

**UCRL-ABS-225307 & UCRL-PRES-225807  
Coherent Addition of Pulse for Energy (CAPE)  
Instrument and Data Fitting Model Study.**



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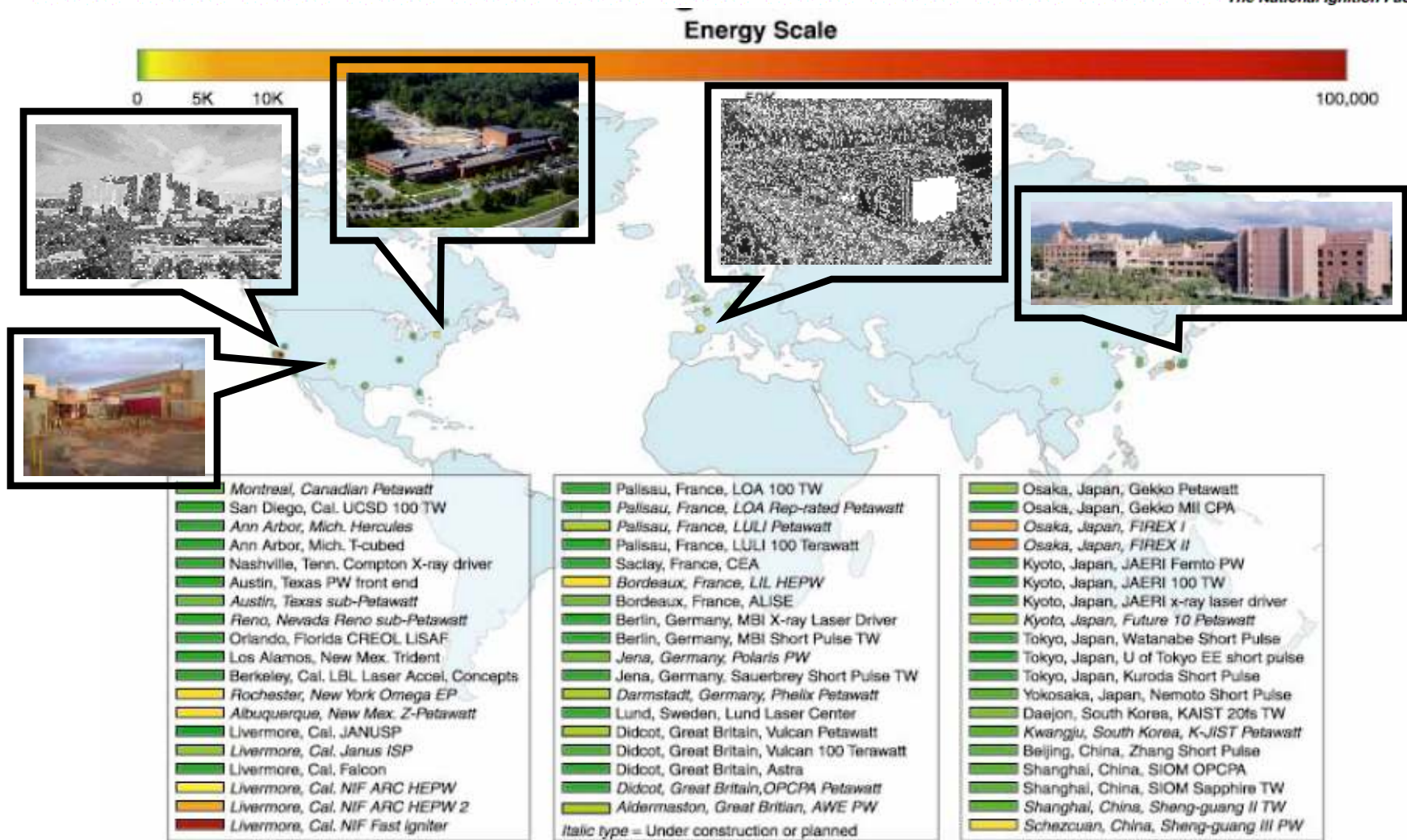
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Medgar Evers College of the City University of New York, Brooklyn, New York*

CASIS 2006 Nov 16-17

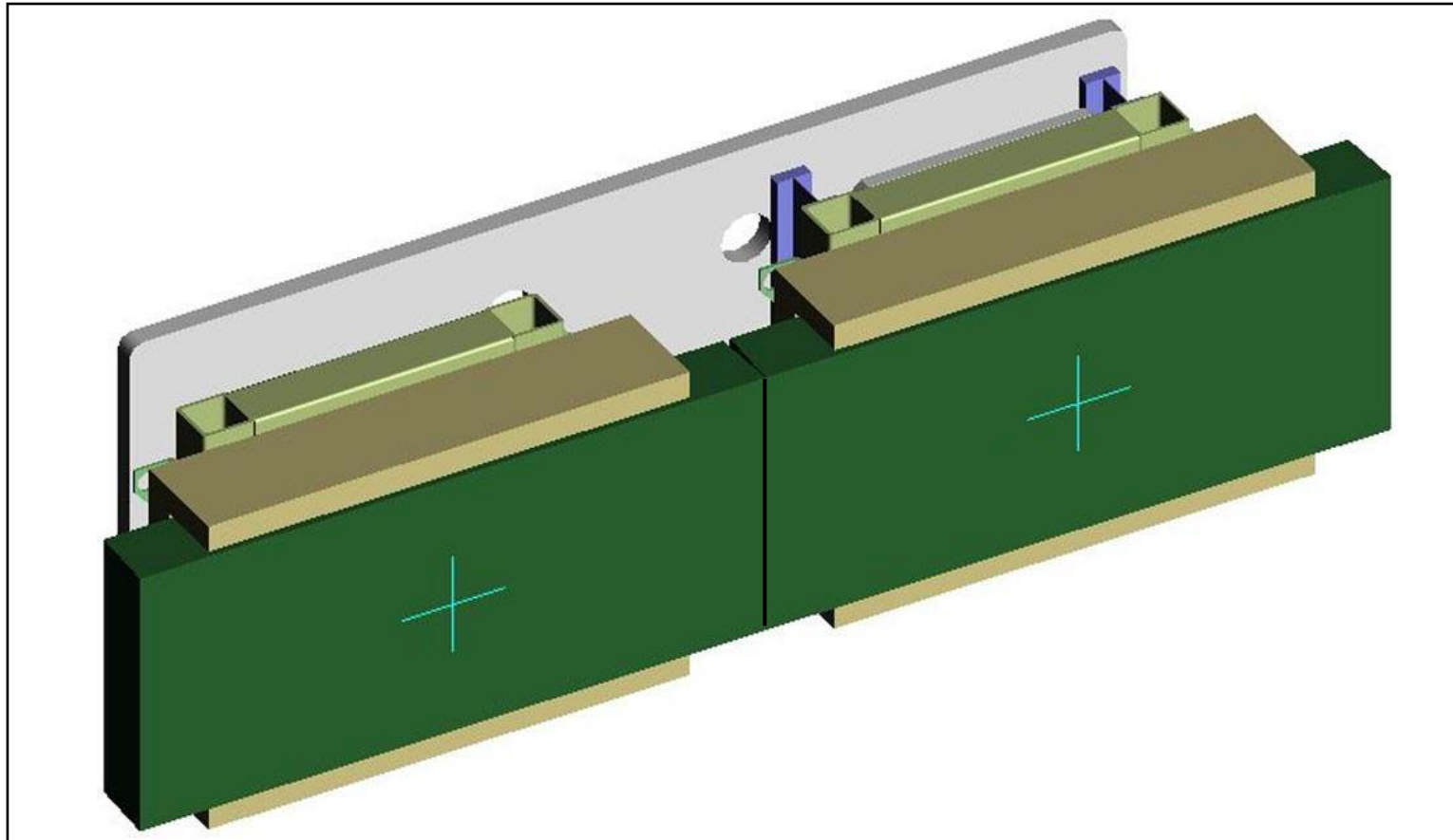
*This work was performed under the auspices of the US Department of Energy by University of California  
Lawrence Livermore National Laboratory under contract No W-7405-Eng-48*

