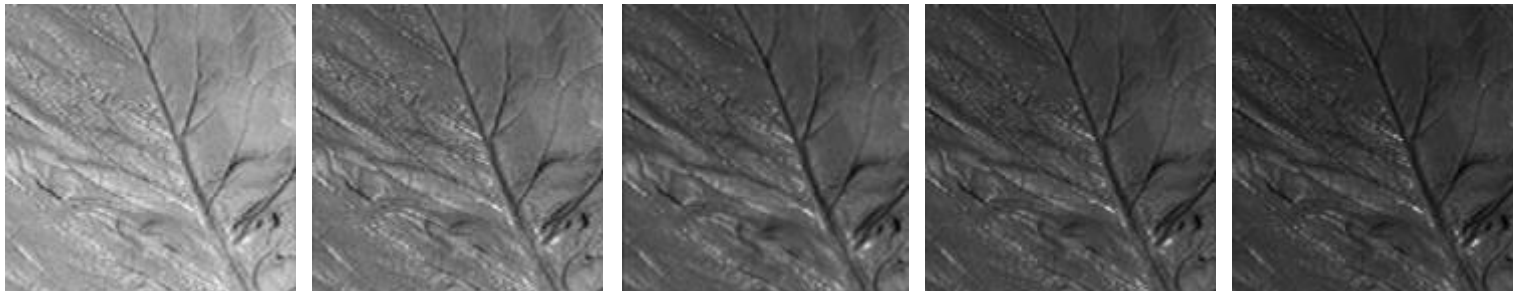
$S = 4$

# $\lambda$ -curve Transformed Images

Lambertian



CUReT-028



Pasta



$\lambda = 0.25$

$\lambda = 0.5$

original

$\lambda = 2$

$\lambda = 4$



# Graphical User Interface: Experiment I

**Session 1:** Arrange images in order of decreasing gloss

**Session 2:** Arrange images in order of decreasing contrast

Each trial: Original and six S-curve or  $\lambda$ -curve transformed images in random order

(Use one transformation, S or  $\lambda$ , in each trial)