# Multi-kilojoule PW facilities with 40 cm square aperture Nd:glass amplifiers are being developed



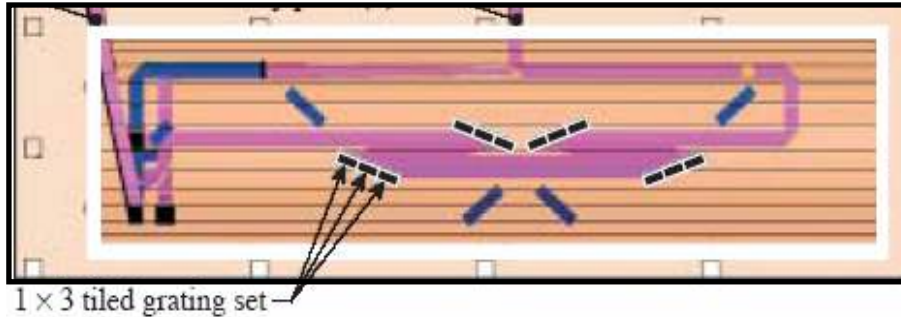
Peak irradiance will be limited to  $\sim 10^{21}$  W/cm<sup>2</sup>

A full aperture NIF HEPW beam line would produce up to 3.3 kJ per beam, but requires 1.82 m wide grating apertures

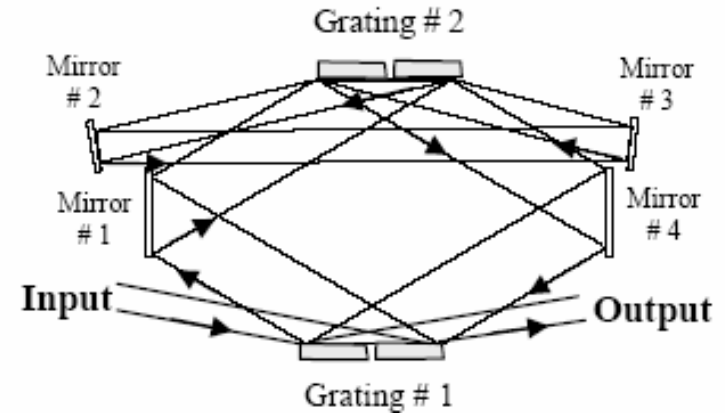


Tooling is not available for 2 meter wide grating fabrication  
Segmentation reduces substrate thickness, weight, cost and lead time  
2 segment “tiling” of sub-aperture gratings with 91 cm substrates is possible

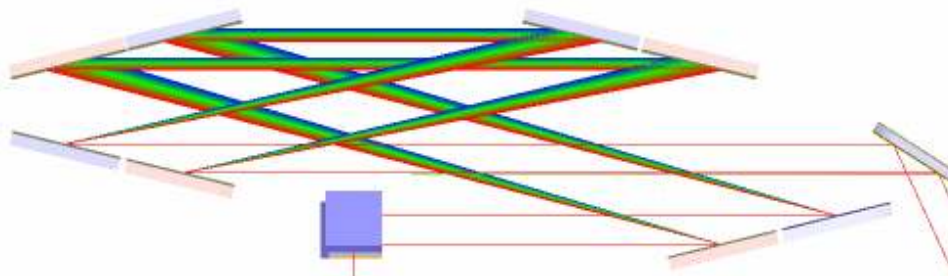
# Segmented compressor designs exist for modern square aperture Nd:glass lasers



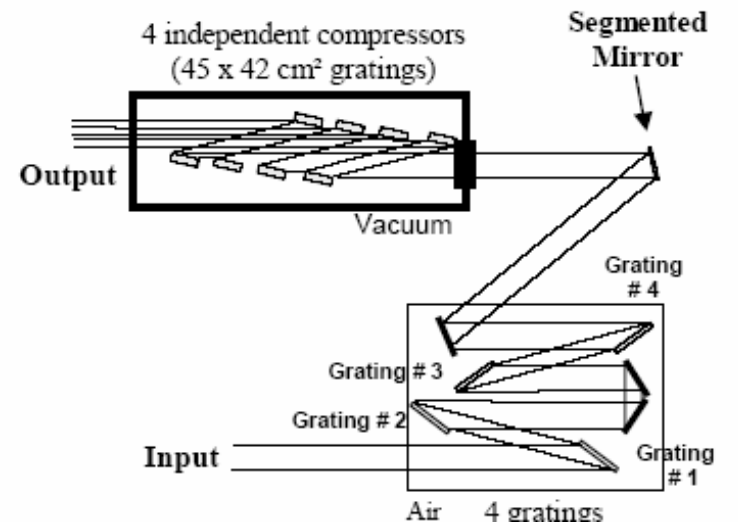
OMEGA EP



FIREX



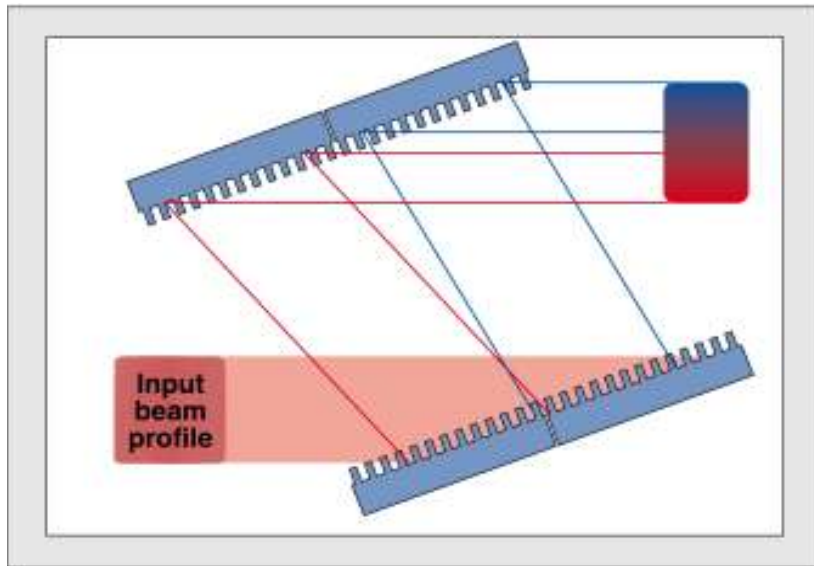
ARC/LLNL



LIL-PW

All require ~ 2 m grating aperture

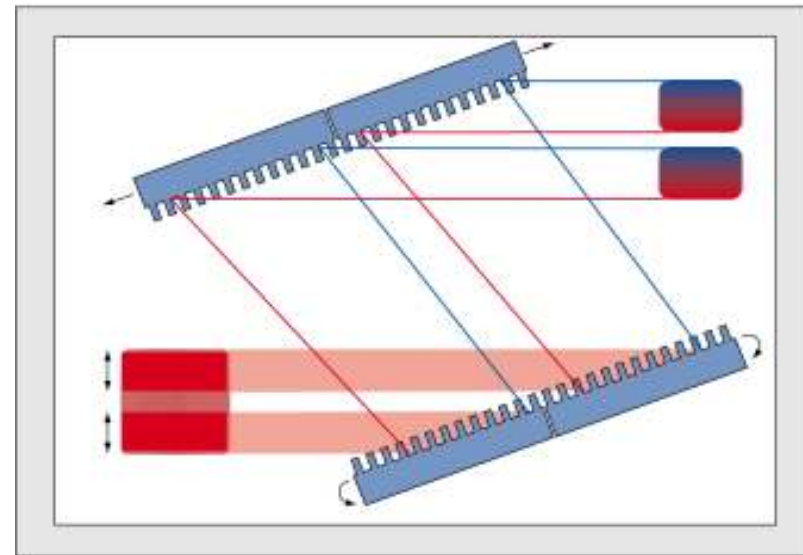
# Two approaches to deal with phase errors introduced by segmentation: Coherent Grating Tiling (CGT) and CAPE



NIF-1304-08000

## CGT<sup>1,2,3</sup>

**Coherent Grating Tiling**



NIF-1304-08000

## CAPE<sup>4,5</sup>

**Coherent Addition of Pulses for Energy**

<sup>1</sup>T. Zhang et al., Opt. Comm. **145**, 367 (1998)  
<sup>2</sup>N. Miyanaga et al., IFSA Monterey, CA (2003)  
<sup>3</sup>T. J. Kessler et al., Opt. Lett. **29**,635 (2004)

<sup>4</sup>M. C. Rushford et al., ICUIL Tahoe City, CA (2004)  
<sup>5</sup>N. Blanchot et al., Appl. Opt. (accepted -2006)

## Coherent Addition of Pulse for Energy (CAPE)

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- Can Coherently combine pulses.
- Want Constructive interference at the combined focal spot center.
- Examined by spectrally dispersed Young's double slit interferogram.
- Fitting fringe locations finds the *difference* in *group delay* (GD) and *group delay dispersion* (GDD)...
- Minimize differences between pulses.

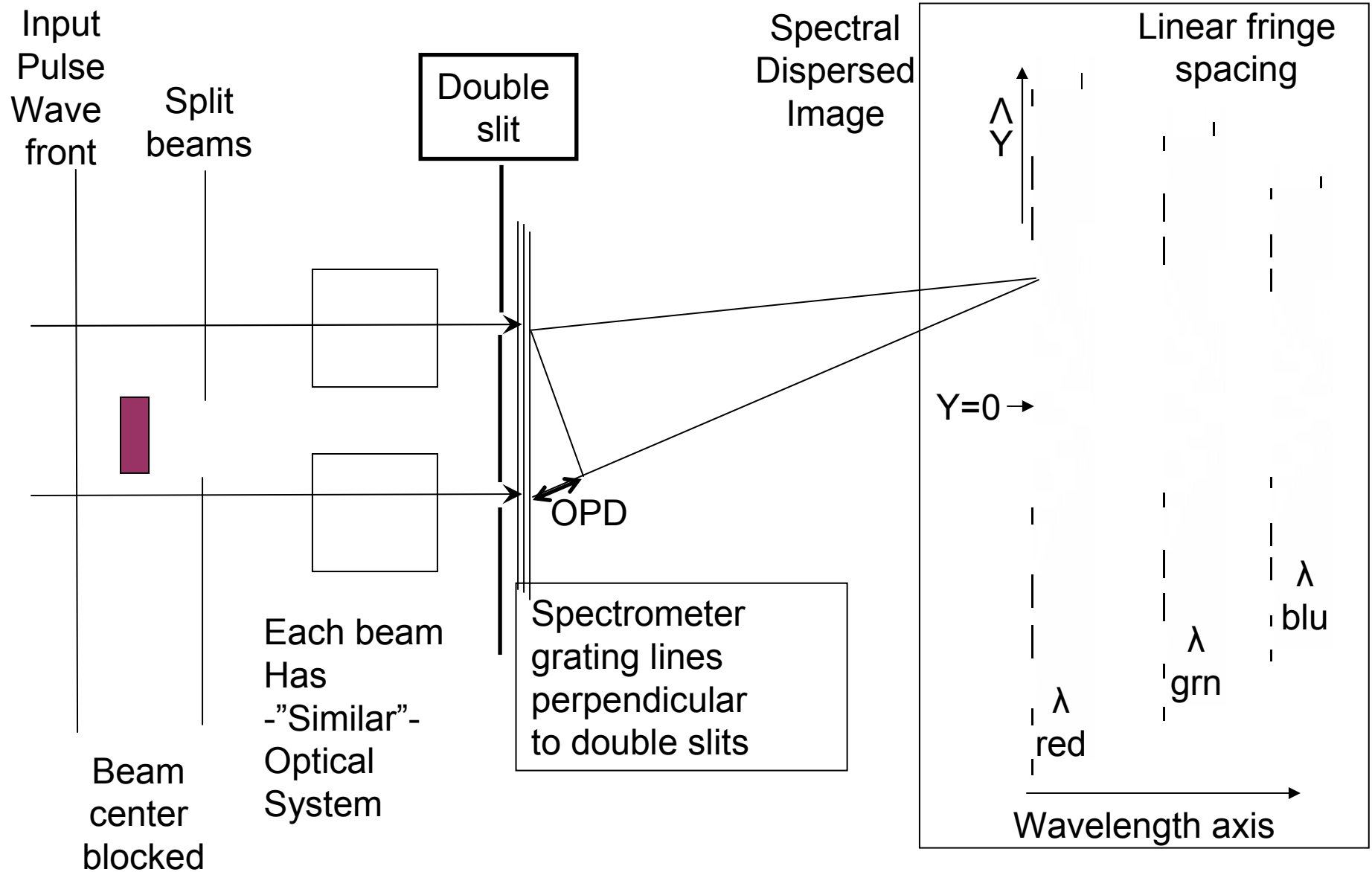
## For simulated Interferogram: fit and test procedures