Random order of curves, random order of images



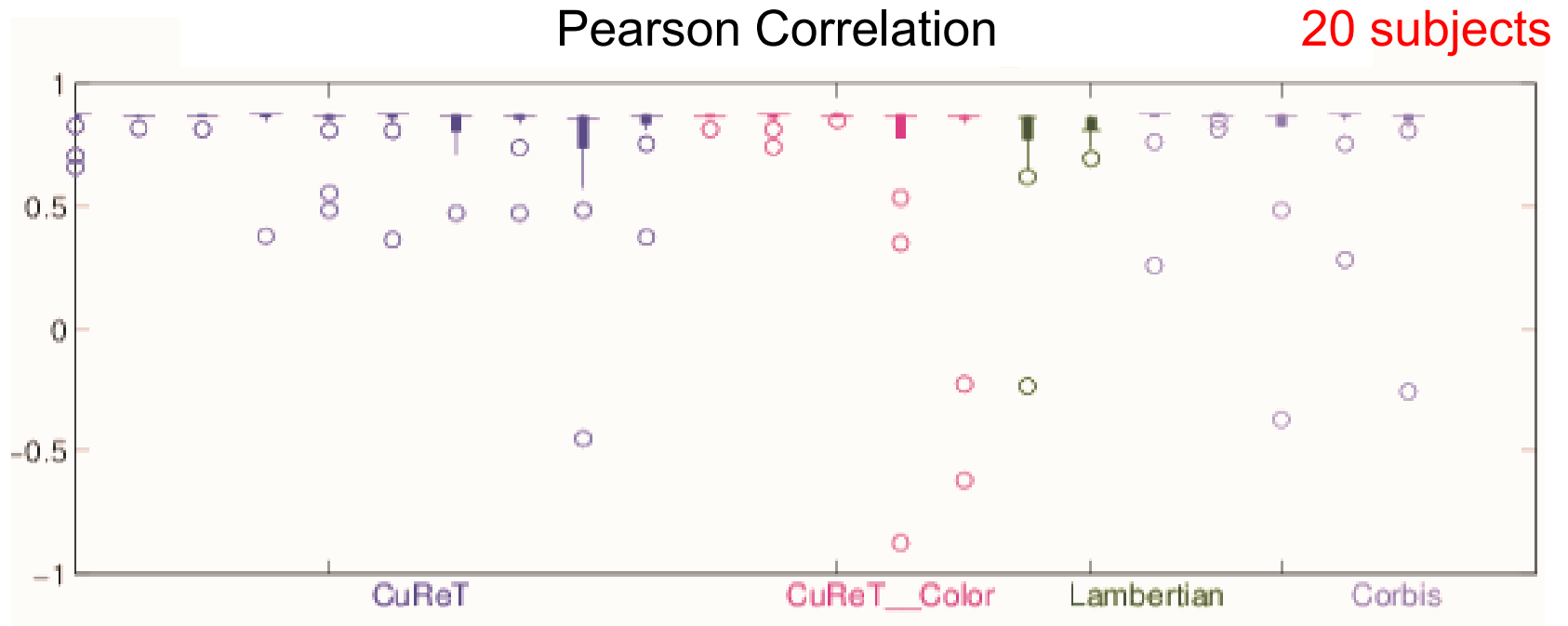
Glossy

Matte

Progress so far:  % Complete

Next

# Correlation between S-Curve and Perceived Contrast



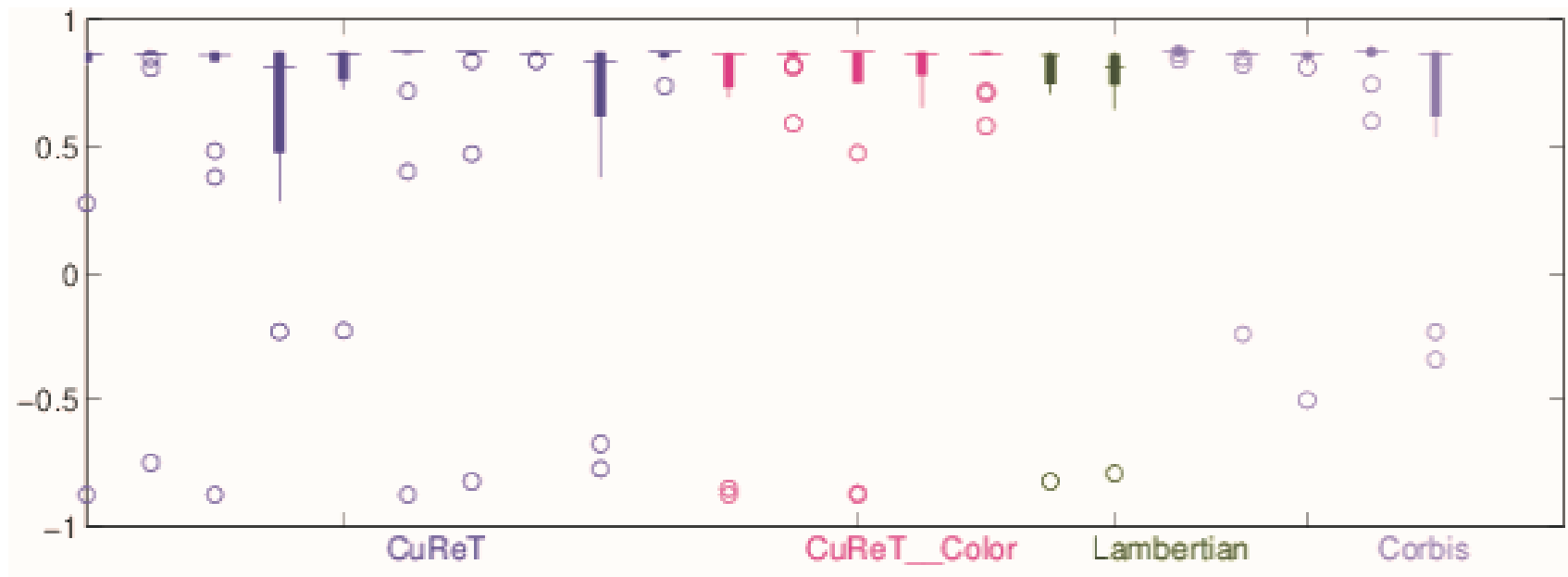
- Strong positive correlation between perceived contrast and slope of S-curve



# Correlation between S-Curve and Perceived Gloss

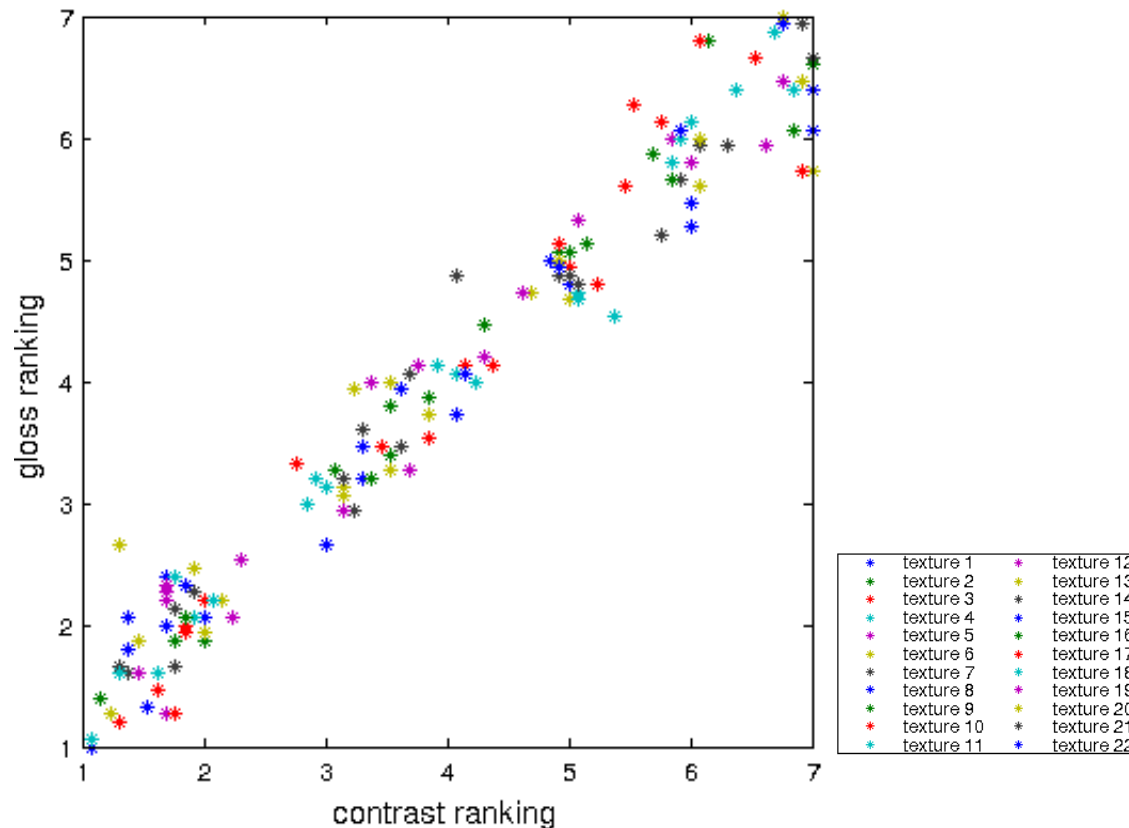
Pearson Correlation

20 subjects



- Positive correlation between perceived gloss and slope of S-curve
- But larger variation than contrast
- Perceived contrast and perceived gloss are closely related
- Do people respond to systematic changes rather than gloss or contrast?