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- Calculated a Young's double slit interferogram, for various OPD (GD, GDD, TOD) conditions, try the fitting.
- Use spatial phase stepping to extract the phase of these interferogram fringes -modulo  $2\pi$ -, unwrap the 2D array Thomas J. Flynn, J. Opt. Soc. Am. A/ Vol. 14, No. 10/October 1997, pg. 2692, extract the phase at  $Y=0$  (i.e.  $OPD = 0$ ) for each wavelength.
- Fit using Lab View to the phase (wavelength) as a Taylor expansion described by Tracy IEEE JOURNAL OF QUANTUM ELECTRONICS, VOL. QE-5, NO. 9, SEPTEMBER 1969
- Plot "stationary phase ranged points" (derivative of phase across wavelength axis is close to zero) so to point out the white light interference fringe and other calculation induced noise subtleties. Jose Calatroni ..., J. Opt. A: Pure Appl. Opt. 5 (2003), s207-s210
- Discuss and improve:
  - Accuracy of code on synthetic data (we know the correct answer).
  - Noise: compare Spatial phase stepping and FFT phase measurement.-

# Fringe phase at $Y=0$ for each wave length $\lambda$ across a split pulse



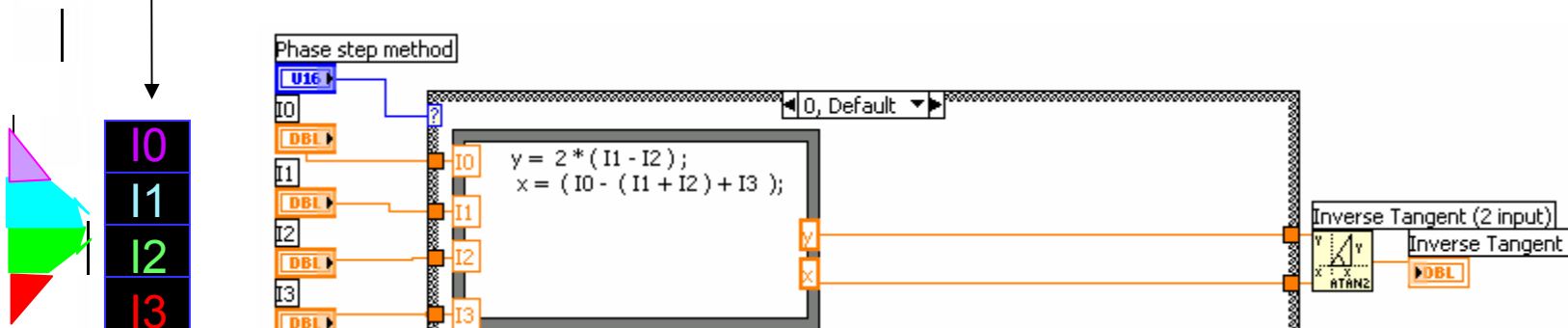


# Phase measurement via Spatial phase stepping

Fringe pattern line out

- Create 4 detector that span one fringe spacing.

- Each quad detector sums up intensity over a minimum of one pixel wide.



- Quad detector spacing error makes a phase angle error that is periodic between fringe peaks and is zero error every half wave.

- Reduce this error using methods of “Window function influence on phase error in phase-shifting algorithms” APPLIED OPTICS y Vol. 35, No. 28 y 1 October 1996 this reference also references spatial phase stepping.

- Can slide the Quad detector along each pixel of the lineout to measure phase along the sinusoidal pattern.

- The analog Intensity difference I1-I2 is used to phase lock the fringe position to very high bandwidth feedback.

- Phase stepping methods utilize less computation in calculating fringe phase compared to FFT methods.

# Phase measurement via FFT

Fringe  
pattern  
line  
out

- Best if use a power of two number of pixels across the waveform.
- Phase error is minimum at FFT array center and increases to maximum near the array boundary due to GIBBS phenomena.
- Reduce GIBBS phenomena error by making the array edge intensity derivative = 0.
- Generally additional filtering required, increasing the computation.
- Should be a better solution for real noisy data.