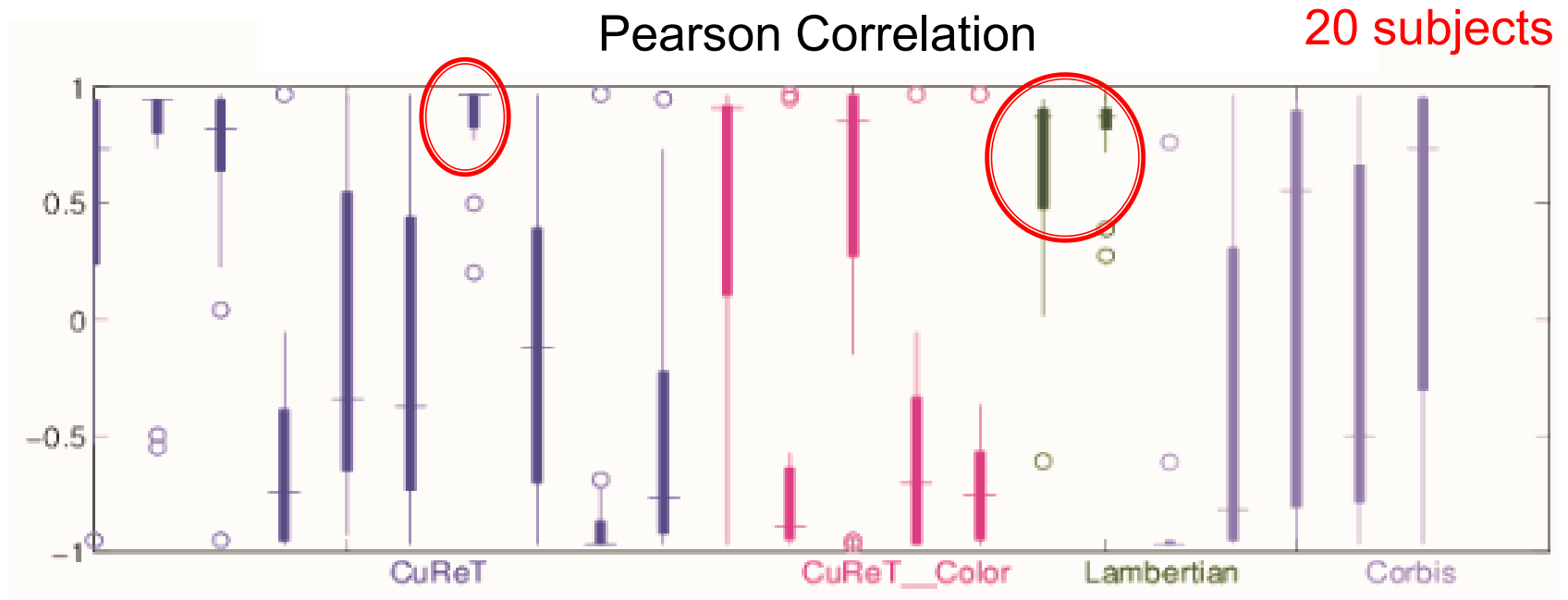
# Relation between Perceived Gloss and Perceived Contrast



## Average rankings between contrast and gloss in s-curve transformation

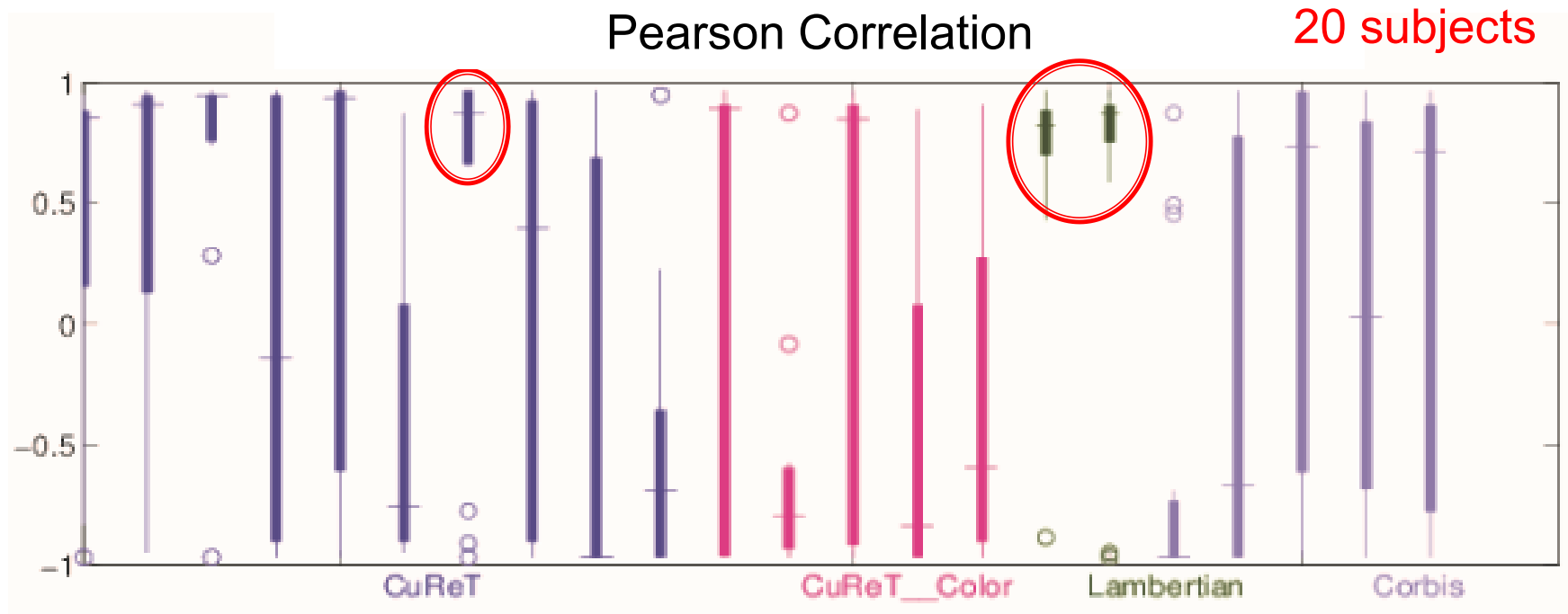
- Within the S-curve transformation, perceived gloss is positively correlated with perceived contrast across different types of textures.

# Correlation between $\lambda$ -curve and Perceived Contrast



- Very little correlation between perceived contrast and slope of  $\lambda$ -curve
- Except for synthetic Lambertian surfaces

# Correlation between $\lambda$ -curve and Perceived Gloss

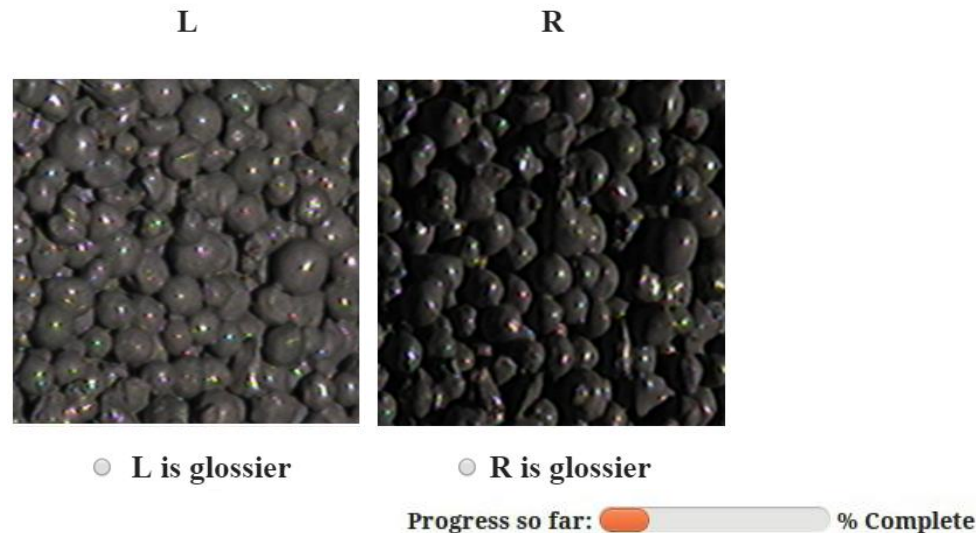


- Very little correlation between perceived contrast and slope of  $\lambda$ -curve
- Except for synthetic Lambertian surfaces
- Controlling histogram skewness, the  $\lambda$ -curve is not sufficient to manipulate the perceived gloss of natural textures

# Graphical User Interface: Experiment II

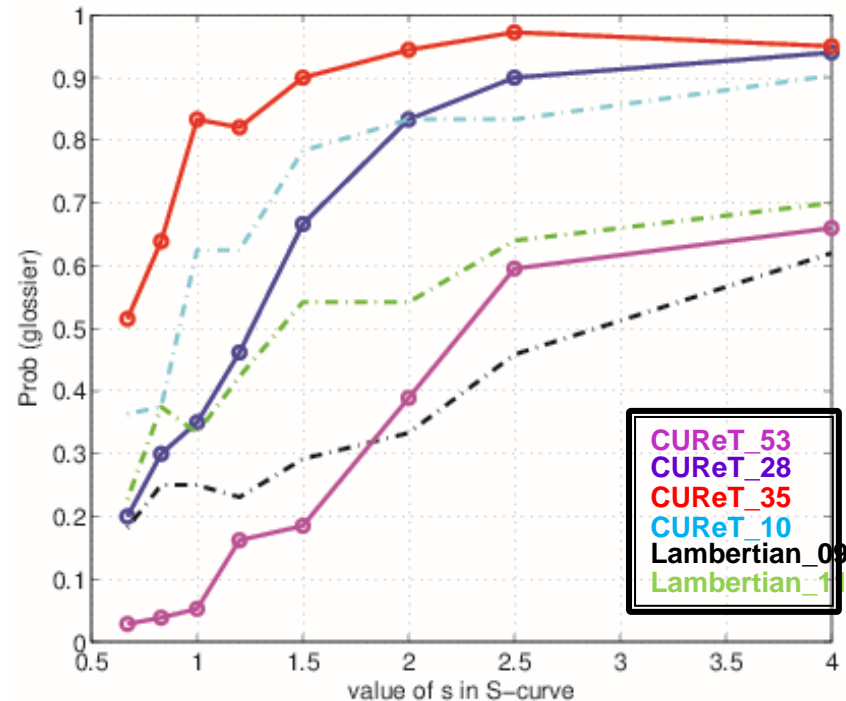
Gloss matching: Pairwise comparison

Each trial: one original image in oblique illumination direction and one S-curve transformed version in near-frontal illumination