# Put simulated Interferogram into CAPE program



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CAPE-20060905-LV8.vi Front Panel \*

File Edit View Project Operate Tools Window Help

13pt Application Font

Z-test CAPE simulator MASK Phase Tracy dispersion terms Fitting Fitting 2 camera rotation Surface fit Far Field STOP

$$\varphi(\omega) = \varphi(\omega_0) + \frac{1}{1!} \frac{d\varphi}{d\omega} \Big|_{\omega_0} (\omega - \omega_0) + \frac{1}{2!} \frac{d^2\varphi}{d\omega^2} \Big|_{\omega_0} (\omega - \omega_0)^2 + \frac{1}{3!} \frac{d^3\varphi}{d\omega^3} \Big|_{\omega_0} (\omega - \omega_0)^3 + \dots$$

GD [fs] 0 GDD [fs^2/rad] 0E+0 TOD [fs^3/rad^2] 0E+0 FOD [fs^4/rad^3] 0E+0  
 GD [ps] 0 GDD [ps^2/rad] 0E+0 TOD [ps^3/rad^2] 0E+0 FOD [ps^4/rad^3] 0E+0  
 GD [mm] 0

SCALE GD\_c 1.014  
 1.01382 1.01375  
 1.0134

Grating Slits  
 Slit A  
 Slit B  
 OPD(Y)  
 SS [mm] 2.25  
 THK  
 GD  
 GDD  
 TOD  
 [GDD+TOD]  
 L [mm] 1000  
 Points along wavelength axis 256  
 Lambda RED [nm] 0.00106000  
 Lambda Blue [nm] 0.00104000  
 dw 7.8125E-8  
 Wm 0.00105000

Phase simulation m [radians]

Strehl ratio  
 Posted by  
 Thu Aug 1  
 Hi all,  
 in the book  
 on page 3:  
 Strehl ratio  
 Can anyone  
 In several  
 Strehl ratio  
 or as a bell  
 Strehl ratio  
 Thanks,  
 Michael

CAPE fringes  
 Ymax [mm] 10  
 Point along Y axis 256  
 X axis gaussian width 150000  
 Y axis gaussian width 0.5

NIF FF spot simulation

Thk A B  
 0 1.458 0.00354 [http://en.wikipedia.org/wiki/Cauchy's\\_equation](http://en.wikipedia.org/wiki/Cauchy's_equation)

# Orient and mask data



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CAPE-20060905-LV8.vi Front Panel \*

File Edit View Project Operate Tools Window Help

13pt Application Font

Z-test CAPE simulator MASK Phase Tracy dispersion terms Fitting Fitting 2 camera rotation Surface fit Far Field STOP

Interference pattern original

Interference pattern masked

Interference pattern masked 2

Frequency: 0 to 256  
Time: 0 to 220

transpose OFF OK Set Mask.

◆ in top	20	29	1
◆ In bottom	20	12	1
◆ In left	6	22	1
◆ In right	31	20	1
◆ top	130	253	432
◆ bottom	128	0	1
◆ left	0	128	1
◆ right	256	126	339

Image File Path: I:\interferometry\1e.bmp

Irfanview Executable Path: C:\Program Files\IrfanView\i\_view32.exe

mask: 256 x 256 plot with color scale from -1.10 to -0.90

Fringe across image: 17.47 Pixels per fringe: 0

Crop X: 0 Crop width: 1390  
Crop Y: 480 Crop height: 15  
Resize X: 480 Resize Y: 15

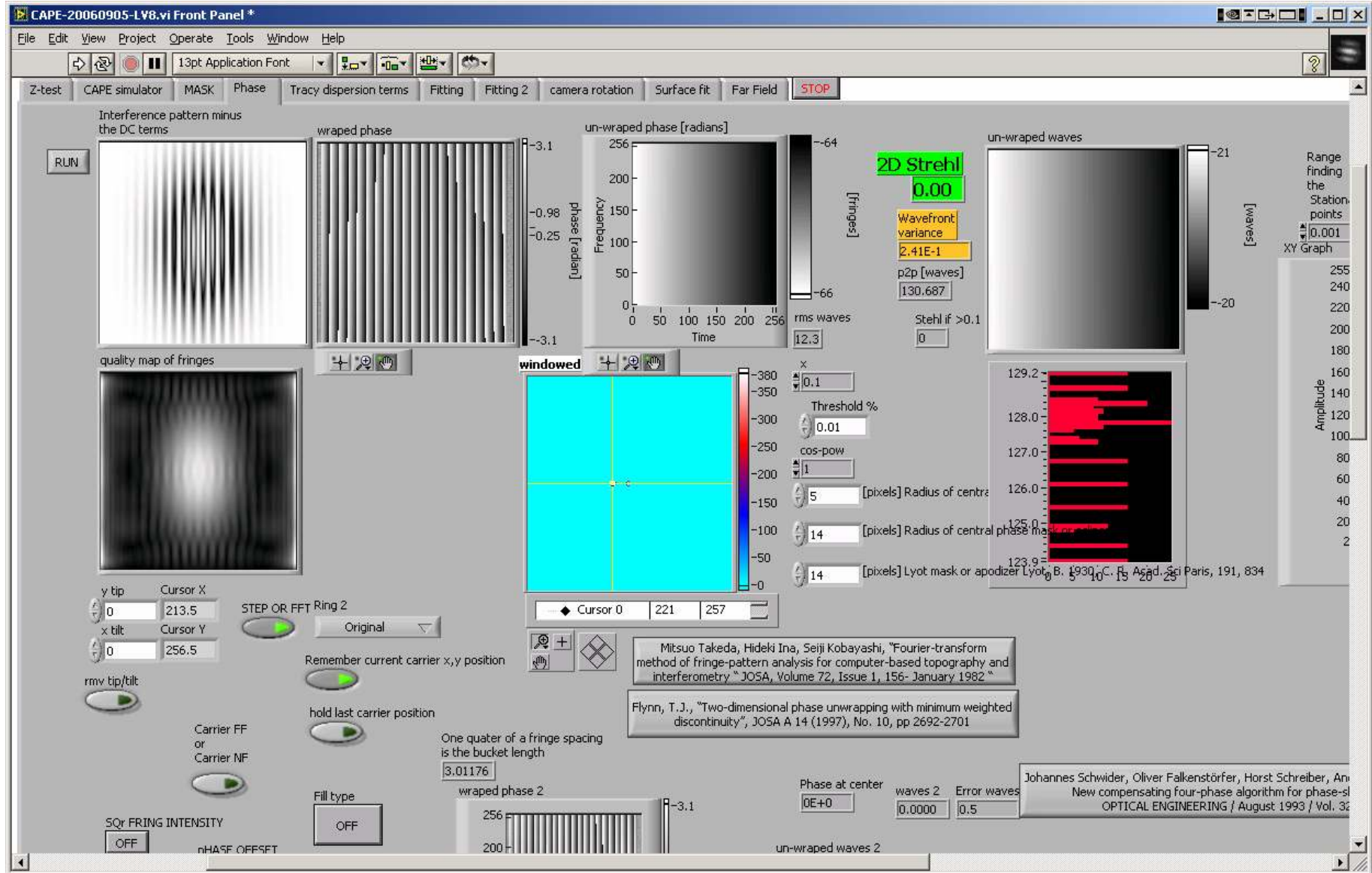
round or square: square

error out

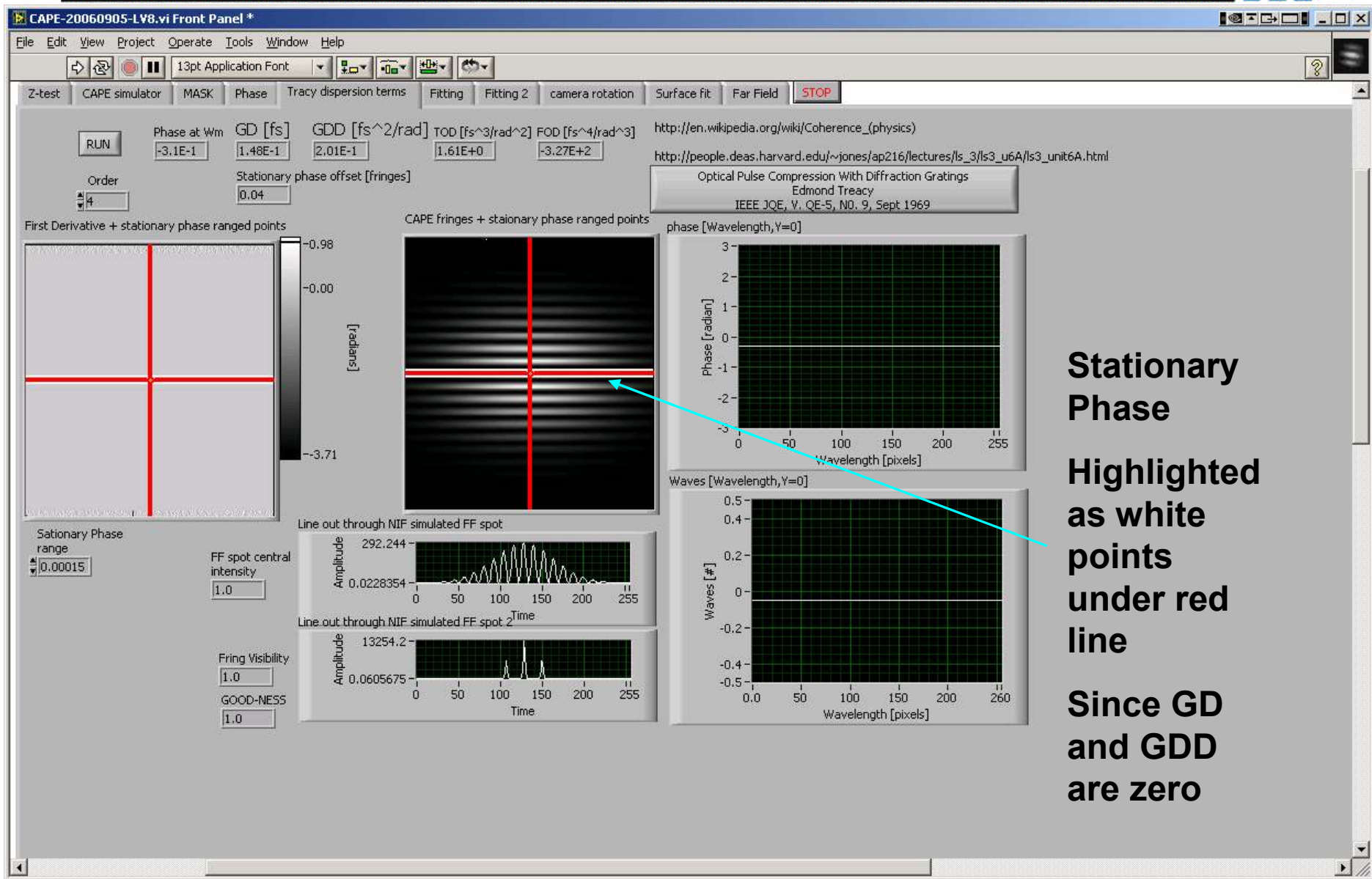
# Phase measurement



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# Fit to simulator input of GD, GDD, TOD = 0