# Experimental Results



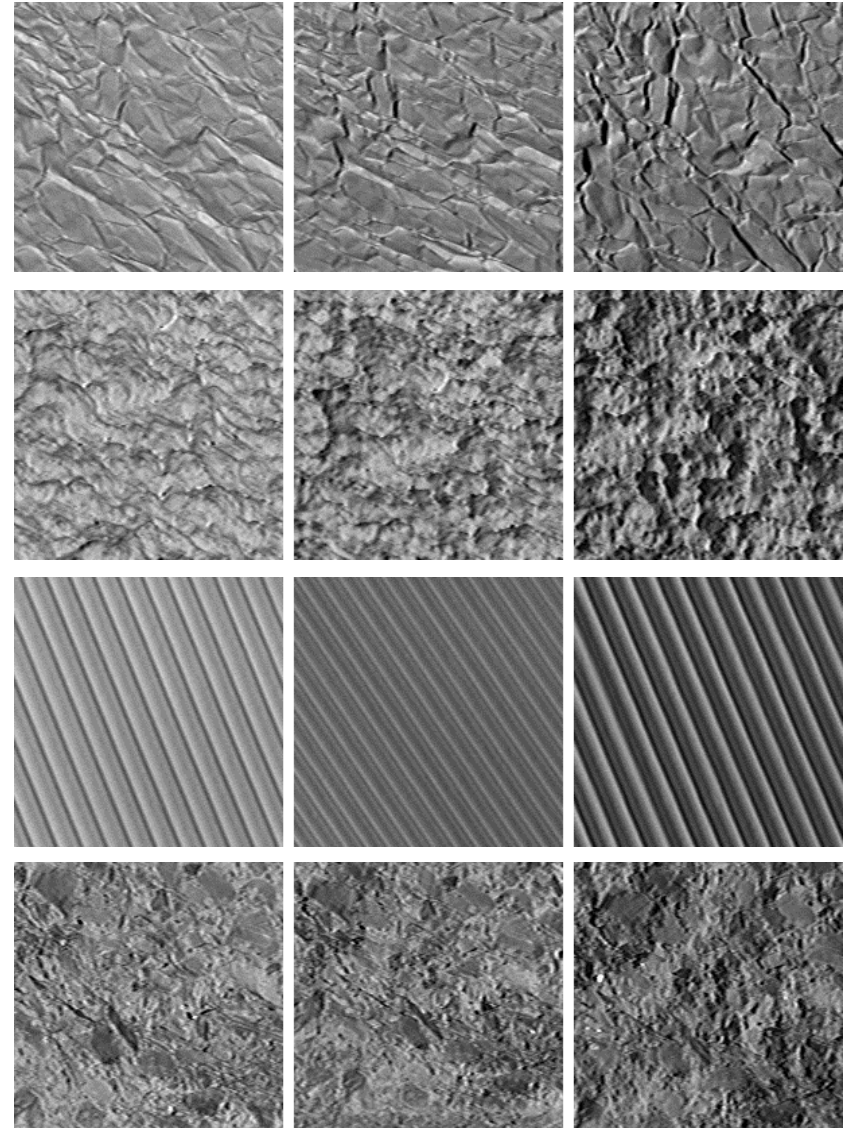
Probability that frontal illuminated texture was selected as glossier

# Conclusions

- We proposed a novel transformation method to manipulate the perceived gloss of natural textures with unknown geometry and illumination field.
- Natural textures behave differently than synthesized Lambertian surfaces.
- There is a strong positive correlation between perceived gloss and perceived contrast across different types of images including Lambertian surface.
- Contrast modification could compensate for gloss difference generated due illumination directions, within a certain range of directions

# Material Properties

- Texture appearance depends on material, surface geometry, and lighting
- Difficult to separate
- Rely on image statistics to estimate specific attributes
  - Roughness
  - Glossiness
  - Directionality
  - Regularity
  - Scale
- Can be estimated/compared outside quantitative range of STSIMs
- Provide strong clues about material properties







Questions?

Thank you!