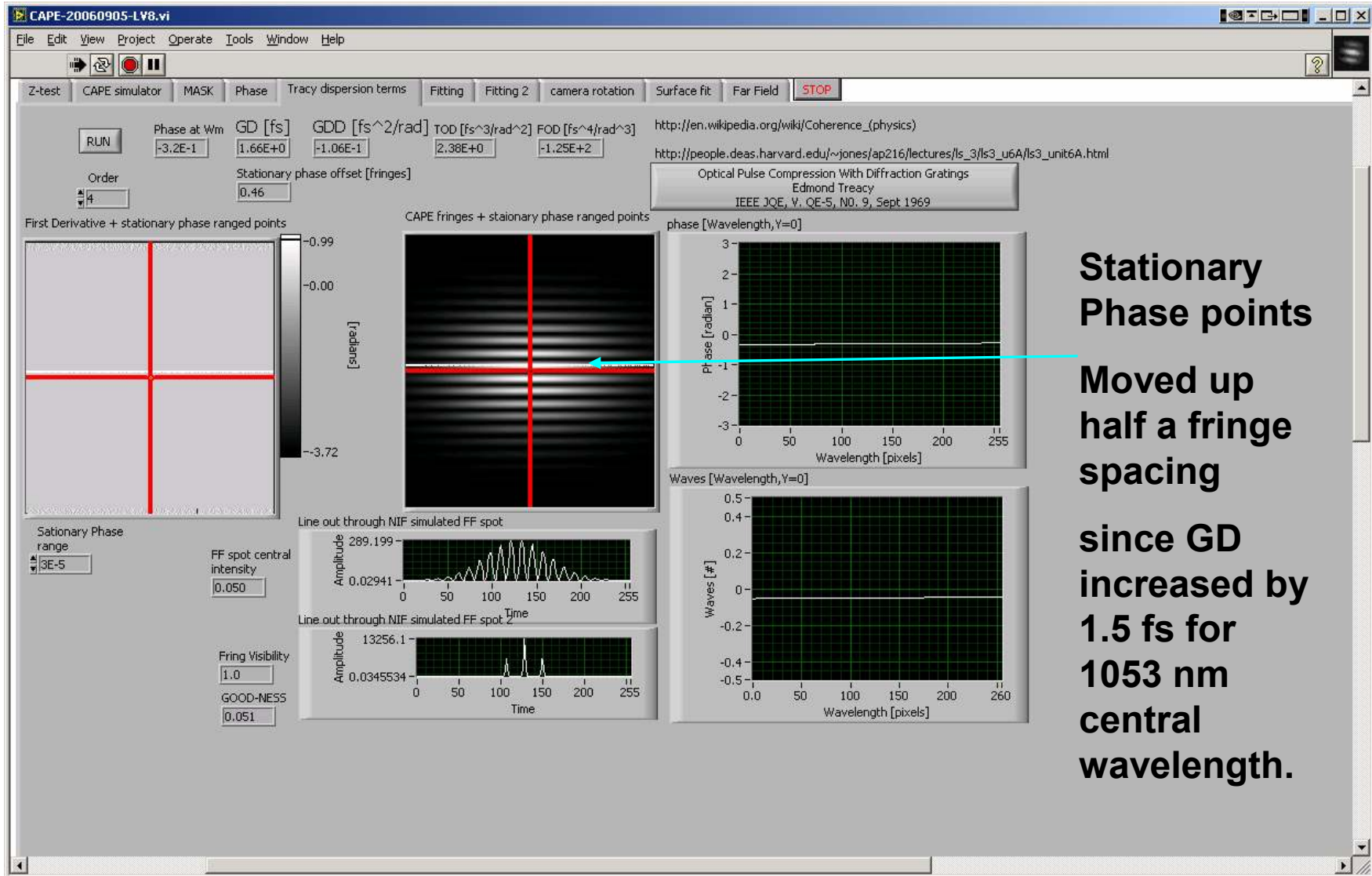


Stationary Phase

Highlighted as white points under red line

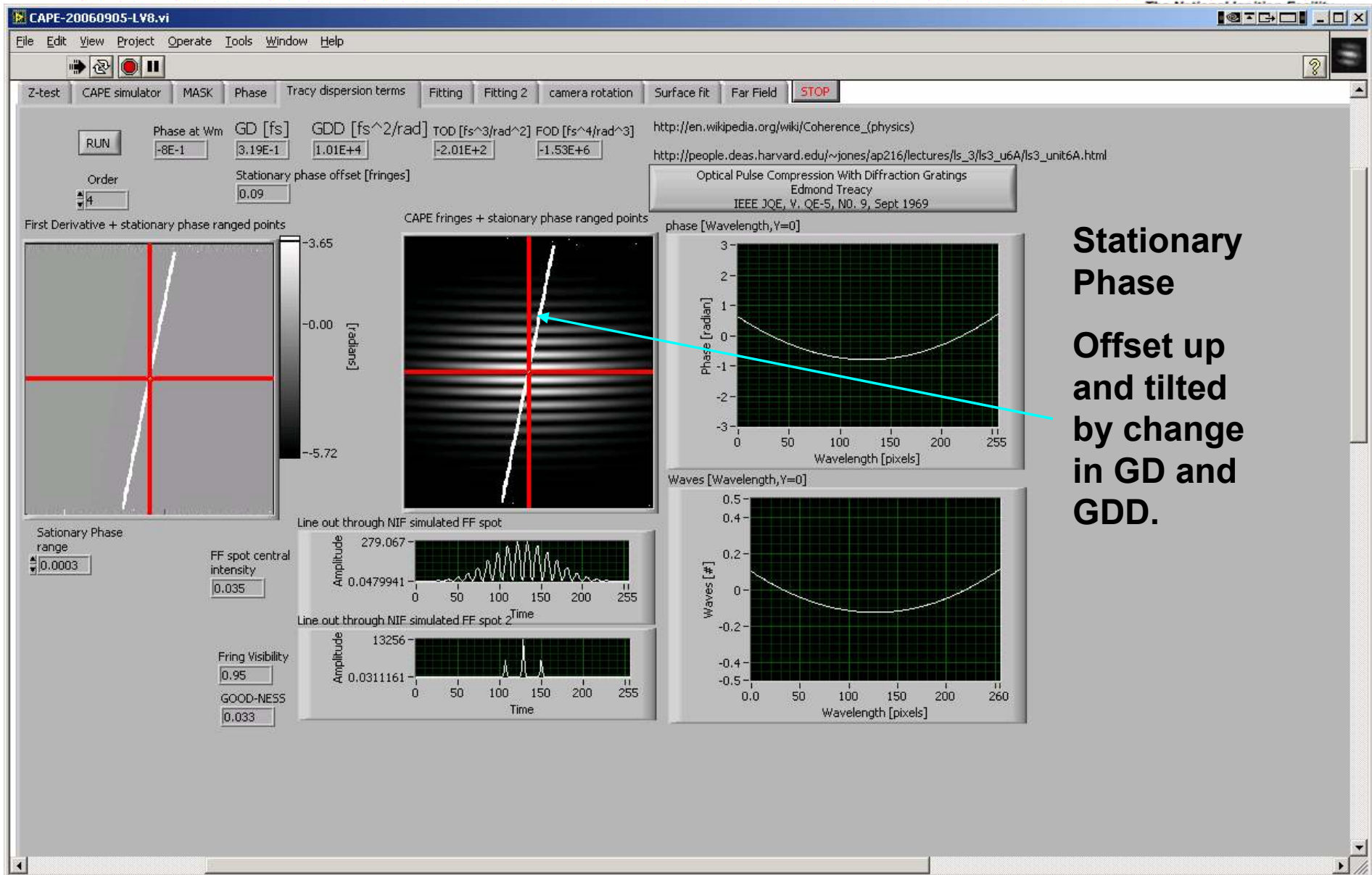
Since GD and GDD are zero

# Fit to simulator input of $GD = 1.5 \text{ fs}$



**Stationary Phase points**  
**Moved up half a fringe spacing**  
**since GD increased by 1.5 fs for 1053 nm central wavelength.**

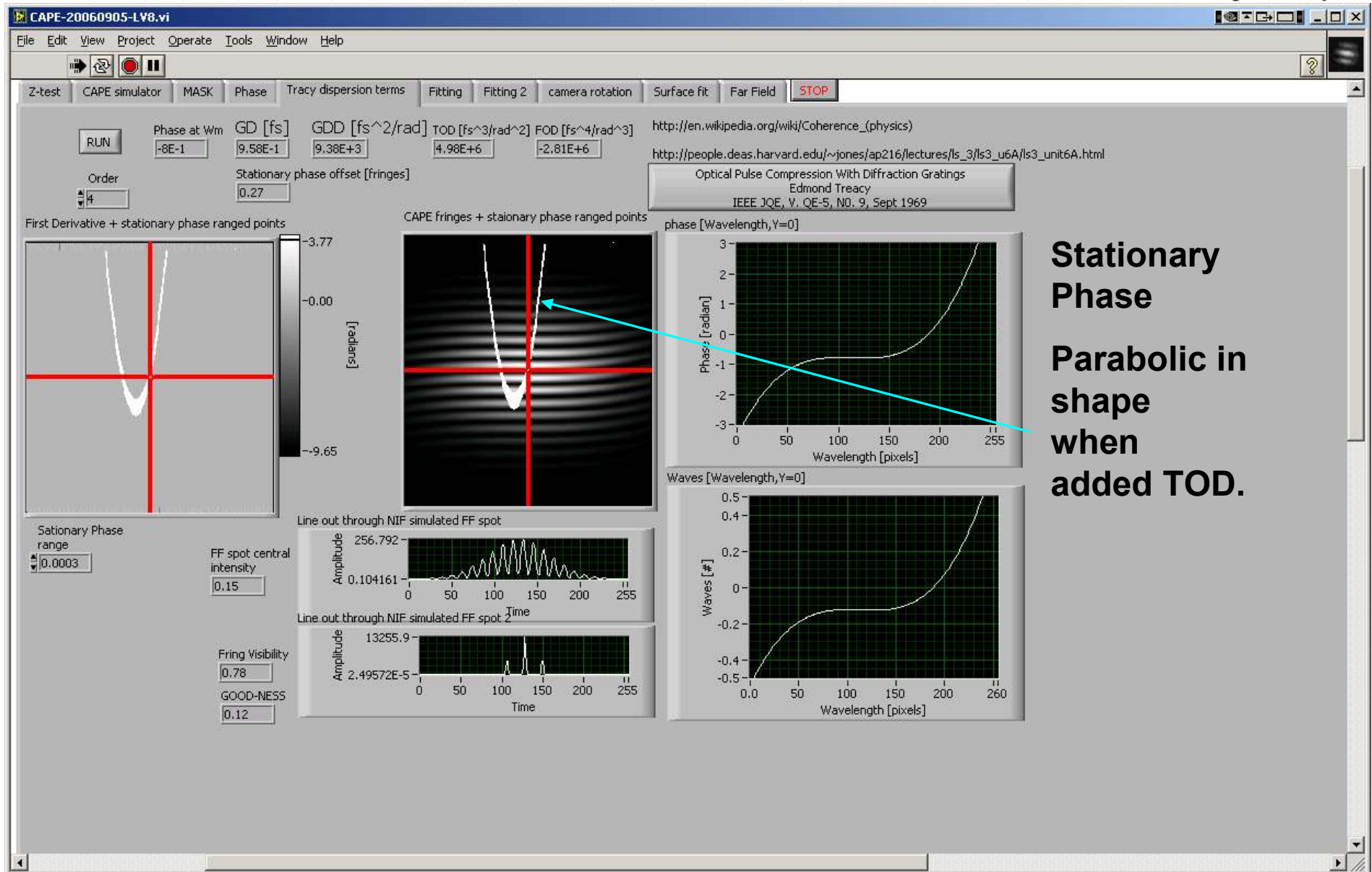
# Fit to simulator input of $GD = 1.5 \text{ fs}$ , $GDD = 1E+4 \text{ fs}^2/\text{rad}$



**Stationary Phase**  
**Offset up and tilted by change in GD and GDD.**



# Fit to simulator input of $GD = 1.5 \text{ fs}$ , $GDD = 1E+4 \text{ fs}^2/\text{rad}$ , $TOD = 5E+6 \text{ fs}^3/\text{rad}^2$



**Stationary  
Phase  
Parabolic in  
shape  
when  
added TOD.**

# Phase measurement method and Fit (error) study.

the accuracy of code on synthetic data (for which we know the correct answer).



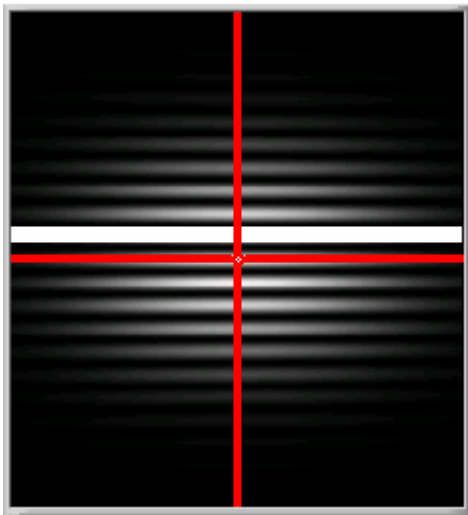
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	GD [fs]	GDD [fs <sup>2</sup> /rad]	TOD [fs <sup>3</sup> /rad <sup>2</sup> ]	FOD [fs <sup>4</sup> /rad <sup>4</sup> ]
Simulator request	0.0000	0.00	0.00	0.00
fit in simulator	0.0000	0.00	0.00	0.00
fit from simulated fringes use phase stepping	0.1480	0.20	1.61	-327.00
fit from simulated fringes use FFT	0.0103	-52.70	-716.00	3630000.00
	Evidence GD can be measured accurately	Why is there cross talk into the higher order terms and the FFT so much worse?		

## To do..

- GD effects GDD, TOD and FOD and visa versa, why.
- This higher order cross talk is eliminated if the phase is measured along the Y axis which is the stationary phase offset at the central wavelength?
- Can the FFT methods be made more precise like seen with phase stepping?

CAPE fringes + stationary phase ranged points



Stationary Phase  
range

0.00015

STEP OR FFT



CAPE fringes + stationary phase ranged points



# Results for the code on some real lab data

Shows a very “noisy” stationary phase - with no filtering applied.

